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# Advanced Design System 2002 <br> Expressions, Measurements, and Simulation Data Processing 

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## Chapter 1: Introduction to Expressions and Functions

This document describes the expressions and functions that are available within Advanced Design System. These functions or equations are divided into two distinct categories based on their roles in ADS. Although there is an overlap among many of the more commonly used functions, they are derived from separate sources, evaluated by ADS at different times, and can have subtle differences in their usages. Thus, they need to be considered separately. Refer to Figure 1-1 in this chapter for an overview of how ADS evaluates and uses Simulator Expressions and Measurement Equations.

## Simulator Expressions

The first category of equations or functions are the ones used internally during simulation runtime, known as Simulator Expressions or sometimes as VarEqn functions. These expressions or functions can be entered into the program by means of the VarEqn component or used in place of a parameter for any component: for example in a resister, $\mathrm{R}=\sin 5$. These functions are evaluated at the start of simulation. If a term is undefined at the start of simulation, such as $R=S_{11}$, where the results of $\mathrm{S}_{11}$ will not be known until the simulation is complete, an error will be returned.

For information on the general use of VarEqn components, place a VarEqn component on a Schematic, double click it, and then click the Help button in the Component dialog box. Or from any ADS Window choose Help > Topics and Index > Components $>$ Circuit Components > Introduction and Simulation Components > Chapter 1, Introduction > VarEqn.
For a list and description of the ADS Simulator Expressions, refer to Chapter 4, Simulator Expression Reference.

## Measurement Equations

The second category of equations are the ones used during simulation post processing, known as Measurement Equations or MeasEqn for short. These are entered into the program by means of the MeasEqn component, available on the Simulation palettes in an Analog/RF Systems Schematic window (such as

Simulation-AC or Simulation-Envelope) or from the Controllers palette in a Signal Processing Schematic window.

Many of the more commonly used measurement items are built in, and are found in the palettes of the appropriate simulator components. Many common expressions are included as measurements, which makes it easy for beginning users to use the system. To make simulation and analyses convenient, all the measurement items, including the built-in items, can be edited to meet specific requirements. Underlying each measurement is a function; the functions themselves are available for modification. Moreover, it is also possible for you to write entirely new measurements and functions.

The measurement items and their underlying expressions are based on AEL, ADS's Application Extension Language. Consequently, they can serve a dual purpose:

- They can be used on the schematic page, in conjunction with simulations, to process the results of a simulation (this is useful, for example, in defining and reaching optimization goals). The MeasEqn items are processed after the simulation engine has finishing its task and just before the dataset is written.
- They can be used in the Data Display window to process the results of a dataset that can be displayed graphically. Here the MeasEqn items are used to post-process the data written after simulation is complete.

In either of the above cases, the same syntax is used. However, some measurements can be used on the schematic page and not the Data Display window, and vice versa. These distinctions will be noted where they occur.

For information on how to interpret the function descriptions found in the MeasEqn Function Reference, see Chapter 2, Using the MeasEqn Function Reference.
For a complete list of ADS MeasEqn functions, refer to Chapter 3, MeasEqn Function Reference.

## AEL Math Functions

As stated earlier, the measurement components and their underlying expressions are based on ADS's Application Extension Language (AEL). AEL includes many math functions that can be used as part of writing AEL code for various purposes. While many of these functions overlap with the Measurement Equations, they are documented in the $A E L$ manual. Refer to "Math Functions" on page 9-1 in the $A E L$ manual for more information.


Figure 1-1. How ADS Evaluates and Uses Simulator Expressions and Measurement Equations

## Chapter 2: Using the MeasEqn Function Reference

This chapter explains how to interpret the function descriptions found in Chapter 3, MeasEqn Function Reference.
The following figure illustrates how the measurement functions and mathematical functions are described. In the case of AEL measurements, the entries for "Used in" and Available as measurement component?" reads "Not applicable."
<function name>
Purpose
States what the function does.
Synopsis
Presents the syntax of the function.

## Examples

Presents typical uses of the function.
Used in
Lists applicable simulation types, if any.
Available as measurement component?
Indicates whether the measurement function is available as a component within simulation palettes (where applicable).

Defined in
Indicates whether the measurement function is defined in a script or is built in. All AEL functions are built in.

See also
Lists related functions, if any.

In addition, where applicable, a Description section gives detailed information about a measurement function's behavior, including parameter defaults and exceptions.

Where examples are available in the examples directory, they will be listed in this section.

## Manipulating Simulation Data with Equations

ADS equations are designed to manipulate data produced by the simulator. Equations may reference any simulation output and may be placed (a) in a Data Display window, or (b) in a Schematic window, by means of a MeasEqn (measurement equation) component. Ready-made measurements, found in the various simulator palettes, are simply preconfigured equations.

This description of ADS equations is accompanied by a set of example designs and data display pages. These designs can be found in the project express_meas_prj, in the examples / Tutorial directory.

## Simulation Data

The expressions package has inherent support for two main simulation data features. First, simulation data are normally multidimensional. Each sweep introduces a dimension. All operators and relevant functions are designed to apply themselves automatically over a multidimensional simulation output. Second, the independent (swept) variable is associated with the data (for example, S-parameter data). This independent is propagated through expressions, so that the results of equations are automatically plotted or listed against the relevant swept variable.

## Case Sensitivity

All variable names, functions names, and equation names are case sensitive in ADS expressions.

## Measurements and Expressions

Refer also to simple_meas_1.dsn in /examples / Tutorial/express_meas_prj/networks
Expressions are available on the schematic page by means of the MeasEqn component. Also available in various simulation palettes are preconfigured measurements. These are designed to help the user by presenting an initial equation, which can be modified to suit the particular instance.

Measurements are evaluated after a simulation is run and the results are stored in the dataset. The tag "meqn_xxx" (where xxx is a number) is placed at the beginning of all measurement results, to distinguish those results from data produced directly by the simulator.

Complex measurement equations are available for both circuit and signal processing simulations. Underlying a measurement is the same generic equations handler that is available in the Data Display window. Consequently, simulation results can be referenced directly, and the expression syntax is identical. All operators and almost all functions are available.

The expression used in an optimization goal or a yield specification is a measurement expression. It may reference any other measurement on the schematic.

It is not possible to reference a VarEqn variable in a MeasEqn equation. However, a MeasEqn equation can reference other MeasEqns, any simulation output, and any swept variable.

## Variable Names

## Refer also to names_1.dsn and names_1.dds in /examples / Tutorial/express_meas_prj.

Variables produced by the simulator can be referenced in equations with various degrees of rigidity. In general a variable is defined as follows:
DatasetName.AnalysisName.AnalysisType.CircuitPath.VariableName
By default, in the Data Display window a variable is commonly referenced as follows:

## DatasetName..VariableName

where the double dot ".." indicates that the variable is unique in this dataset. If a variable is referenced without a dataset name, then it is assumed to be in the current default dataset.

When the results of several analyses are in a dataset, it becomes necessary to specify the analysis name with the variable name. The double dot can always be used to pad a variable name instead of specifying the complete name.

Refer also to names_2.dsn, and names_2.dds in /examples/Tutorial/express_meas_prj.

In most cases a dataset contains results from a single analysis only, and so the variable name alone is sufficient. The most common use of the double dot is when it is desired to tie a variable to a dataset other than the default dataset.

Refer also to names_3.dds in /examples / Tutorial/express_meas_prj.

## Simple Sweeps and Using "[ ]"

Refer also to sweep_1.dsn, sweep_1.dsn and sweep_2.dds in /examples/Tutorial/express_meas_prj.

Parameter sweeps are commonly used in simulations to generate, for example, a frequency response or a set of DC IV characteristics. The simulator always attaches the swept variable to the actual data (the data often being called the "attached independent" in equations).

Often after performing a swept analysis we want to look at a single sweep point or a group of points. The sweep indexer "[ ]" can be used to do this. The sweep indexer is zero offset, meaning that the first sweep point is accessed as index 0 . A sweep of $n$ points can be accessed by means of an index that runs from 0 to $n-1$. Also, the what() function can be useful in indexing sweeps. Use what() to find out how many sweep points there are, and then use an appropriate index. Indexing out of range yields an invalid result.

The sequence operator can also be used to index into a subsection of a sweep. Given a parameter X , a subsection of X may be indexed as
a=X[start::increment::stop]

Because increment defaults to one,

$$
\mathrm{a}=\mathrm{X}[\text { start::stop] }
$$

is equivalent to

$$
a=X[\text { start::1::stop] }
$$

The "::" operator alone is the wildcard operator, so that X and $\mathrm{X}[::]$ are equivalent. Indexing can similarly be applied to multidimensional data. As will be shown later, an index may be applied in each dimension.

## S-Parameters and Matrices

Refer also to sparam_1.dsn and sparam_1.dds in /examples / Tutorial/express_meas_prj.

As described above, the sweep indexer "[ ]" is used to index into a sweep. However, the simulator can produce a swept matrix, as when an S-parameter analysis is performed over some frequency range. Matrix entries can be referenced as S11 through Snm. While this is sufficient for most simple applications, it is also possible to index matrices by using the matrix indexer "()". For example, $\mathrm{S}(1,1)$ is equivalent to S 11 . The matrix indexer is offset by one meaning the first matrix entry is $\mathrm{X}(1,1)$. When it is used with swept data its operation is transparent with respect to the sweep. Both indexers can be combined. For example, it is possible to access $\mathrm{S}(1,1)$ at the first sweep point as $\mathrm{S}(1,1)$ [0]. As with the sweep indexer "[ ]", the matrix indexer can be used with wildcards and sequences to extract a submatrix from an original matrix.

## Matrices

Refer also to matrix_1.dds in /examples/Tutorial/express_meas_prj.
S-parameters above are an example of a matrix produced by the simulator. Matrices are more frequently found in signal processing applications. Mathematical operators implement matrix operations. Element-by-element operations can be performed by using the dot modified operators (.* and ./).

The matrix indexer conveniently operates over the complete sweep, just as the sweep indexer operates on all matrices in a sweep. As with scalars, the mathematical operators allow swept and nonswept quantities to be combined. For example, the first matrix in a sweep may be subtracted from all matrices in that sweep as

$$
\mathrm{Y}=\mathrm{X}-\mathrm{X}[0]
$$

Refer also to matrix_2.dsn and matrix_2.dds in /examples/Tutorial/express_meas_prj.

## Multidimensional Sweeps and Indexing

Refer also to multi_dim_1.dsn and multi_dim_1.dds in /examples / Tutorial/express_meas_prj.
In the previous examples we looked at single-dimensional sweeps. Multidimensional sweeps can be generated by the simulator by using multiple parameter sweeps.

Expressions are designed to operate on the multidimensional data. Functions and operators behave in a meaningful way when a parameter sweep is added or taken away. A common example is DC IV characteristics.

The sweep indexer accepts a list of indices. Up to $N$ indices are used to index N -dimensional data. If fewer than $N$ lookup indices are used with the sweep indexer, then wildcards are inserted automatically to the left. This is best explained by referring to the above example files.

## Working with Harmonic Balance (HB) Data

Refer also to hb_1.dds
in /examples / Tutorial/express_meas_prj.
Harmonic balance analysis produces complex voltages and currents as a function of frequency or harmonic number. A single analysis produces 1-dimensional data. Individual harmonic components can be indexed by means of "[ ]." Multitone HB also produces 1-dimensional data. Individual harmonic components can be indexed as usual by means of "[ ]." However. the "mix" function provides as convenient way to select a particular mixing component (for a list of functions, refer to List of Functions).

## Working with Transient Data

## Refer also to tran_1.dsn and tran_1.dds in /examples / Tutorial/express_meas_prj.

Transient analysis produces real voltages and currents as a function of time. A single analysis produces 1-dimensional data. Sections of time-domain waveforms can be indexed by using a sequence within "[ ]."

## Working with Envelope Data

Refer also to env_1.dds
in /examples / Tutorial/express_meas_prj.
Envelope analysis produces complex frequency spectra as a function of time. A single envelope analysis can produce 2-dimensional data where the outermost independent variable is time and the innermost is frequency or harmonic number. Indexing can be used to look at a harmonic against time, or a spectrum at a particular time index.

## if-then-else Construct

Refer also to if_then_else_1.dds in /examples / Tutorial/express_meas_prj.
The if-then-else construct provides an easy way to apply a condition on a per-element basis over a complete multidimensional variable. It has the following syntax:

A $=\mathbf{i f}($ condition ) then true_expression else false_expression
Condition, true_expression, and false_expression are any valid expressions. The dimensionality and number of points in these expressions follow the same matching conditions required for the basic operators.

Multiple nested if-then-else constructs can also be used:
A = if (condition ) then true_expression elseif (condition2) then true_expression else false_expression

The type of the result depends on the type of the true and false expressions. The size of the result depends on the size of the condition, the true expression, and the false expression.

The if-then-else construct can be used in a MeasEqn component on a schematic. It has the following syntax:

$$
\mathrm{A}=\mathbf{i f}(\text { condition }) \text { then true_expression else false_expression }
$$

## Generating Data

Refer also to gen_1.dds in /examples / Tutorial/express_meas_prj.

The simulator produces scalars and matrices. When a sweep is being performed it can produce scalars and matrices as a function of a set of swept variables. It is also possible to generate data by using expressions. Two operators can be used to do this. The first is the sweep generator "[ ]," and the second is the matrix generator "\{ \}." These operators can be combined in various ways to produce swept scalars and matrices. The data can then be used in the normal way in other expressions. The operators can also be used to concatenate existing data, which can be very useful when combined with the indexing operators.

## Operator Precedence

Expressions are evaluated from left to right, unless there are parentheses. Operators are listed from higher to lower precedence. Operators on the same line have the same precedence. For example, $a+b^{*} c$ means $a+\left(b^{*} c\right)$, because * has a higher precedence than +. Similarly, $a+b-c$ means ( $a+b$ )-c, because + and - have the same precedence (and because + is left-associative).

The operators !, \&\&, and || work with the logical values. The operands are tested for the values TRUE and FALSE, and the result of the operation is either TRUE or FALSE. In AEL a logical test of a value is TRUE for non-zero numbers or strings with non-zero length, and FALSE for 0.0 (real), 0 (integer), NULL or empty strings. Note that the right hand operand of \&\& is only evaluated if the left hand operand tests TRUE, and the right hand operand of II is only evaluated if the left hand operand tests FALSE.

The operators $>=,<=,>,<,==,!=$, AND, OR, EQUALS, and NOT EQUALS also produce logical results, producing a logical TRUE or FALSE upon comparing the values of two expressions. These operators are most often used to compare two real numbers or integers. These operators operate differently in AEL than C with string expressions in that they actually perform the equivalent of $\operatorname{strcmp}()$ between the first and second operands, and test the return value against 0 using the specified operator.

Table 2-1. Operator Precedence

| Operator | Name | Example |
| :--- | :--- | :--- |
| ( ) | function call, matrix indexer | foo(expr_list) <br> X(expr,expr) |
| [ ] | sweep indexer, sweep generator | X[expr_list] <br> [expr_list] |
| $\}$ | matrix generator | \{expr_list\} |
| ** | exponentiation | expr*expr |
| $!$ | not | !expr |
| * <br> /* <br> .* <br> ./ | multiply <br> divide <br> element-wise multiply <br> element-wise divide | expr *expr <br> expr / expr <br> expr.* expr <br> expr ./ expr |
| + | add <br> subtract | expr + expr <br> expr - expr |
| - |  |  |

Table 2-1. Operator Precedence (continued)

| Operator | Name | Example |
| :--- | :--- | :--- |
| $::$ | sequence operator <br> wildcard | exp::expr::expr <br> start::inc::stop <br> $::$ |
| $<$ | less than <br> less than or equal to <br> greater than |  |
| $>$ |  |  |
| $>=$ | greater than or equal to | expr < expr <br> expr <= expr <br> expr $>$ expr <br> expr $>=$ expr |
| $==$ <br> $!=$ | equal <br> not equal | expr $==$ expr <br> expr != expr |
| $\& \&$ | logical and | expr \&\& expr |
| $\\|$ | logical or | expr \\|| expr |

## Built-in Constants

The following constants can be used in expressions.
Table 2-2. Built-in Constants

| Constant | Description | Value |
| :--- | :--- | :--- |
| PI (also pi) | p | 3.1415926535898 |
| e | Euler's constant | 2.718281822 |
| In10 | natural log of 10 | 2.302585093 |
| boltzmann | Boltzmann's constant | $1.380658 \mathrm{e}-23$ <br> $\mathrm{~J} /$ degree K |
| qelectron | electron charge | $1.60217733 \mathrm{e}-19 \mathrm{C}$ |
| planck | Planck's constant | $6.6260755 \mathrm{e}-34 \mathrm{~J}-\mathrm{sec}$ |
| c0 | Speed of light in free space | $2.99792 \mathrm{e}+08 \mathrm{~m} / \mathrm{sec}$ |
| e0 | Permittivity of free space | $8.85419 \mathrm{e}-12 \mathrm{~F} / \mathrm{m}$ |
| u 0 | Permeability of free space | $12.5664 \mathrm{e}-07 \mathrm{H} / \mathrm{m}$ |
| $\mathrm{i}, \mathrm{j}$ | sqrt(-1) | i |

## Budget Measurement Analysis

Budget analysis determines the signal and noise performance for elements in the top-level design. Therefore, it is a key element of system analysis. Budget measurements show performance at the input and output pins of the top-level system elements. This enables the designer to adjust, for example, the gains at various components, to reduce nonlinearities. These measurements can also indicate the degree to which a given component can degrade overall system performance.
Budget measurements are performed upon data generated during a special mode of circuit simulation. AC and HB simulations are used in budget mode depending upon if linear or nonlinear analysis is needed for a system design. The controllers for these simulations have a flag called, "OutputBudgetIV" which must be set to "yes" for the generation of budget data. Alternatively, the flag can be set by editing the AC or HB simulation component and selecting the "Perform Budget simulation" button on the Parameters tab.

Budget data contains signal voltages and currents, and noise voltages at every node in the top level design. Budget measurements are functions that operate upon this data to characterize system performance parameters including gain, power, and noise figure. These functions use a constant reference impedance for all nodes for calculations. By default this impedance is 50 Ohms . The available source power at the input network port is assumed to equal the incident power at that port.

Budget measurements are available in the schematic and the data display windows. The budget functions can be evaluated by placing the budget components from Simulation-AC or Simulation-HB palettes on the schematic. The results of the budget measurements at the terminal(s) are sorted in ascending order of the component names. The component names are attached to the budget data as additional dependent variables. To use one of these measurements in the data display window, first reference the appropriate data in the default dataset, and then use the equation component to write the budget function.

Note The budget function can refer only to the default dataset, that is, the dataset selected in the data display window.

## Frequency Plan

A frequency plan of the network is determined for budget mode AC and HB simulations. This plan tracks the reference carrier frequency at each node in a
network. When performing HB budget, there may be more than one frequency plan in a given network. This is the case when double side band mixers are used. Using this plan information, budget measurements are performed upon selected reference frequencies, which can differ at each node. When mixers are used in an AC simulation, be sure to set the "Enable AC frequency conversion" option on the controller, to generate the correct plan.
The budget measurements can be performed on arbitrary networks with multiple signal paths between the input and output ports. As a result, the measurements can be affected by reflection and noise generated by components placed between the terminal of interest and the output port on the same signal path or by components on different signal paths.

## Reflection and Backward-Traveling Wave Effects

The effects of reflections and backward-traveling signal and noise waves generated by components along the signal path can be avoided by inserting a forward-traveling wave sampler between the components. A forward-traveling wave sampler is an ideal, frequency-independent directional coupler that allows sampling of forward-traveling voltage and current waves

This sampler can be constructed using the equation-based linear three-port S-parameter component. To do this, set the elements of the scattering matrix as follows: $S 12=S 21=S 31=1$, and all other $S i j=0$. The temperature parameter is set to -273.16 deg C to make the component noiseless. A noiseless shunt resistor is attached to port 3 to sample the forward-traveling waves.

## MeasEqn

By placing a MeasEqn (simulation measurement equation) component on the schematic, you can write an equation that can be evaluated, following a simulation, and displayed in a Data Display window.

## Instance Name

Displays and edits the name of the MeasEqn component. You can place more than one MeasEqn component on the schematic.

## Select Parameter

Selects an equation for editing.

Add Adds an equation to the Select Parameter field.
Cut Deletes an equation from the Select Parameter field.
Paste Copies an equation that has been cut and places it in the Select Parameter field.

## Meas

Enter your equation in this field.

## Display parameter on schematic

Displays or hides a selected equation on the schematic.

## Component Options

Refer to Component Options.

## User-Defined Functions

By writing some AEL code, you can define your own custom functions. A file called user_defined_fun.ael has been set aside for this purpose in the directory expressions / ael/. By looking at the other fun.ael files, you can see how to write your code. You can have as many functions as you like in this one file, and they will all be compiled upon program start-up. If you have a large number of functions to define, you may want to organize them into more than one file. In this case, in order to have your functions all compile, you will need to include a line such as

```
load("more_user_defined_fun.ael");
```

in the expressions_init.ael file in the same directory.

## Chapter 3: MeasEqn Function Reference

This chapter lists and describes the MeasEqn functions that are available within the Advanced Design System. These functions include mathematical functions such as those for matrix conversion, trigonometry, absolute value, and the like. They also include functions specific to simulation, such as S-parameter functions and budget measurement components.

The tables in this chapter indicate whether or not a function is available as a built-in measurement from a palette in the design window. Although they have been designed to make simulation convenient, the built-in measurement items can also be edited by the user to meet specific requirements.

For more information on how to interpret this material, see Chapter 2, Using the MeasEqn Function Reference.

## abcdtoh

## Purpose

## Performs ABCD-to-H conversion

## Synopsis

abcdtoh(A)
where A is the chain (ABCD) matrix of a 2-port network.

## Examples

$\mathrm{h}=\mathrm{abcdtoh}(\mathrm{a})$

## Used in

Small-signal and large-signal S-parameter simulations.

## Available as measurement component?

This equation can be entered by means of a MeasEqn component in S_Param Simulation and LSSP Simulation palettes in the Schematic window. There is no explicit measurement component.

## Defined in

AEL, network_fun.ael

## See also

htoabcd, abcdtoh, abcdtoz

## Description

This measurement transforms the chain (ABCD) matrix of a 2-port network to a hybrid matrix.

## abcdtos

## Purpose

## Performs ABCD-to-S conversion

## Synopsis

abcdtos(A, zRef)
where $A$ is the chain (ABCD) matrix of a 2-port network and zRef is a reference impedance.

## Examples

$\mathrm{s}=\mathrm{abcdtos}(\mathrm{a}, 50)$
Used in
Small-signal and large-signal S-parameter simulations

## Available as measurement component?

This equation can be entered by means of a MeasEqn component in S_Param Simulation and LSSP Simulation palettes in the Schematic window. There is no explicit measurement component.

## Defined in

AEL, network_fun.ael

## See also

stoabcd, abcdtoy, abcdtoz

## Description

This measurement transforms the chain (ABCD) matrix of a 2-port network to a scattering matrix.

## abcdtoy

## Purpose

## Performs ABCD-to-Y conversion

## Synopsis

abcdtoy (A)
where A is the chain (ABCD) matrix of a 2-port network.

## Examples

$\mathrm{y}=\operatorname{abcdtoy}(\mathrm{a})$

## Used in

Small-signal and large-signal S-parameter simulations

## Available as measurement component?

This equation can be entered by means of a MeasEqn component in S_Param. Simulation and LSSP Simulation palettes in the Schematic window. There is no explicit measurement component.

## Defined in

AEL, network_fun.ael

## See also

ytoabcd, abcdtoz, abcdtoh

## Description

This measurement transforms the chain (ABCD) matrix of a 2-port network to an admittance matrix.

## abcdtoz

## Purpose

## Performs ABCD-to-Z conversion

## Synopsis

abcdtoz(A)
where A is the chain ( ABCD ) matrix of a 2-port network.

## Examples

$\mathrm{z}=\operatorname{abcdtoz}(\mathrm{a})$
Used in
Small-signal and large-signal S-parameter simulations

## Available as measurement component?

This equation can be entered by means of a MeasEqn component in S_Param Simulation and LSSP Simulation palettes in the Schematic window. There is no explicit measurement component.

## Defined in

AEL, network_fun.ael

## See also

ztoabcd, abcdtoy, abcdtoh

## Description

This measurement transforms the chain (ABCD) matrix of a 2-port network to impedance matrix.

## abs

Returns the absolute value of a real number or an integer. In the case of a complex number, the abs function:

- accepts one complex argument.
- returns a positive real number.
- returns the magnitude of its complex argument.


## Synopsis

$$
y=\operatorname{abs}(x)
$$

where x is an integer or real number.

## Examples

$$
\mathrm{a}=\operatorname{abs}(-45)
$$

returns 45

## Used in

## Not applicable

## Available as measurement component?

## Not applicable

## Defined in

Built in
See also
cint, exp, float, int, $\log , \log 10$, pow, sgn, sqrt

## acos

## Purpose

Returns the inverse cosine, or arc cosine, in radians, of a real number or integer Synopsis

$$
y=\operatorname{acos}(x)
$$

where x is an integer or real number, and y ranges from 0 to pi.

## Examples

$\mathrm{a}=\operatorname{acos}(-1)$
returns 3.142
Used in
Not applicable

## Available as measurement component?

Not applicable
Defined in
Built in

## See also

asin, atan, atan2

## acpr_vi

## Purpose

Computes the adjacent-channel power ratio following a Circuit Envelope simulation

## Synopsis

ACPRvals=acpr_vi(voltage, current, mainCh, lowerAdjCh, upperAdjCh, winType, winConst)
where
voltage is the single complex voltage spectral component (for example, the fundamental) across a load versus time;
current is the single complex current spectral component into the same load versus time;
mainCh is the two-dimensional vector defining the main channel frequency limits (as an offset from the single voltage and current spectral component);
lowerAdjCh is the two-dimensional vector defining the lower adjacent-channel frequency limits (as an offset from the single voltage and current spectral component);
upperAdjCh is the two-dimensional vector defining the upper adjacent channel frequency limits (as an offset from the single voltage and current spectral component);
winType is an optional window type and must be one of the following: Kaiser, Hamming, Gaussian, 8510, or NoWindow (leaving this field blank is the equivalent of NoWindow); and
winConst is an optional parameter that affects the shape of the applied window. The default window constants are:

Kaiser: 7.865
Hamming: 0.54
Gaussian: 0.75
8510: 6 (The 8510 window is the same as a Kaiser window with a window constant of 6.)

## Examples

## Example equations

VloadFund = vload[1]
IloadFund = iload.i[1]
mainlimits $=\{-16.4 \mathrm{kHz}, 16.4 \mathrm{kHz}\}$
UpChlimits $=\{$ mainlimits $+30 \mathrm{kHz}\}$
LoChlimits $=\{$ mainlimits $-30 \mathrm{kHz}\}$
TransACPR = acpr_vi(VloadFund, IloadFund, mainlimits, LoChlimits, UpChlimits,
"Kaiser")
where vload is the named connection at a load, and iload.i is the name of the current probe that samples the current into the node. The $\}$ braces are used to define vectors, and the upper channel limit and lower channel limit frequencies do not need to be defined by means of the vector that defines the main channel limits.

## Example file

examples/RF_Board/NADC_PA_prj/NADC_PA_ACPRtransmitted.dds
Used in
Adjacent-channel power computations

## Available as measurement component?

Equations listed under Description can be entered by means of a MeasEqn component in the Schematic window. There is no explicit ACPR measurement function.

## Defined in

hpeesof/expressions/ael/digital_wireless_fun.ael

## See also

acpr_vr, channel_power_vi, channel_power_vr, relative_noise_bw

## Description

The user must supply a single complex voltage spectral component (for example, the fundamental) across a load versus time and a single complex current spectral component into the same load. The user must also supply the upper and lower adjacent-channel and main-channel frequency limits, as offsets from the spectral component frequency of the voltage and current. These frequency limits must be
entered as two-dimensional vectors. An optional window and window constant may also be supplied, for use in processing nonperiodic data.

## acpr_vr

## Purpose

Computes the adjacent-channel power ratio following a Circuit Envelope simulation

## Synopsis

ACPRvals=acpr_vr(voltage, resistance, mainCh, lowerAdjCh, upperAdjCh, winType, winConst)
where
voltage is the single complex voltage spectral component (for example, the fundamental) across a resistive load versus time;
resistance is the load resistance in ohms (default is 50 ohms );
mainCh is the two-dimensional vector defining the main-channel frequency limits (as an offset from the single voltage and current spectral component);
lowerAdjCh is the two-dimensional vector defining the lower adjacent-channel frequency limits (as an offset from the single voltage spectral component); upperAdjCh is the two-dimensional vector defining the upper adjacent-channel frequency limits (as an offset from the single voltage spectral component); winType is an optional window type and must be one of the following: Kaiser, Hamming, Gaussian, 8510, or NoWindow (leaving this field blank is the equivalent of NoWindow); and
winConst is an optional parameter that affects the shape of the applied window. The default window constants are:

Kaiser: 7.865
Hamming: 0.54
Gaussian: 0.75
8510: 6 (The 8510 window is the same as a Kaiser window with a window constant of 6.)

## Examples

## Example equations

Vfund $=$ vOut[1]
mainlimits $=\{-(1.2288 \mathrm{MHz} / 2),(1.2288 \mathrm{MHz} / 2)\}$

```
UpChlimits \(=\{885 \mathrm{kHz}, 915 \mathrm{kHz}\}\)
LoChlimits \(=\{-915 \mathrm{kHz},-885 \mathrm{kHz}\}\)
TransACPR = acpr_vr(VloadFund, 50, mainlimits, LoChlimits, UpChlimits, "Kaiser")
where vOut is the named connection at a resistive load. The \(\}\) braces are used to
define vectors.
```

> Note vOut is a named connection on the schematic. Assuming that a Circuit Envelope simulation was run, vOut is output to the dataset as a two-dimensional matrix. The first dimension is time, and there is a value for each time point in the simulation. The second dimension is frequency, and there is a value for each fundamental frequency, each harmonic, and each mixing term in the analysis, as well as the baseband term.

vOut[1] is the equivalent of vOut[::, 1], and specifies all time points at the lowest non-baseband frequency (the fundamental analysis frequency, unless a multitone analysis has been run and there are mixing products). For former MDS users, the notation "vOut[*, 2]" in MDS corresponds to the ADS notation of "vOut[1]".

## Example file

examples/Tutorial/ModSources_prj/IS95RevLinkSrc.dds

## Used in

Adjacent-channel power computations

## Available as measurement component?

Equations listed under Description can be entered by means of a MeasEqn component in the Schematic window. There is no explicit ACPR measurement function.

Defined in
hpeesof/expressions/ael/digital_wireless_fun.ael

## See also

acpr_vi, channel_power_vi, channel_power_vr, relative_noise_bw

## Description

The user must supply a single complex voltage spectral component (for example, the fundamental) across a resistive load versus time and the load resistance. The user must also supply the upper and lower adjacent-channel and main-channel frequency limits, as offsets from the spectral component frequency of the voltage. These frequency limits must be entered as two-dimensional vectors. An optional window and window constant may also be supplied, for use in processing nonperiodic data.

## add_rf

## Purpose

Returns the sum of two Timed Complex Envelope signals defined by the triplet in-phase (real or $\mathrm{I}(\mathrm{t})$ ) and quadrature-phase (imaginary or $\mathrm{Q}(\mathrm{t})$ ) part of a modulated carrier frequency $(\mathrm{Fc})$

## Synopsis

y = add_rf(T1, T2)
where T1 and T2 are two Timed Complex Envelope signals at two distinct carrier frequencies Fc 1 and Fc 2 .

## Examples

y= add_rf(T1, T2)

## Used in

Signal processing designs that output Timed Signals using Timed Sinks

## Available as measurement component?

Not applicable

## Defined in

AEL, signal_proc_fun.ael

## See also

Not applicable

## Description

This equation determines the sum of two Timed Complex Envelope at a new carrier frequency Fc 3 . Given Fc 1 and Fc 2 as the carrier frequencies of the two input waveforms, the output carrier frequency Fc 3 will be the greater of the two.

## asin

## Purpose

Returns the inverse sine, or arc sine, in radians, of a real number or integer Synopsis
$\mathrm{y}=\operatorname{asin}(\mathrm{x})$
where x is an integer or real number and y ranges from $-\mathrm{pi} / 2$ to $\mathrm{pi} / 2$.

## Examples

$\mathrm{a}=\operatorname{asin}(-1)$
returns -1.571
Used in
Not applicable

## Available as measurement component?

Not applicable
Defined in
Built in

## See also

acos, atan, atan 2

## atan

## Purpose

Returns the inverse tangent, or arc tangent, in radians, of a real number or integer Synopsis

$$
\mathrm{y}=\operatorname{atan}(\mathrm{x})
$$

where x is a real number or integer and y ranges from $-\mathrm{pi} / 2$ to $\mathrm{pi} / 2$.

## Examples

$\mathrm{a}=\operatorname{atan}(-1)$
returns -0.785
Used in
Not applicable

## Available as measurement component?

Not applicable
Defined in
Built in

## See also

acos, asin, atan2

## atan2

## Purpose

Returns the inverse tangent, or arc tangent, of the rectangular coordinates $y$ and $x$

## Synopsis

$$
\mathrm{w}=\operatorname{atan} 2(\mathrm{y}, \mathrm{x})
$$

where y and x are integer or real number coordinates, and w ranges from -pi to pi. $\operatorname{atan} 2(0,0)$ defaults to -pi/2.

## Examples

$$
\mathrm{a}=\operatorname{atan} 2(1,0)
$$

$$
\text { returns } 1.571
$$

Used in
Not applicable

## Available as measurement component?

Not applicable
Defined in
Built in
See also
acos, asin, atan

## ber_pi4dqpsk

## Purpose

Returns the symbol probability of error versus signal-to-noise ratio per bit for pi/4 DQPSK modulation

## Synopsis

data $=$ ber_pi4dqpsk(vIn, vOut, symRate, noise $\{$, samplingDelay, rotation, tranDelay, pathDelay\})
where
$v I n$ and $v O u t$ are the complex envelope voltage signals at the input and output nodes, respectively, symRate is the symbol rate (real) of the modulation signal, and noise is the RMS noise vector.

The remaining arguments are optional and will be calculated if not specified by the user: pathDelay is the delay from input to output in seconds, rotation is the carrier phase in radians, and samplingDelay is the clock phase in seconds.
tranDelay is an optional time in seconds that causes this time duration of symbols to be eliminated from the bit error rate calculation. Usually the filters in the simulation have transient responses, and the bit error rate calculation should not start until these transient responses have finished.
Note that ber_pi4dqpsk returns a list of data:

$$
\begin{aligned}
& \text { data }[0]=\text { symbol probability of error versus Eb / N0 } \\
& \text { data[1]= path delay in seconds } \\
& \text { data[2] = carrier phase in radians } \\
& \text { data }[3]=\text { clock phase in seconds } \\
& \text { data[4] }=\text { complex(Isample, Qsample) }
\end{aligned}
$$

## Examples

y= ber_pi4dqpsk(videal[1], vout[1], 0.5 e 6, \{0.1::-0.01::0.02\})

## Used in

Circuit Envelope simulation, Data Flow simulation

## Available as measurement component?

Not applicable

## Defined in

AEL, digital_wireless_fun.ael

## See also

ber_qpsk, constellation

## Description

The arguments $v$ In and $v$ Out usually come from a circuit envelope simulation, while noise usually comes from a harmonic balance simulation, and is assumed to be additive white Gaussian. It can take a scalar or vector value. The function uses the quasi-analytic approach for estimating BER: for each symbol, Eb / N0 and BER are calculated analytically; then the overall BER is the average of the BER values for the symbols.

## ber_qpsk

## Purpose

Returns the symbol probability of error versus signal-to-noise ratio per bit for QPSK modulation

## Synopsis

data $=$ ber_qpsk(vIn, vOut, symRate, noise\{, samplingDelay, rotation, tranDelay, pathDelay\})
where
$v I n$ and $v O u t$ are the complex envelope voltage signals at the input and output nodes, respectively, symRate is the symbol rate (real) of the modulation signal, and noise is the RMS noise vector.

The remaining arguments are optional and will be calculated if not specified by the user: pathDelay is the delay from input to output in seconds, rotation is the carrier phase in radians, and samplingDelay is the clock phase in seconds.
tranDelay is an optional time in seconds that causes this time duration of symbols to be eliminated from the bit error rate calculation. Usually the filters in the simulation have transient responses, and the bit error rate calculation should not start until these transient responses have finished.

Note that ber_qpsk returns a list of data:

$$
\begin{aligned}
& \text { data }[0]=\text { symbol probability of error versus Eb / N0 } \\
& \text { data }[1]=\text { path delay in seconds } \\
& \text { data }[2]=\text { carrier phase in radians } \\
& \text { data }[3]=\text { clock phase in seconds } \\
& \text { data }[4]=\text { complex(Isample, Qsample) }
\end{aligned}
$$

## Examples

$\mathrm{y}=$ ber_qpsk(videal[1], vout[1], $1 \mathrm{e} 6,\{0.15::-0.01:: 0.04\}$ )

## Used in

Circuit Envelope simulation, Data Flow simulation

## Available as measurement component?

Not applicable

## Defined in

AEL, digital_wireless_fun.ael

## See also

ber_pi4dqpsk, constellation

## Description

The arguments vIn and vOut usually come from a circuit envelope simulation, while noise usually comes from a harmonic balance simulation, and is assumed to be additive white Gaussian. It can take a scalar or vector value. The function uses the quasi-analytic approach for estimating BER: for each symbol, Eb / N0 and BER are calculated analytically; then the overall BER is the average of the BER values for the symbols.

## bud_freq <br> Purpose

Returns the frequency plan of a network

## Synopsis

bud_freq(\{freqIn, pinNumber, "simName"\})
or
bud_freq(planNumber\{, pinNumber\})
This function is used in AC and HB simulations with the budget parameter turned on. For AC, the options are to pass no parameters, or the input source frequency freqIn, for the first parameter if a frequency sweep is performed. freqIn can still be passed if no sweep is performed, table data is just formatted differently. The first argument must be a real number for AC data and the second argument is an integer, used optionally to choose pin references.

Note To use bud_freq() in AC simulation, the AC controller FreqConversion flag must be set to "yes".

When using this function with HB data, the planNumber is required. The planNumber is an integer which represents the chosen frequency plan.

For both analyses, the second parameter is the pinNumber, which is used to choose which pins of each network element are referenced. If 1 is passed as the pinNumber, the frequency plan displayed references pin 1 of each element; otherwise, the frequency plan is displayed for all pins of each element. (Note that this means it is not possible to select only pin 2 of each element, for example.) By default, the frequency plan is displayed for pin 1 of each element.
"simName" is the simulation instance name, such as "AC1" or "HB1", used to qualify the data when multiple simulations are performed.

## Examples

x = bud_freq()
Returns frequency plan for AC analysis.
$x=$ bud_freq( 1 MHz )
Returns frequency plan for frequency swept AC analysis. By passing the value of

1 MHz the plan is returned for the subset of the sweep, when the source value is 1 MHz
$\mathrm{x}=\mathrm{bud}$ _freq(2)
For HB, returns a selected frequency plan, 2, with respect to pin 1 of every network element.

## Used in

AC and harmonic balance simulations

# Available as measurement component? 

BudFreq
Defined in
AEL, budget_fun.ael

## See also

Not applicable

## Description

When a frequency sweep is performed in conjunction with AC, the frequency plan of a particular sweep point can be chosen.

For HB, this function determines the fundamental frequencies at the terminal(s) of each component, thereby given the entire frequency plan for a network. Sometimes more than one frequency plan exists in a network. For example when double sideband mixers are used. This function gives the user the option of choosing the frequency plan of interest.

Note that a negative frequency at a terminal means that a spectral inversion has occurred at the terminal. For example, in frequency-converting AC analysis, where vIn and vOut are the voltages at the input and output ports, respectively, the relation may be either vOut=alpha*vIn if no spectral inversion has occurred, or vOut=alpha*conj(vIn) if there was an inversion. Inversions may or may not occur depending on which mixer sidebands one is looking at.

[^0]
## bud_gain

## Purpose

Returns budget transducer-power gain

## Synopsis

bud_gain(vIn, iIn\{, Zs, Plan, pinNumber, "simName"\})
or
bud_gain("SourceName", \{SrcIndx, Zs, Plan\})
where vIn and iIn are the input voltage and the input current (flowing into the input port), respectively. "SourceName" is the component name at the input port, and SrcIndx is the frequency index that corresponds to the source frequency to determine which frequency to use from a multitone source as the reference signal. The input source port impedance Zs is an optional parameter. If not specified, Zs is set to 50.0 ohms. Plan is the number of the selected frequency plan, which is only needed for HB.

Note that for AC simulation, both the SrcIndx and Plan arguments must not be specified; these are for HB only.
pinNumber is used to choose which pins of each network element are referenced. If 1 is passed as the pinNumber, the results at pin 1 of each element are returned; otherwise, the results for all pins of each element are returned. By default, the pinNumber is set to 1 .
"simName" is the simulation instance name, such as "AC1" or "HB1", used to qualify the data when multiple simulations are performed.

## Examples

x = bud_gain(PORT1.t1.v, PORT1.t1.i)
or
x = bud_gain("PORT1")
y= bud_gain(PORT1.t1.v, PORT1.t1.i, 75)
or
y= bud_gain("PORT1", , 75., 1)
$\mathrm{z}=$ bud_gain(PORT1.t1.v[3], PORT1.t1.i[3], , 1)
or
z= bud_gain("PORT1", 3, , 1)
Used in
AC and harmonic balance simulations

## Available as measurement component?

BudGain
Defined in
AEL, budget_fun.ael

## See also

bud_gain_comp

## Description

This is the power gain (in dB ) from the input port to the terminal(s) of each component, looking into that component. Power gain is defined as power delivered to the resistive load minus the power available from the source. Note that the fundamental frequency at different pins can be different. If vIn and iIn are passed directly, one may want to use the index of the frequency sweep explicitly to reference the input source frequency.

Note Remember that the budget function can refer only to the default dataset, that is, the dataset selected in the data display window.

## bud_gain_comp Purpose

Returns budget gain compression at fundamental frequencies as a function of power

## Synopsis

bud_gain_comp(vIn, iIn\{, Zs, Plan, freqIndex, pinNumber, "simName"\})
or
bud_gain_comp("SourceName", SrcIndx\{, Zs, Plan, freqIndex, pinNumber, "simName"\})
where vIn and iIn are the input voltage and the input current (flowing into the input port), respectively. SrcIndx is the frequency index that corresponds to the source frequency to determine which frequency to use from a multitone source as the reference signal. Zs is an optional input port impedance whose default value is 50.0 ohms. Plan is the number of the selected frequency plan, which is only needed for HB.

If Plan is not selected, the gain compression is calculated at the harmonic frequency selected by freqIndex
pinNumber is used to choose which pins of each network element are referenced. If 1 is passed as the pinNumber, the results at pin 1 of each element are returned; otherwise, the results for all pins of each element are returned. By default, the pinNumber is set to 1 .
"simName" is the simulation instance name, such as "AC1" or "HB1", used to qualify the data when multiple simulations are performed.

## Example

x = bud_gain_comp(PORT1.t1.v[3], PORT1.t1.i[3], , 1)
x = bud_gain_comp("PORT1", 3, , 1)
returns the gain compression at the fundamental frequencies as a function of power.
y= bud_gain_comp(PORT1.t1.v[3], PORT1.t1.i[3], , , 1)
y= bud_gain_comp("PORT1", 3, , , 1)
returns the gain compression at the second harmonic frequency as a function of power.

## Used in

Harmonic balance simulation with sweep

## Available as measurement component?

## BudGainComp

## Defined in

AEL, budget_fun.ael

## See also

## bud_gain

## Description

This is the gain compression (in dB ) at the given input frequency from the input port to the terminal(s) of each component, looking into that component. Gain compression is defined as the small signal linear gain minus the large signal gain. Note that the fundamental frequency at each element pin can be different by referencing the frequency plan. A power sweep of the input source must be used in conjunction with HB. The first power sweep point is assumed to be in the linear region of operation.

Note Remember that the budget function can refer only to the default dataset, that is, the dataset selected in the data display window.

## bud_gamma Purpose

Returns the budget reflection coefficient

## Synopsis

bud_gamma((Zref, Plan, pinNumber, "simName"))
where Zref is the reference impedance, set to 50.0 ohms by default. Plan is the number of the selected frequency plan, which is only needed for HB.
pinNumber is used to choose which pins of each network element are referenced. If 1 is passed as the pinNumber, the results at pin 1 of each element are returned; otherwise, the results for all pins of each element are returned. By default, the pinNumber is set to 1 .
"simName" is the simulation instance name, such as "AC1" or "HB1", used to qualify the data when multiple simulations are performed.

## Examples

x = bud_gamma()
returns reflection coefficient at all frequencies.
y = bud_gamma( 75,1 )
returns reflection coefficient at reference frequencies in plan 1

## Used in

AC and harmonic balance simulations
Available as measurement component?
BudGamma

## Defined in

AEL, budget_fun.ael

## See also

bud_vswr

## Description

This is the complex reflection coefficient looking into the terminal(s) of each component. Note that the fundamental frequency at different pins can in general be
different, and therefore values are given for all frequencies unless a Plan is referenced.

Note Remember that the budget function can refer only to the default dataset, that is, the dataset selected in the data display window.

## bud_ip3_deg Purpose

Returns the budget third-order intercept point degradation

## Synopsis

bud_ip3_deg(vOut, LinearizedElement, fundFreq, imFreq\{, zRef\})
where vOut is the signal voltage at the output, LinearizedElement is the variable containing the names of the linearized components, fundFreq and imFreq are the harmonic frequency indices for the fundamental and intermodulation frequencies, respectively, and zRef is the reference impedance, set to 50.0 ohms by default.

## Example

y=bud_ip3_deg(vOut, LinearizedElement, $\{1,0\},\{2,-1\})$
returns the budget third-order intercept point degradation

## Used in

Harmonic balance simulation with the BudLinearization Controller

## Available as measurement component?

BudIP3Deg
Defined in
AEL, budget_fun.ael

## See also

ip3_out, ipn

## Description

This measurement returns the budget third-order intercept point degradation from the input port to any given output port. It does this by setting to linear each component in the top-level design, one at a time.
For the components that are linear to begin with, this measurement will not yield any useful information. For the nonlinear components, however, this measurement will indicate how the nonlinearity of a certain component degrades the overall system IP3. To perform this measurement, the BudLinearization Controller needs to be placed in the schematic window. If no component is specified in this controller, all components on the top level of the design are linearized one at a time, and the budget IP3 degradation is computed.

## bud_nf

## Purpose

Returns the budget noise figure

## Synopsis

bud_nf(vIn, iIn, noisevIn\{, Zs, BW, pinNumber, "simName"\})
or
bud_nf("SourceName")
where vIn, iIn, and noisevIn are the signal voltage and current (flowing into the input port) and the noise voltage at the input port, respectively. The input port impedance and the bandwidth are optional parameters. If not specified, $Z s$ and $B W$ are set to 50.0 ohms and 1 Hz , respectively. BW must be set as the value of Bandwidth used on the noise page of the AC controller.
pinNumber is used to choose which pins of each network element are referenced. If 1 is passed as the pinNumber, the results at pin 1 of each element are returned; otherwise, the results for all pins of each element are returned. By default, the pinNumber is set to 1 .
"simName" is the simulation instance name, such as "AC1" or "HB1", used to qualify the data when multiple simulations are performed.

## Example

$\mathrm{x}=$ bud_nf(PORT1.t1.v, PORT1.t1.i, PORT1.t1.v.noise)
$\mathrm{x}=$ bud_nf("PORT1")
Used in
AC simulation

## Available as measurement component?

## BudNF.

## Defined in

AEL, budget_fun.ael

## See also

bud_nf_deg, bud_tn

## Description

This is the noise figure (in dB ) from the input port to the terminal(s) of each component, looking into that component. The noise analysis control parameters in the AC Simulation component must be selected: "Calculate Noise" and "Include port noise". For the source, the parameter "Noise" should be set to yes. The noise figure is always calculated per IEEE standard definition with the input termination at 290 K .

Note Remember that the budget function can refer only to the default dataset, that is, the dataset selected in the data display window.

## bud_nf_deg

## Purpose

Returns budget noise figure degradation

## Synopsis

bud_nf_deg(vIn, iIn, vOut, iOut, vOut.NC.vnc, vOut.NC.name\{, Zs, BW\})
or
bud_nf_deg("PORT1", "Term1", "vOut")
where vIn and iIn are the voltage and current at the input port, and vOut and iOut are the voltage and current at the output port. vOut.NC.vnc and vOut.NC.name are the noise contributions and the corresponding component names at the output port, respectively. The input port impedance, bandwidth, and temperature are optional parameters.

If not specified, $Z s$ and $B W$ are set to 50.0 ohms and 1 Hz , respectively. BW must be set as the value of Bandwidth used on the noise page of the AC controller.

## Example

x = bud_nf_deg(PORT1.t1.v, PORT1.t1.i, Term1.t1.v, Term1.t1.i, vOut.NC.vnc, vOut.NC.name)
x = bud_nf_deg("PORT1", "Term1", "vOut")
Used in
AC simulation

## Available as measurement component?

BudNFDeg

## Defined in

AEL, budget_fun.ael

## See also

bud_nf, bud_tn

## Description

The improvement of system noise figure is given when each element is made noiseless. This is the noise figure (in dB ) from the source port to a specified output
port, obtained while setting each component noiseless, one at a time. The noise analysis and noise contribution control parameters in the AC Simulation component must be selected. For noise contribution, the output network node must be labeled and referenced on the noise page in the AC Controller. Noise contributors mode should be set to "Sort by Name." The option "Include port noise "on the AC Controller should be selected. For the source, the parameter "Noise" should be set to yes. For this particular budget measurement the AC controller parameter "OutputBudgetIV" can be set to no. The noise figure is always calculated per IEEE standard definition with the input termination at 290 K .

Note Remember that the budget function can refer only to the default dataset, that is, the dataset selected in the data display window.

## bud_noise_pwr <br> Purpose

Returns the budget noise power

## Synopsis

bud_noise_pwr(\{Zref, Plan, pinNumber, "simName"\})
where Zref is the reference impedance and Plan is the number of the selected frequency plan, which is only needed for HB.
pinNumber is used to choose which pins of each network element are referenced. If 1 is passed as the pinNumber, the results at pin 1 of each element are returned; otherwise, the results for all pins of each element are returned. By default, the pinNumber is set to 1 .
"simName" is the simulation instance name, such as "AC1" or "HB1", used to qualify the data when multiple simulations are performed.

## Example

x = bud_noise_pwr()
returns the noise power at all frequencies
$\mathrm{y}=$ bud_noise_pwr(75, 1)
returns the noise power at reference frequencies in plan 1

## Used in

AC and harmonic balance simulations
Available as measurement component?
BudNoisePwr

## Defined in

AEL, budget_fun.ael

## See also

bud_pwr

## Description

This is the noise power (in dBm ) at the terminal(s) of each component, looking into the component. If Zref is not specified, the impedance that relates the signal volatage and current is used to calculate the noise power. Note that the fundamental
frequency at different pins can be different, and therefore values are given for all frequencies unless a Plan is referenced.

Note Remember that the budget function can refer only to the default dataset, that is, the dataset selected in the data display window.

## bud_pwr

## Purpose

Returns the budget signal power in dBm

## Synopsis

bud_pwr(\{Plan, pinNumber, "simName" $\}$ )
where Plan is the number of the selected frequency plan, which is only needed for HB.
pinNumber is used to choose which pins of each network element are referenced. If 1 is passed as the pinNumber, the results at pin 1 of each element are returned; otherwise, the results for all pins of each element are returned. By default, the pinNumber is set to 1 .
"simName" is the simulation instance name, such as "AC1" or "HB1", used to qualify the data when multiple simulations are performed.

## Example

x = bud_pwr()
returns the signal power at all frequencies when used in AC or HB simulations
y = bud_pwr(50, 1)
returns the signal power at reference frequencies in plan 1 when used for HB simulations

## Used in

AC and harmonic balance simulations

## Available as measurement component?

Not applicable

## Defined in

AEL, budget_fun.ael

## See also

bud_noise_pwr

## Description

This is the signal power (in dBm ) at the terminal(s) of each component, looking into the component. Note that the fundamental frequency at different pins can be
different, and therefore values are given for all frequencies unless a Plan is referenced.

Note Remember that the budget function can refer only to the default dataset, that is, the dataset selected in the data display window.

## bud_pwr_inc

## Purpose

Returns the budget incident power

## Synopsis

bud_pwr_inc(\{Zref, Plan, pinNumber, "simName")
where Zref is the reference impedance, set to 50.0 ohms by default. Plan is the number of the selected frequency plan, which is only needed for HB.
pinNumber is used to choose which pins of each network element are referenced. If 1 is passed as the pinNumber, the results at pin 1 of each element are returned; otherwise, the results for all pins of each element are returned. By default, the pinNumber is set to 1 .
"simName" is the simulation instance name, such as "AC1" or "HB1", used to qualify the data when multiple simulations are performed.

## Example

x = bud_pwr_inc()
returns incident power at all frequencies
y = bud_pwr_inc $(75,1)$
returns incident power at reference frequencies in plan 1

## Used in

AC and harmonic balance simulations
Available as measurement component?
BudPwrInc

## Defined in

AEL, budget_fun.ael

## See also

bud_pwr_refl

## Description

This is the incident power (in dBm ) at the terminal(s) of each component, looking into the component. Note that the fundamental frequency at different pins can be
different, and therefore values are given for all frequencies unless a Plan is referenced.

Note Remember that the budget function can refer only to the default dataset, that is, the dataset selected in the data display window.

## bud_pwr_refl <br> Purpose

Returns the budget reflected power

## Synopsis

bud_pwr_refl(\{Zref, Plan, pinNumber, "simName"\})
where Zref is the reference impedance, set to 50.0 ohms by default. Plan is the number of the selected frequency plan, which is only needed for HB.
pinNumber is used to choose which pins of each network element are referenced. If 1 is passed as the pinNumber, the results at pin 1 of each element are returned; otherwise, the results for all pins of each element are returned. By default, the pinNumber is set to 1 .
"simName" is the simulation instance name, such as "AC1" or "HB1", used to qualify the data when multiple simulations are performed.

## Example

x = bud_pwr_refl()
returns reflected power at all frequencies
y = bud_pwr_refl(75, 1)
returns reflected power at reference frequencies in plan 1

## Used in

AC and Harmonic balance simulations
Available as measurement component?
BudPwrRefl

## Defined in

AEL, budget_fun.ael

## See also

bud_pwr_inc

## Description

This is the reflected power (in dBm ) at the terminal(s) of each component, looking into the component. Note that the fundamental frequency at different pins can be
different, and therefore values are given for all frequencies unless a Plan is referenced.

Note Remember that the budget function can refer only to the default dataset, that is, the dataset selected in the data display window.

## bud_snr <br> Purpose

Returns the budget signal-to-noise-power ratio

## Synopsis

bud_snr(\{Plan, pinNumber, "simName"\})
where Plan is the number of the selected frequency plan, which is only needed for HB.
pinNumber is used to choose which pins of each network element are referenced. If 1 is passed as the pinNumber, the results at pin 1 of each element are returned; otherwise, the results for all pins of each element are returned. By default, the pinNumber is set to 1 .
"simName" is the simulation instance name, such as "AC1" or "HB1", used to qualify the data when multiple simulations are performed.

## Example

$\mathrm{x}=$ bud_snr()
returns the SNR at all frequencies
or
y = bud_snr(1)
returns the SNR at reference frequencies in plan 1
Used in
AC and harmonic balance simulations

## Available as measurement component?

BudSNR

## Defined in

AEL, budget_fun.ael
See also
Not applicable

## Description

This is the SNR (in dB ) at the terminal(s) of each component, looking into that component. Note that the fundamental frequency at different pins can in general be different, and therefore values are given for all frequencies unless a Plan is referenced. The noise analysis control parameter in the AC and Harmonic Balance Simulation components must be selected. For the AC Simulation component select: "Calculate Noise" and "Include port noise." For the source, the parameter "Noise" should be set to yes. In Harmonic Balance select the "Nonlinear noise" option.

Note Remember that the budget function can refer only to the default dataset, that is, the dataset selected in the data display window.

## bud_tn <br> Purpose

Returns the budget equivalent output-noise temperature

## Synopsis

bud_tn(vIn, iIn, noisevIn\{, Zs, BW, pinNumber, "simName"))
or
bud_tn("SourceName")
where vIn, iIn, and noisevIn are the signal voltage and current (flowing into the input port) and the noise voltage at the input port, respectively. The input port impedance, the bandwidth, and the temperature are optional parameters.
If not specified, $Z s$ and $B W$ are set to 50.0 ohms and 1 Hz , respectively. If the values of $B W$ or Temp used in the simulation are different from their default values, be sure to use their correct values in the budget function. BW must be set as the value of Bandwidth used on the noise page of the AC controller.
pinNumber is used to choose which pins of each network element are referenced. If 1 is passed as the pinNumber, the results at pin 1 of each element are returned; otherwise, the results for all pins of each element are returned. By default, the pinNumber is set to 1 .
"simName" is the simulation instance name, such as "AC1" or "HB1", used to qualify the data when multiple simulations are performed.

## Example

$\mathrm{x}=$ bud_tn(PORT1.t1.v, PORT1.t1.i, PORT1.t1.v.noise)
$\mathrm{x}=$ bud_tn("PORT1")

## Used in

AC simulation

## Available as measurement component?

BudTN
Defined in
AEL, budget_fun.ael

## See also

bud_nf, bud_nf_deg

## Description

This is an equivalent output-noise temperature (in degrees Kelvin) from the input port to the terminal(s) of each component, looking into that component. The noise analysis and noise contribution control parameters in the AC Simulation component must be selected: "Calculate Noise" and "Include port noise." For the source, the parameter "Noise" should be set to yes. The output-noise temperature is always calculated per IEEE standard definition with the input termination at 290 K .

Note Remember that the budget function can refer only to the default dataset, that is, the dataset selected in the data display window.

## bud_vswr <br> Purpose

Returns the budget voltage-standing-wave ratio

## Synopsis

bud_vswr(\{Zref, Plan, pinNumber, "simName")
where Zref is the reference impedance, set to 50.0 ohms by default. Plan is the number of the selected frequency plan, which is only needed for HB.
pinNumber is used to choose which pins of each network element are referenced. If 1 is passed as the pinNumber, the results at pin 1 of each element are returned; otherwise, the results for all pins of each element are returned. By default, the pinNumber is set to 1 .
"simName" is the simulation instance name, such as "AC1" or "HB1", used to qualify the data when multiple simulations are performed.

## Example

x = bud_vswr()
returns the vswr at all frequencies
y = bud_vswr $(75,1)$
returns the vswr at reference frequencies in plan 1

## Used in

AC and harmonic balance simulations
Available as measurement component?

## BudVSWR

## Defined in

AEL, budget_fun.ael

## See also

bud_gamma

## Description

This is the VSWR looking into the terminal(s) of each component. Note that the fundamental frequency at different pins can be different, and therefore values are given for all frequencies unless a Plan is referenced.

Note Remember that the budget function can refer only to the default dataset, that is, the dataset selected in the data display window.

## carr_to_im

## Purpose

Returns the ratio of carrier signal power to IMD power

## Synopsis

carr_to_im(vOut, fundFreq, imFreq)
where vOut is the signal voltage at the output port, and fundFreq and imFreq are the harmonic frequency indices for the fundamental frequency and IMD product of interest, respectively.

## Example

$$
\mathrm{a}=\text { carr_to_im(out, }\{1,0\},\{2,-1\})
$$

Used in
Harmonic balance simulation

## Available as measurement component?

CarrToIM
Defined in
AEL, rf_system_fun.ael

## See also

ip3_out

## Description

This measurement gives the suppression (in dB ) of a specified IMD product below the fundamental power at the output port.

## cdf

## Purpose

Returns the cumulative distribution function

## Synopsis

cdf(data, numBins, minBin, maxBin)
where x is the signal, numBins is the number of subintervals or bins used to measure CDF, and minBin and maxBin are the beginning and end, respectively, of the evaluation of the CDF.

## Example

cdf(data)
cdf(data, 20)

## Used in

Not applicable

## Available as measurement component?

This function can only be entered by means of a Eqn component in the Data Display window. There is no measurement component in schematic window.

## Defined in

AEL, statistical_fun.ael

## See also

histogram, pdf, yield_sens

## Description

This function measures the cumulative distribution function of a signal. The default values for minBin and maxBin are the minimum and the maximum values of the data, and numBins is set to $\log ($ numOfPts $) / \log (2.0)$ by default.

## cdrange

## Purpose

Returns compression dynamic range

## Synopsis

cdrange(nf, inpwr_lin, outpwr_lin, outpwr)
where $n f$ is noise figure at the output port, inpwr_lin and outpwr_lin are input and the output power, respectively, in the linear region, and outpwr is output power at 1 dB compression.

## Example

a = cdrange(nf2, inpwr_lin, outpwr_lin, outpwr)
Used in
XDB simulation
Available as measurement component?
CDRange
Defined in
AEL, rf_system_fun.ael
See also
sfdr

## Description

The compressive dynamic range ratio identifies the dynamic range from the noise floor to the $1-\mathrm{dB}$ gain-compression point. The noise floor is the noise power with respect to the reference bandwidth.

## channel_power_vi

## Purpose

Computes the power (in watts) in an arbitrary frequency channel following a Circuit Envelope simulation

## Synopsis

Channel_power=channel_power_vi(voltage, current, mainCh, winType, winConst) where
voltage is the single complex voltage spectral component (for example, the fundamental) across a load versus time;
current is the single complex current spectral component into the same load versus time;
mainCh is the two-dimensional vector defining channel frequency limits (as an offset from the single voltage and current spectral component (note that these frequency limits do not have to be centered on the voltage and current spectral component frequency);
winType is an optional window type and must be one of the following: Kaiser, Hamming, Gaussian, 8510, or NoWindow (leaving this field blank is the equivalent of NoWindow); and
winConst is an optional parameter that affects the shape of the applied window. The default window constants are:

Kaiser: 7.865
Hamming: 0.54
Gaussian: 0.75
8510: 6 (The 8510 window is the same as a Kaiser window with a window constant of 6.)

## Examples

## Example equations

VloadFund = vload[1]
IloadFund = iload.i[1]
mainlimits $=\{-16.4 \mathrm{kHz}, 16.4 \mathrm{kHz}\}$

Main_Channel_Power = channel_power_vi(VloadFund, IloadFund, mainlimits, Kaiser)
where vload is the named connection at a load, and iload.i is the name of the current probe that samples the current into the node. The $\}$ braces are used to define a vector. Note that the computed power is in watts.

Use the equation
Main_Channel_Power_dBm = 10 * $\log$ (Main_Channel_Power) + 30
to convert the power to dBm . Do not use the dBm function, which operates on voltages.

## Example file

examples/RF_Board/NADC_PA_prj/NADC_PA_ACPRtransmitted.dds

## Used in

Channel power computations

## Available as measurement component?

Equations listed under Description can be entered by means of a MeasEqn component in the Schematic window. There is no explicit channel-power measurement function for use with Circuit Envelope data.

## Defined in

hpeesof/expressions/ael/digital_wireless_fun.ael

## See also

acpr_vi, acpr_vr, channel_power_vr

## Description

The user must supply a single complex voltage spectral component (for example, the fundamental) across a load versus time, and a single complex current spectral component into the same load. The user must also supply the channel frequency limits, as offsets from the spectral component frequency of the voltage and current. These frequency limits must be entered as a two-dimensional vector. An optional window and window constant may also be supplied, for use in processing nonperiodic data.

## channel_power_vr

## Purpose

Computes the power (in watts) in an arbitrary frequency channel following a Circuit Envelope simulation

## Synopsis

Channel_power=channel_power_vr(voltage, resistance, mainCh, winType, winConst) where
voltage is the single complex voltage spectral component (for example, the fundamental) across a resistive load versus time;
resistance is the load resistance in ohms (default is 50 ohms);
mainCh is the two-dimensional vector defining channel frequency limits (as an offset from the single voltage and current spectral component (note that these frequency limits do not have to be centered on the voltage and current spectral component frequency);
winType is an optional window type and must be one of the following: Kaiser, Hamming, Gaussian, 8510, or NoWindow (leaving this field blank is the equivalent of NoWindow); and
winConst is an optional parameter that affects the shape of the applied window. The default window constants are:

Kaiser: 7.865
Hamming: 0.54
Gaussian: 0.75
8510: 6 (The 8510 window is the same as a Kaiser window with a window constant of 6.)

## Example

## Example equations

Vmain_fund = Vmain[1]
mainlimits $=\{-16.4 \mathrm{kHz}, 16.4 \mathrm{kHz}\}$
Main_Channel_Power = channel_power_vr(Vmain_fund, 50, mainlimits, Kaiser)
where Vmain is the named connection at a resistive load ( 50 ohms in this case.) The $\}$ braces are used to define a vector. Note that the computed power is in watts. Use the equation

Main_Channel_Power_dBm = 10 * $\log$ (Main_Channel_Power) +30
to convert the power to dBm . Do not use the dBm function, which operates on voltages.

## Example file

examples/RF_Board/NADC_PA_prj/NADC_PA_ACPRreceived.dds
Used in
Channel power computations

## Available as measurement component?

Equations listed under Description can be entered by means of a MeasEqn component in the Schematic window. There is no explicit channel-power measurement function for use with Circuit Envelope data.

## Defined in

hpeesof/expressions/ael/digital_wireless_fun.ael

## See also

acpr_vi, acpr_vr, channel_power_vi

## Description

The user must supply a single complex voltage spectral component (for example, the fundamental) across a load versus time and the resistance of the load. The user must also supply the channel frequency limits, as offsets from the spectral component frequency of the voltage. These frequency limits must be entered as a two-dimensional vector. An optional window and window constant may also be supplied, for use in processing nonperiodic data.

## chop

## Purpose

Replace numbers in $x$ with magnitude less than $d x$ with 0

## Synopsis

$\mathrm{y}=\operatorname{chop}(\mathrm{x}\{, \mathrm{dx}\})$
then $y=x$ if $\operatorname{mag}(x)>=m a g(d x)$
and $\mathrm{y}=0$ if $\operatorname{mag}(\mathrm{x})<\operatorname{mag}(\mathrm{dx})$
dx is optional, default is $1 \mathrm{e}-10$.
Actually this function is more complicated; it acts independently on the real and complex components of $x$, comparing each to mag(dx)

## Example

chop(1)
1
chop(1e-12)
0
chop(1+1e-12i)
$1+0 \mathrm{i}$
Used in
Not applicable
Available as measurement component?
Not applicable
Defined in
AEL, elementary_fun.ael

## See also

None

## chr

## Purpose

Returns the character representation of an integer

## Synopsis

$$
\mathrm{y}=\operatorname{chr}(\mathrm{x})
$$

where x is a valid ASCII string representing a character.

## Examples

$\mathrm{a}=\operatorname{chr}(64)$
"@"
Used in
Not applicable

## Available as measurement component?

Not applicable
Defined in
Built in

## See also

Not applicable

## circle

## Purpose

Used to draw a circle on a Data Display page. Accepts the arguments center, radius, and number of points. Can only be used on polar plots and Smith charts.

## Synopsis

$$
\mathrm{a}=\operatorname{circle}(\mathrm{x}, \mathrm{y}, \mathrm{z})
$$

where x is the center coordinate (can be a complex number), y is the radius, and z is the number of points

## Examples

$$
x=\operatorname{circle}(1,1,500)
$$

$$
y=\operatorname{circle}\left(1+j^{*} 1,1,500\right)
$$

Used in
Data Display
Available as measurement component?
Not applicable
Defined in
AEL
See also
Not applicable

## cint

## Purpose

Given a noninteger real number, returns a rounded integer

## Synopsis

$$
\mathrm{y}=\operatorname{cint}(\mathrm{x})
$$

where $x$ is a real number to be rounded to an integer.

Note 0.5 rounds up, -0.5 rounds down (up in magnitude).

## Examples

$\mathrm{a}=\operatorname{cint}(45.6)$
46
Used in
Not applicable

## Available as measurement component?

Not applicable

## Defined in

Built in

## See also

abs, exp, float, int, $\log , \log 10$, pow, sgn, sqrt

## cmplx

## Purpose

Given two real numbers representing the real and imaginary components of a complex number, returns a complex number

Note Use the real and imag functions to retrieve the real and imaginary components, respectively. The basic math functions operate on complex numbers.

## Synopsis

$$
\mathrm{y}=\operatorname{cmplx}(\mathrm{x}, \mathrm{y})
$$

where x is the real component and y is the imaginary component.

## Examples

$\mathrm{a}=\operatorname{cmplx}(2,-1)$
$2-1 \mathrm{j}$
Used in
Not applicable

## Available as measurement component?

Not applicable
Defined in
Built in
See also
imag, real

## conj

## Purpose

Returns the conjugate of a complex number

## Synopsis

$$
\mathrm{y}=\operatorname{conj}(\mathrm{x})
$$

where x is a complex number.

## Examples

$\mathrm{a}=\operatorname{conj}\left(3-4{ }^{*} \mathrm{j}\right)$
$3.000+\mathrm{j} 4.000$
or 5.000 / 53.130 in magnitude / degrees
Used in
Not applicable

## Available as measurement component?

Not applicable
Defined in
Built in
See also
mag

## const_evm

## Purpose

Takes the results of a Circuit Envelope simulation and generates the ideal and distorted constellation and trajectory diagrams, as well as the error vector magnitude, in percent, and a plot of the error vector magnitude versus time

## Synopsis

data $=$ const_evm(vfund_ideal, vfund_dist, symbol_rate, sampling_delay, rotation, transient_duration, path_delay)

## where

vfund_ideal is a single complex voltage spectral component (for example the fundamental) that is ideal (undistorted). This could be constructed from two baseband signals instead, by using the function cmplx()].
vfund_dist is a single complex voltage spectral component (for example, the fundamental) that has been distorted by the network being simulated. This could be constructed from two baseband signals instead, by using the function cmplx() . symbol_rate is the symbol rate of the modulation signal.
sampling_delay (if nonzero) throws away the first delay $=N$ seconds of data from the constellation and trajectory plots. It is also used to interpolate between simulation time points, which is necessary if the optimal symbol-sampling instant is not exactly at a simulation time point. Usually this parameter must be nonzero to generate a constellation diagram with the smallest grouping of sample points.
rotation is a user-selectable parameter that rotates the constellations by that many radians. It does not need to be entered, and it will not affect the error-vector-magnitude calculation, because both the ideal and distorted constellations will be rotated by the same amount.
transient_duration is an optional time in seconds that causes this time duration of symbols to be eliminated from the error-vector-magnitude calculation. Usually the filters in the simulation have transient responses, and the error-vector-magnitude calculation should not start until these transient responses have finished.
path_delay is an optional time in seconds of the sum of all delays in the signal path. If the delay is 0 , this parameter may be omitted. If it is non-zero, enter the delay value. This can be calculated by using the function delay_path().

Note that const_evm returns a list of data. So in the above example,

> data[0]= ideal constellation
> data[1]= ideal trajectory
> data[2]= distorted constellation
> data[3]= distorted trajectory
> data[4]= error vector magnitude versus time
> data[5] $=$ percent error vector magnitude

Please refer to the example file listed below to see how these data are plotted.

## Example

## Example equations

rotation $=-0.21$
sampling_delay $=1 /$ sym_rate[0, 0] $-0.5 *$ tstep[0, 0]
vfund_ideal = vOut_ideal[1]
vfund_dist = vOut_dist[1]
symbol_rate $=$ sym_rate[0, 0]
data $=$ const_evm(vfund_ideal, vfund_dist, symbol_rate, sampling_delay, rotation, 1.5 ms , path_delay)
where the parameter sampling_delay can be a numeric value, or in this case an equation using sym_rate, the symbol rate of the modulated signal, and tstep, the time step of the simulation. If these equations are to be used in a Data Display window, sym_rate and tstep must be defined by means of a variable (VAR) component, and they must be passed into the dataset as follows: Make the parameter Other visible on the Envelope simulation component, and edit it so that

$$
\text { Other }=\text { OutVar }=\text { sym_rate OutVar }=\text { tstep }
$$

In some cases, it may be necessary to experiment with the delay value to get the constellation diagrams with the tightest points.

## Example files

examples/RF_Board/NADC_PA_prj/NADC_PA_Test.dsn and ConstEVM.dds and examples/Tutorial/Env_BER_prj/timing_doc.dds.

## Used in

Constellation and trajectory diagram generation and error-vector-magnitude calculation

## Available as measurement component?

Equations listed under Description can be entered by means of a MeasEqn component in the Schematic window. There is no explicit constellation or error-vector-magnitude measurement function.

## Defined in

hpeesof/expressions/ael/digital_wireless_fun.ael

## See also

constellation, delay_path, sample_delay_pi4dqpsk, sample_delay_qpsk

## Description

The user must supply a single complex voltage spectral component (for example, the fundamental) that is ideal (undistorted), as well as a single complex voltage spectral component (for example, the fundamental) that has been distorted by the network being simulated. These ideal and distorted complex voltage waveforms could be generated from baseband I and Q data. The user must also supply the symbol rate, a delay parameter, a rotation factor, and a parameter to eliminate any turn-on transient from the error-vector-magnitude calculation are optional parameters.

The error vector magnitude is computed after correcting for the average phase difference and RMS amplitude difference between the ideal and distorted constellations.

## constellation

## Purpose

Generates the constellation diagram from Circuit Envelope, Transient, or Ptolemy simulation I and Q data.

## Synopsis

Const $=$ constellation(i_data, q_data, symbol_rate, delay)
where
i_data is the in-phase component of data versus time of a single complex voltage spectral component (for example, the fundamental) (this could be a baseband signal instead, but in either case it must be real-valued versus time);
q_data is the quadrature-phase component of data versus time of a single complex voltage spectral component (for example, the fundamental) (this could be a baseband signal instead, but in either case it must be real valued versus time); symbol_rate is the symbol rate of the modulation signal; and delay (if nonzero) throws away the first delay $=N$ seconds of data from the constellation plot. It is also used to interpolate between simulation time points, which is necessary if the optimal symbol-sampling instant is not exactly at a simulation time point. Usually this parameter must be nonzero to generate a constellation diagram with the smallest grouping of sample points.

## Example

## Example equations

Rotation $=-0.21$
Vfund $=\mathrm{vOut}[1] * \exp (\mathrm{j} *$ Rotation $)$
delay $=1 /$ sym_rate[0, 0] $-0.5 *$ tstep $[0,0]$
Vimag = imag(Vfund)
Vreal $=$ real(Vfund)
Const $=$ constellation(Vreal, Vimag, sym_rate[0, 0], delay)
where Rotation is a user-selectable parameter that rotates the constellation by that many radians, and vOut is the named connection at a node. The parameter delay can be a numeric value, or in this case an equation using sym_rate, the symbol rate of the modulated signal, and tstep, the time step of the simulation. If these equations are to be used in a Data Display window, sym_rate and tstep must be defined by means of a variable (VAR) component, and they must be passed into
the dataset as follows: Make the parameter Other visible on the Envelope simulation component, and edit it so that

$$
\text { Other }=\text { OutVar }=\text { sym_rate OutVar }=\text { tstep }
$$

In some cases, it may be necessary to experiment with the value of delay to get the constellation diagram with the tightest points.

Note vOut is a named connection on the schematic. Assuming that a Circuit Envelope simulation was run, vOut is output to the dataset as a two-dimensional matrix. The first dimension is time, and there is a value for each time point in the simulation. The second dimension is frequency, and there is a value for each fundamental frequency, each harmonic, and each mixing term in the analysis, as well as the baseband term.
$\operatorname{vOut}[1]$ is the equivalent of vOut[::, 1], and specifies all time points at the lowest non-baseband frequency (the fundamental analysis frequency, unless a multitone analysis has been run and there are mixing products). For former MDS users, the notation "vOut[*, 2]" in MDS corresponds to the ADS notation of "vOut[1]".

## Example files

examples/RF_Board/NADC_PA_prj/ConstEVMslow.dds
examples/Tutorial/ModSources_prj/QAM_16_ConstTraj.dds

## Used in

Constellation diagram generation

## Available as measurement component?

Equations listed under Description can be entered by means of a MeasEqn component in the Schematic window. There is no explicit constellation measurement function.

## Defined in

hpeesof/expressions/ael/digital_wireless_fun.ael

## See also

const_evm

## Description

The I and Q data do not need to be baseband waveforms. For example, they could be the in-phase (real or I) and quadrature-phase (imaginary or Q) part of a modulated carrier. The user must supply the I and Q waveforms versus time, as well as the symbol rate. A delay parameter is optional.

## contour

## Purpose

Generates contour levels on surface data

## Synopsis

y = contour(data \{, contour_levels\})
where data is the data to be contoured, which must be at least two-dimensional real number or integer or implicit, and contour_levels is an optional one-dimensional quantity specifying the levels of the contours, which is normally specified by the sweep generator "[ ]," but can also be specified as a vector. If not provided, contour_levels defaults to six levels equally spaced between the maximum and the minimum of the data.

## Examples

$\mathrm{a}=$ contour $(\mathrm{dB}(\mathrm{S} 11),[1:: 3:: 10])$
or
$\mathrm{a}=$ contour $(\mathrm{dB}(\mathrm{S} 11),\{1,4,7,10\})$
produces a set of four equally spaced contours on a surface generated as a function of, say, frequency and strip width.

## Used in

Not applicable

## Available as measurement component?

Not applicable

## Defined in

## Built in

## See also

contour_polar

## Description

This function introduces three extra inner independents into the data. The first two are "level", the contour level, and "number", the contour number. For each contour level there may be $n$ contours. The contour is an integer running from 1 to $n$. The contour is represented as an ( $\mathrm{x}, \mathrm{y}$ ) pair with x as the inner independent.

## contour_polar

## Purpose

Generates contour levels on polar or Smith chart surface data

## Synopsis

y = contour_polar(data \{, contour_levels\})
where data is the polar or Smith chart data to be contoured, (and therefore is surface data), and contour_levels is an optional one-dimensional quantity specifying the levels of the contours, which is normally specified by the sweep generator "[ ]," but can also be specified as a vector. If not provided, contour_levels defaults to six levels equally spaced between the maximum and the minimum of the data.

## Examples

$\mathrm{a}=$ contour_polar(data_polar, [1::4])
or
$\mathrm{a}=$ contour_polar(data_polar, $\{1,2,3,4\}$ )
produces a set of four equally spaced contours on a polar or Smith chart surface.

## Used in

Not applicable

## Available as measurement component?

Not applicable

## Defined in

AEL, display_fun.ael

## See also

contour

## cos

## Purpose

## Returns the cosine of a real number or integer

## Synopsis

$$
y=\cos (x)
$$

where x is the real number or integer, in radians.
Examples
$\mathrm{a}=\cos (\mathrm{pi} / 3)$0.500
Used in
Not applicable
Available as measurement component?
Not applicable
Defined in
Built in
See also
sin, tan
cosh
Purpose
hyperbolic cosine
Synopsis
$\cosh ()$
Example
$\cosh (0)$
1
$\cosh (1)$
1.543
Used in
Not applicable
Available as measurement component?
Not applicable
Defined in
Built in
See also
sinh, tanh

## cross

## Purpose

Computes the zero crossings of a signal and the interval between successive zero crossings. The independent axis returns the time when the crossing occurred. The dependent axis returns the time interval since the last crossing.

## Synopsis

cross(signal, direction)
If direction $=+1$, compute positive going zero crossings.
If direction $=-1$, compute negative going zero crossings.
If direction $=0$, compute all zero crossings (default).

## Example

period=cross(vosc-2.0, 1)
This computes the period of each cycle of the vosc signal. The period is measured from each positive-going transition through 2.0 V .

Used In
Not applicable
Available in measurement component?
Not applicable

## Defined In

Built in
See Also
None
cross ..... corr
Purpose
Returns the cross-correlation
Synopsis
cross_corr(v1, v2)where v1 and v2 are 1-dimensional data
Example
v1 = qpsk..videal[1]
v2 = qpsk..vout[1]
x_corr_v1v2 = cross_corr(v1, v2)
auto_corr_v1 = cross_corr(v1, v1)
Used in
Not applicable
Available as measurement component?
Not applicable
Defined in
AEL, digital_wireless_fun.ael
See also
None
cum_prod
Purpose
Returns the cumulative product
Synopsis
cum_prod(x)
The function takes a single argument, so enclose a sequence of numbers in brackets
" $[\mathrm{x}, \mathrm{y}, \ldots]$ "
Example
cum_prod(1)
1
cum_prod([1, 2, 3])
6
cum_prod([i, i])-1
Used in
Not applicable
Available as measurement component?
Not applicable
Defined in
Built in
See also
cum_sum, max, mean, min, prod, sum
cum_sum
Purpose
Returns the cumulative sum
Synopsis
cum_sum(x)
The function takes a single argument, so enclose a sequence of numbers in brackets
" $[\mathrm{x}, \mathrm{y}, \ldots$.$] "$
Example
cum_sum([1, 2, 3])
7
cum_sum([i, i]
2 i
Used in
Not Applicable
Available as measurement component?
Not Applicable
Defined in
Built in
See also
cum_prod, max, mean, min, prod, sum

## dB

## Purpose

Returns the decibel measure of a voltage ratio

## Synopsis

$\mathrm{dB}(\mathrm{r}\{, \mathrm{z} 1, \mathrm{z} 2\})=20 \log (\operatorname{mag}(\mathrm{r})-10 \log (\mathrm{zOutfactor} / \mathrm{zInfactor})$
where r is a voltage ratio (vOut/vIn), z 1 is the source impedance (default is 50 ), zOutfactor $=\operatorname{mag}(\mathrm{z} 2)^{* *} 2 /$ real (z2), z2 is the load impedance (default is 50), and zInfactor $=\operatorname{mag}(\mathrm{z} 1)^{* *} 2 / \operatorname{real}(\mathrm{z} 1)$.

## Examples

dB(100)

$$
\begin{equation*}
40 \tag{8-6*j}
\end{equation*}
$$

20
Used in
Not applicable

## Available as measurement component?

Not applicable
Defined in
Built in
See also
dBm, pae

## dBm

## Purpose

Returns the decibel measure of a voltage referenced to a 1 milliwatt signal

## Synopsis

$$
\mathrm{dBm}(\mathrm{v}\{, \mathrm{z}\})=20 \log (\operatorname{mag}(\mathrm{v})-10 \log (\text { real(zOutfactor/50 }))+10
$$

where $v$ is a voltage (the peak voltage), z is an impedance (default is 50), and zOutfactor $=\operatorname{mag}(z) * * 2 /$ real $(z)$.

## Examples

$\mathrm{dBm}(100)$
50
$\mathrm{dBm}(8-6 * \mathrm{j})$
30
Used in
Not applicable
Available as measurement component?
Not applicable

## Defined in

Built in

## See also

dB, pae

## dc_to_rf

## Purpose

Returns DC-to-RF efficiency

## Synopsis

dc_to_rf(vPlusRF, vMinusRF, vPlusDC, vMinusDC, currentRF, currentDC, freq)
where vPlusRF and vMinusRF are RF voltages at the negative terminals, vPlusDC and vMinusDC are DC voltages at the negative terminals, currentRF and currentDC are the RF and DC currents for power calculation, and freq is harmonic index of the RF frequency at the output port.

## Example

$\mathrm{a}=$ dc_to_rf(vrf, 0, vDC, 0, I_Probe1.i, SRC1.i, 1MHz
Used in
Harmonic balance simulation
Available as measurement component?
DCtoRF

## Defined in

AEL, circuit_fun.ael

## See also

None

## Description

This measurement computes the DC-to-RF efficiency of any part of the network.
deg
Purpose
Converts radians to degrees
Synopsis
$\operatorname{deg}(\mathrm{x})$
Example
$\operatorname{deg}(1.5708)$
90
$\operatorname{deg}(p i)$
180
Used in
Not applicable
Available as measurement component?
Not applicable
Defined in
Built in
See also
rad

## delay_path

## Purpose

This function is used to determine the time delay and the constellation rotation angle between two nodal points along a signal path.

## Synopsis

delay_path(vin, vout)
where vin is the complex envelope ( $I+j * Q$ ) at the input node and vout is $I+j * Q$ at the output node.

## Example

$\mathrm{x}=$ delay_path(vin[1], vout[1]) where vin[1] and vout[1] are complex envelopes around the first carrier frequency in envelope simulation. In return, $\mathrm{x}[0]$ is the time delay (in seconds) between vin and vout. $\mathrm{x}[1]$ is the rotation angle (in radians) between vin and vout constellations.
or
$\mathrm{x}=$ delay_path(T1, T2)
where T1 and T2 are instance names of two TimedSink components.

## Used in

Circuit envelope simulation, Ptolemy simulation.

## Available as measurement component?

Not applicable

## Defined in

Built in

## See also

ber_pi4dqpsk, ber_qpsk, const_evm, cross_corr

## Description

This function outputs an array of two values. The first value, data[0], is the time delay between vin and vout. The second value, data[1], is the rotation angle between vin-constellation and vout-constellation.

## dev_lin_phase

## Purpose

Returns deviation (in degrees) from linear phase.

## Synopsis

dev_lin_phase(voltGain)
where voltGain is a function of frequency.

## Example

a = dev_lin_phase(S21)
Used in
Small-signal and large-signal S-parameter simulations

## Available as measurement component?

DevLinPhase
Defined in
AEL, rf_system_fun.ael
See also
diff, phasedeg, phaserad, pwr_gain, ripple, unwrap, volt_gain
Description

Given a variable sweep over a frequency range, a linear least-squares fit is performed on the phase of the variable, and the deviation from this linear fit is calculated at each frequency point.

## diff

## Purpose

Returns the numerical difference

## Synopsis

$\mathrm{y}=\operatorname{diff}($ data $)$
returns the numerical difference against the inner independent variable associated with the data.

## Examples

group_delay $=-\operatorname{diff}($ unwrap $($ phaserad(S21),pi) $) /(2 *$ pi $)$

## Used in

Not applicable

## Available as measurement component?

Not applicable
Defined in
AEL, elementary_fun.ael

## See also

dev_lin_phase, integrate, phasedeg, phaserad, ripple, unwrap

## Description

Calculates a simple numerical difference against the inner independent variable associated with the data. Can be used to calculate group delay.

## erf

## Purpose

## Returns the error function

## Synopsis

$\mathrm{y}=\operatorname{erf}(\mathrm{x})$

## where x is real.

## Examples

$\mathrm{a}=-\operatorname{erf}(0.1)$
0.112
$\mathrm{a}=-\operatorname{erf}(0.2)$
0.223

## Used in

## Not applicable

## Available as measurement component?

Not applicable

## Defined in

Built in
See also
erfc

## Description

Calculates the error function, the area under the Gaussian curve $\exp \left(-x^{* *} 2\right)$.

## erfc

## Purpose

Returns the complementary error function

## Synopsis

$$
\mathrm{y}=\operatorname{erfc}(\mathrm{x})
$$

where x is real.
Examples
$\mathrm{a}=-\mathrm{erfc}(0.1)$
0.888
$\mathrm{a}=-\operatorname{erfc}(0.2)$
0.777
Used in
Not applicable
Available as measurement component?
Not applicable
Defined in
Built in
See also
erf
Description
Calculates the complementary error function, or 1 minus the error function. For largex , this can be calculated more accurately than the plain error function.

## exp

## Purpose

Given an integer or real number as an exponent, returns $e(\sim 2.7183)$ raised to that exponent

## Synopsis

$$
y=\exp (x)
$$

where x is the exponent of $e$.

## Examples

$$
\mathrm{a}=\exp (1)
$$

2.71828

## Used in

Not applicable

## Available as measurement component?

Not applicable
Defined in
Built in
See also
abs, cint, float, int, $\log , \log 10$, pow, sgn, sqrt

## eye

## Purpose

Creates data for an eye diagram plot

## Synopsis

eye(data, symbolRate\{, Cycles\{, Delay\}\})
data is either numeric data or a time domain waveform typically from the I or Q data channel. symbolRate is the symbol rate of the channel. For numeric data, the symbol rate is the reciprocal of the number of points in one cycle; for a waveform, it is the frequency. Cycles is optional and is the number of cycles to repeat, default is 1 . Delay is an optional sampling delay, default is 0 .

## Example

eye(I_data, symbol_rate)
Used in
Not applicable

## Available as measurement component?

Not applicable

## Defined in

Built in

## See also

constellation

## Description

Refer also to analysis.dds in /examples/Tutorial/express_meas_prj.
The cycle parameter is used to display more than one cycle of the eye. The delay parameter is used to adjust the position of the eye opening. Note that delay is not used to remove a transient in the eye diagram. To remove an initial transient, you must use explicit indexing on the original data. Following this, you may want to use a delay to realign the eye opening.

## fft

## Purpose

Performs the discrete Fourier transform

## Synopsis

$\mathrm{y}=\mathrm{fft}(\mathrm{x}$, length)

## Example

$\mathrm{fft}([1,1,1,1])$
[ $4+0 \mathrm{i}, 0+0 \mathrm{i}]$
$\mathrm{fft}([1,0,0,0]$
[ $1+0 \mathrm{i}, 1+0 \mathrm{i}]$
fft $(1,4)$
[1+0i, 1+0i]
Used in
Not applicable

## Available as measurement component?

Not Applicable

## Defined in

## Built in

## See also

fs, ts

## Description

$\mathrm{fft}(\mathrm{x})$ is the discrete Fourier transform of x computed with the fast Fourier transform algorithm. fft() uses a high-speed radix-2 fast Fourier transform when the length of x is a power of two. $\mathrm{fft}(\mathrm{x}, \mathrm{n})$ performs an n -point discrete Fourier transform, truncating x if length $(\mathrm{x})>\mathrm{n}$ and padding x with zeros if length $(\mathrm{x})<\mathrm{n}$.
fft() uses a real transform if x is real and a complex transform if x is complex. If the length of $x$ is not a power of two, then a mixed radix algorithm based on the prime factors of the length of $x$ is used.

## find_index

## Purpose

Finds the closest index for a given search value

## Synopsis

index = find_index(data_sweep, search_value)
To facilitate searching, the find_index function finds the index value in a sweep that is closest to the search value. Data of type int or real must be monotonic. find_index also performs an exhaustive search of complex and string data types.

## Examples

Given S-parameter data swept as a function of frequency, find the value of $\mathrm{S}_{11}$ at 1 GHz:
index=find_index(freq, 1 GHz )
$a=S 11[$ index]
Used in
Use with all simulation data

## Available as measurement component?

Not applicable

## Defined in

## Built in

## See also

mix

## float

## Purpose

Converts an integer to a real (floating-point) number
Note: To convert a real to an integer, use int.

## Synopsis

$\mathrm{y}=$ float $(\mathrm{x})$
where x is the integer to convert.

## Examples

$\mathrm{a}=$ float(10)
Used in
Not applicable

## Available as measurement component?

Not applicable

## Defined in

Built in

## See also

abs, cint, float, int, $\log 10$, pow, sgn, sqrt

## fs

## Purpose

Performs a time-to-frequency transform

## Synopsis

fs(x, fstart, fstop, numfreqs, dim, windowType, windowConst, tstart, tstop, interpOrder, transformMethod)

See detailed Description below.

## Examples

The following example equations assume that a transient simulation was performed from 0 to 5 ns with 176 timesteps, on a 1-GHz-plus-harmonics signal called vOut:
$\mathrm{y}=\mathrm{fs}$ (vOut)
returns the spectrum ( $0,0.2 \mathrm{GHz}, \ldots, 25.6 \mathrm{GHz}$ ), evaluated from 0 to 5 ns .
$\mathrm{y}=\mathrm{fs}(\mathrm{vOut}, 0,10 \mathrm{GHz})$
returns the spectrum ( $0,0.2 \mathrm{GHz}, \ldots, 10.0 \mathrm{GHz}$ ), evaluated from 0 to 5 ns .
$\mathrm{y}=\mathrm{fs}(\mathrm{vOut}, 0,10 \mathrm{GHz}, 11)$
returns the spectrum $(0,1.0 \mathrm{GHz}, \ldots, 10.0 \mathrm{GHz})$, evaluated from 0 to 5 ns .
$\mathrm{y}=\mathrm{fs}(\mathrm{vOut}$, , , , , , , 3ns, 5ns)
returns the spectrum $(0,0.5 \mathrm{GHz}, \ldots, 32.0 \mathrm{GHz})$, evaluated from 3 to 5 ns .
$\mathrm{y}=\mathrm{fs}(\mathrm{vOut}, 0,10 \mathrm{GHz}, 21$, , , , 3ns, 5 ns )
returns the spectrum ( $0,0.5 \mathrm{GHz}, \ldots, 10.0 \mathrm{GHz}$ ), evaluated from 3 to 5 ns .
$\mathrm{y}=\mathrm{fs}(\mathrm{vOut}, 0,10 \mathrm{GHz}, 11$, , "Blackman")
returns the spectrum $(0,1.0 \mathrm{GHz}, \ldots, 10.0 \mathrm{GHz})$, evaluated from 0 to 5 ns after a
Blackman window is applied.

## Used in

Not applicable

## Available as measurement component?

Not applicable

## Defined in

Built in

## See also

fft, fspot

## Description

$\mathrm{fs}(\mathrm{x})$ returns the frequency spectrum of the vector x by using a chirp-z transform. The values returned are peak, complex values.
x will typically be data from a transient, signal processing, or envelope analysis.
Transient simulation uses a variable timestep and variable order algorithm. The user sets an upper limit on the allowed timestep, but the simulator will control the timestep so that the local truncation error of the integration is also controlled. The nonuniformly sampled data are uniformly resampled for fs.
If the Gear integration algorithm is used, the order can also change during simulation. fs can use this information when resampling the data. This variable order integration depends on the presence of a special dependent variable, tranorder, which is output by the transient simulator. When the order varies, the Fourier integration will adjust the order of the polynomial it uses to interpolate the data between timepoints.

If the tranorder variable is not present, or if the user wishes to override the interpolation scheme, then interpOrder may be set to a nonzero value:

1 = use only linear interpolation
$2=$ use quadratic interpolation
$3=$ use cubic polynomial interpolation
Only polynomials of degree one to three are supported. The polynomial is fit from the timepoint in question backwards over the last n points. This is because time-domain data are obtained by integrating forward from zero; previous data are used to determine future data, but future data can never be used to modify past data.

The data are uniformly resampled, with the number of points being determined by increasing the original number of points to the next highest power of two.

The data to be transformed default to all of the data. The user may specify tstart and tstop to transform a subset of the data.

The starting frequency defaults to 0 and the stopping frequency defaults to $1 /(2 *$ newdeltat $)$, where newdeltat is the new uniform timestep of the resampled data. The number of frequencies defaults to (fstop-fstart)*(tstop-tstart) +1 . The user may change these by using fstart, fstop, and numfreqs. Note that numfreqs specifies the
number of frequencies, not the number of increments. Thus, to get frequencies at ( 0 , $1,2,3,4,5)$, numfreqs should be set to 6 , not 5 .

The data to be transformed may be windowed. The window is specified by windowType, with an optional window constant windowConst. The window types and their default constants are:
$0=$ None
1 = Hamming 0.54
$2=$ Hanning 0.50
3 = Gaussian 0.75
4 = Kaiser 7.865
$5=85106.0$ (This is equivalent to the time-to-frequency transformation with normal gate shape setting in the 8510 series network analyzer.)

6 = Blackman
7 = Blackman-Harris
The default time-to-frequency transform is done by means of a chirp-z transform. This may be changed by using transformMethod:

1 = Chirp-z transform
$2=$ Discrete Fourier integral evaluated at each frequency
3 = Fast Fourier transform
When the data to be operated on is of the baseband type, such as VO[0] from a Circuit Envelope analysis, where VO is an output node voltage and [0] is index for DC, then in order to obtain a single sided spectrum, only the real part of VO[0] should be used as the argument. ie, $\mathrm{x}=\mathrm{fs}(\mathrm{real}(\mathrm{VO}[0], \ldots)$.

This is necessary because the fs() function has no way of knowing the data VO[0] is baseband. Even though VO[0] contains an imaginary part of all zeroes, it is still represented by a complex data type. When the first argument of fs() is complex, the result will be a double-sided spectrum by default.

An alternative method of obtaining a single-sided spectrum from the above baseband data is to specify the frequencies ranges in the spectrum, using the fstart, fstop, and numfreqs parameters of the fs() function.

For example, $\mathrm{y}=\mathrm{fs}(\mathrm{VO}[0], 0,25 \mathrm{e} 3,251)$. This will yield a spectrum from 0 to 25 kHz with 26 frequencies and 1 kHz spacing.

This does not apply to data from Transient analysis nor Ptolemy simulation because voltage data from Transient and baseband data from Ptolemy are real.

## fspot

## Purpose

Performs a single-frequency time-to-frequency transform

## Synopsis

fspot(x, fund, harm, windowType, windowConst, interpOrder, tstart)
See detailed Description below.

## Examples

The following example equations assume that a transient simulation was performed from 0 to 5 ns on a 1-GHz-plus-harmonics signal called vOut:
fspot(vOut)
returns the $200-\mathrm{MHz}$ component, integrated from 0 to 5 ns .
fspot(vOut, , 5)
returns the 1-GHz component, integrated from 0 to 5 ns .
fspot(vOut, 1GHz, 1)
returns the 1-GHz component, integrated from 4 to 5 ns .
fspot(vOut, $0.5 \mathrm{GHz}, 2$, , , , 2.5ns)
returns the 1-GHz component, integrated from 2.5 to 4.5 ns .
fspot(vOut, $0.25 \mathrm{GHz}, 4$, "Kaiser")
returns the $1-\mathrm{GHz}$ component, integrated from 1 to 5 ns , after applying the default
Kaiser window to this range of data.
fspot(vOut, $0.25 \mathrm{GHz}, 4,3,2.0)$
returns the $1-\mathrm{GHz}$ component, integrated from 1 to 5 ns , after applying a Gaussian window with a constant of 2.0 to this range of data.

## Used in

Not applicable

## Available as measurement component?

Not applicable

## Defined in

Built in

## See also

## fft, fs

## Description

fspot(x) returns the discrete Fourier transform of the vector x evaluated at one specific frequency. The value returned is the peak component, and it is complex. The harmth harmonic of the fundamental frequency fund is obtained from the vector x . The Fourier transform is applied from time tstop-1/fund to tstop, where tstop is the last timepoint in x .

When x is a multidimensional vector, the transform is evaluated for each vector in the specified dimension. For example, if $x$ is a matrix, then $\operatorname{fspot}(\mathrm{x})$ applies the transform to every row of the matrix. If x is three dimensional, then fspot( x ) is applied in the lowest dimension over the remaining two dimensions. The dimension over which to apply the transform may be specified by dim; the default is the lowest dimension (dim=1). x must be numeric. It will typically be data from a transient, signal processing, or envelope analysis.
fund must be greater than zero. It is used to specify the period $1 /$ fund for the Fourier transform. fund defaults to a period that matches the length of the independent axis of $x$.
harm may be any positive number. harm defaults to 1 . Specifying harm=0 will compute the dc component of $x$.

The data to be transformed may be windowed. The window is specified by windowType, with an optional window constant windowConst. The window types and their default constants are:

$$
\begin{aligned}
& 0=\text { None } \\
& 1=\text { Hamming } 0.54 \\
& 2=\text { Hanning } 0.50 \\
& 3=\text { Gaussian } 0.75 \\
& 4=\text { Kaiser } 7.865 \\
& 5=85106.0 \\
& 6=\text { Blackman } \\
& 7=\text { Blackman-Harris }
\end{aligned}
$$

windowType can be specified either by the number or by the name.

By default, the transform is performed at the end of the data from tstop- $1 /$ fund to tstop. By using tstart, the transform can be started at some other point in the data. The transform will then be performed from tstart to tstart+1/fund.

Unlike with fft or fs, the data to be transformed are not zero padded or resampled. fspot works directly on the data as specified, including nonuniformly sampled data from a transient simulation.

Transient simulation uses a variable timestep and variable order algorithm. The user sets an upper limit on the allowed timestep, but the simulator will control the timestep so the local truncation error of the integration is controlled. If the Gear integration algorithm is used, the order can also be changed during simulation. fspot can use all of this information when performing the Fourier transform. The time data are not resampled; the Fourier integration is performed from timestep to timestep of the original data.

When the order varies, the Fourier integration will adjust the order of the polynomial it uses to compute the shape of the data between timepoints.

This variable order integration depends on the presence of a special dependent variable, tranorder, which is output by the transient simulator. If this variable is not present, or if the user wishes to override the interpolation scheme, then interpOrder may be set to a nonzero value:

1 = use only linear interpolation
$2=$ use quadratic interpolation
$3=$ use cubic polynomial interpolation
Only polynomials of degree one to three are supported. The polynomial is fit because time domain data are obtained by integrating forward from zero; previous data are used to determine future data, but future data can never be used to modify past data.

## fun_2d_outer

## Purpose

Applies a function to the outer dimension of two-dimensional data.

## Synopsis

fun_2d_outer(data, fun)
where data must be two-dimensional data, and fun is some function (usually mean, max, or min ) that will be applied to the outer dimension of the data.

## Example

fun_2d_outer(data, min)

## Used in

max_outer, mean_outer, min_outer functions.

## Available as measurement component?

No, but the function can be used on a schematic page, in a measurement equation.

## Defined in

AEL, statistcal_fun.ael

## See also

max_outer, mean_outer, min_outer

## Description

Functions such as mean, max, and min operate on the inner dimension of two-dimensional data. The function fun_2d_outer enables these functions to be applied to the outer dimension. As an example, assume that a Monte Carlo simulation of an amplifier was run, with 151 random sets of parameter values, and that for each set the S-parameters were simulated over 26 different frequency points. S21 becomes a [151 Monte Carlo iteration X 26 frequency] matrix, with the inner dimension being frequency, and the outer dimension being Monte Carlo index. Now, assume that it is desired to know the mean value of the S -parameters at each frequency. Inserting an equation mean(S21) computes the mean value of S21 at each Monte Carlo iteration. If S 21 is simulated from 1 to 26 GHz , it computes the mean value over this frequency range, which usually is not very useful. The function fun_2d_outer allows the mean to be computed over each element in the outer dimension.

## ga_circle

## Purpose

Generates an available-gain circle

## Synopsis

ga_circle(S\{, gain, numOfPts\})
where S is the scattering matrix of a 2-port network, gain is the specified gain in dB , and numOfPts is the desired number of points per circle. The default value for gain is min(max_gain(S)) - \{1, 2, 3\}, and the default value for numOfPts is 51 .

## Example

circleData $=$ ga_circle(S, 2,51)
circleData $=$ ga_circle $(S,\{2,3,4\}, 51)$
return the points on the circle(s).

## Used in

Small-signal S-parameter simulations

## Available as measurement component?

GaCircle
Defined in
AEL, circle_fun.ael

## See also

gl_circle, gp_circle, gs_circle

## Description

This expression generates the constant available-gain circle resulting from a source mismatch. The circle is defined by the loci of the source-reflection coefficients resulting in the specified gain.

A gain circle is created for each value of the swept variable(s). Multiple gain values can be specified for a scattering parameter that has dimension less than four. This measurement is supported for 2-port networks only.

## gain_comp

## Purpose

## Returns gain compression

## Synopsis

## gain_comp(Sji)

where Sji is a power-dependent complex transmission coefficient obtained from large-signal S-parameter simulation.

## Example

gc = gain_comp(S21[::, 0])
Used in
Large-signal S-parameter simulations
Available as measurement component?
GainComp
Defined in
AEL, rf_system_fun.ael
See also
phase_comp
Description

This measurement calculates the small-signal minus the large-signal power gain, in dB . The first power point (assumed to be small) is used to calculate the small-signal power gain.

## generate

## Purpose

Generates a sequence of real numbers

## Synopsis

generate(start, stop, npts)
where start is the first number, stop is the last number, and npts is the number of numbers in the sequence.

## Example

$\mathrm{a}=\operatorname{generate}(9,4,6)$
return the sequence 9., 8., 7., 6., 5., 4.
Used in
Not applicable

## Available as measurement component?

Not applicable

## Defined in

Built in
See also
Not applicable

## Description

This function generates a sequence of real numbers. The modern way to do this is to use the sweep generator "[ ]."

## get_attr

## Purpose

Gets a data attribute

## Synopsis

a = get_attr(data, "attr_name"\{, eval\})
where data is a frequency swept variable, attr_name is the name of an attribute, and eval is true or false as to whether to evaluate the attribute.

## Example

get_attr(data, "fc", true)
10 GHz
get_attr(data, "dataType")
"TimedData"
get_attr(data, "TraceType", false)
"Spectral"
Used in
Not applicable

## Available as measurement component?

Not applicable
Defined in
Built in

## See also

set_attr
Description
This function only works with frequency swept variables.

## gl_circle

## Purpose

Generates a load-mismatch gain circle

## Synopsis

gl_circle(S\{, gain, numOfPts\})
where S is the scattering matrix of a 2-port network, gain is the specified gain in dB , and numOfPts is the desired number of points per circle. The default value for gain is $10^{*} \log \left(1 /\left(1-\operatorname{mag}(S 22)^{* *} 2\right)\right)-\{1,2,3\}$, and the default value for numOfPts is 51 .

## Example

circleData $=$ gl_circle(S, 2,51 )
circleData $=$ gl_circle(S, $\{2,3,4\}, 51)$
return the points on the circle(s).

## Used in

Small-signal S-parameter simulations

## Available as measurement component?

GlCircle

## Defined in

AEL, circle_fun.ael

## See also

ga_circle, gp_circle, gs_circle

## Description

This expression generates the unilateral gain circle resulting from a load mismatch. The circle is defined by the loci of the load-reflection coefficients that result in the specified gain.

A gain circle is created for each value of the swept variable(s). Multiple gain values can be specified for a scattering parameter that has dimension less than four. This measurement is supported for 2-port networks only.

## gp_circle

## Purpose

Generates a power gain circle

## Synopsis

gp_circle(S\{, gain, numOfPts\})
where S is the scattering matrix of a 2-port network, gain is the specified gain in dB , and numOfPts is the desired number of points per circle. The default value for gain is min(max_gain(S)) - \{1, 2, 3\}, and the default value for numOfPts is 51

## Example

circleData $=$ gp_circle(S, 2, 51)
circleData $=$ gp_circle $(S,\{2,3,4\}, 51)$
return the points on the circle(s).

## Used in

Small-signal S-parameter simulations

## Available as measurement component?

GpCircle
Defined in
AEL, circle_fun.ael

## See also

ga_circle, gl_circle, gs_circle

## Description

This expression generates a constant-power-gain circle resulting from a load mismatch. The circle is defined by the loci of the output-reflection coefficients that result in the specified gain.

A gain circle is created for each value of the swept variable(s). Multiple gain values can be specified for a scattering parameter that has dimension less than four. This measurement is supported for 2-port networks only.

## gs_circle

## Purpose

Returns a source-mismatch gain circle

## Synopsis

gs_circle(S\{, gain, numOfPts\})
where S is the scattering matrix of a 2-port network, gain is the specified gain in dB , and numOfPts is the desired number of points per circle. The default value for gain is $10^{*} \log \left(1 /\left(1-\operatorname{mag}(\mathrm{S} 11)^{* *} 2\right)\right)-\{1,2,3\}$, and the default value for numOfPts is 51 .

## Example

circleData $=$ gs_circle( $(\mathrm{S}, 2,51)$
circleData $=$ gs_circle(S, $\{2,3,4\}, 51)$
return the points on the circle(s).

## Used in

Small-signal S-parameter simulations

## Available as measurement component?

## GsCircle

## Defined in

AEL, circle_fun.ael

## See also

ga_circle, gl_circle, gp_circle

## Description

This expression generates the unilateral gain circle resulting from a source mismatch. The circle is defined by the loci of the source-reflection coefficients that result in the specified gain.

A gain circle is created for each value of the swept variable(s). Multiple gain values can be specified for a scattering parameter that has dimension less than four. This measurement is supported for 2-port networks only.

## histogram

## Purpose

Generates a histogram representation

## Synopsis

histogram(x, numBins, minBin, maxBin)
where x is the signal, numBins is number of subintervals or bins used to measure the histogram, and minBin and maxBin are the beginning and end, respectively, of the evaluation of the histogram.

## Example

$\mathrm{y}=$ histogram(data)
$\mathrm{y}=$ histogram(data, 20)

## Used in

Not applicable

## Available as measurement component?

This function can only be entered by means of a Eqn component in the Data Display window. There is no measurement component in schematic window.

## Defined in

## Built in

## See also

cdf, pdf, yield_sens

## Description

This function creates a histogram that represents data. The default values for minBin and maxBin are the minimum and the maximum values, respectively, of the data, and numBins is set to $\log ($ numOfPts $) / \log (2.0)$ by default.

## htoabcd

## Purpose

## Performs H-to-ABCD conversion

## Synopsis

## htoabcd(H)

where H is the hybrid matrix of a 2-port network.

## Example

$\mathrm{a}=\mathrm{htoabcd}(\mathrm{h})$

## Used in

Small-signal and large-signal S-parameter simulations

## Available as measurement component?

This equation can be entered by means of a MeasEqn component in S_Param Simulation and LSSP Simulation palettes in the Schematic window. There is no explicit measurement component.

## Defined in

AEL, network_fun.ael

## See also

abcdtoh, htoz, ytoh

## Description

This measurement transforms the hybrid matrix of a 2-port network to a chain (ABCD) matrix.

## htos

## Purpose

## Performs H-to-S conversion

## Synopsis

htos(H, Z)
where H is the hybrid matrix of a 2-port network., and Z is the reference impedance.

## Example

$\mathrm{s}=\mathrm{htos}(\mathrm{h}, 50)$
Used in
Small-signal and large-signal S-parameter simulations

## Available as measurement component?

This equation can be entered by means of a MeasEqn component in S_Param Simulation and LSSP Simulation palettes in the Schematic window. There is no explicit measurement component.
Defined in
AEL, network_fun.ael

## See also

htoy, htoz, stoh

## Description

This measurement transforms the hybrid matrix of a 2-port network to a scattering matrix.

## htoy

## Purpose

## Performs H-to-Y conversion

## Synopsis

htoy $(\mathrm{H})$
where H is the hybrid matrix of a 2-port network

## Example

$$
\mathrm{Y}=\operatorname{htoy}(\mathrm{H})
$$

## Used in

Small-signal and large-signal S-parameter simulations

## Available as measurement component?

This equation can be entered by means of a MeasEqn component in S_Param Simulation and LSSP Simulation palettes in the Schematic window. There is no explicit measurement component.

## Defined in

AEL, network_fun.ael
See also
htos, htoz, ytoh

## Description

This measurement transforms the hybrid matrix of a 2-port network to an admittance matrix.

## htoz

## Purpose

## Performs H-to-Z conversion

## Synopsis

htoz(H)
where H is the hybrid matrix of a 2-port network

## Example

$\mathrm{z}=\mathrm{htoz}(\mathrm{h})$
Used in
Small-signal and large-signal S-parameter simulations

## Available as measurement component?

This equation can be entered by means of a MeasEqn component in S_Param Simulation and LSSP Simulation palettes in the Schematic window. There is no explicit measurement component.

## Defined in

AEL, network_fun.ael

## See also

htos, htoy, ytoh

## Description

This measurement transforms the hybrid matrix of a 2-port network to an impedance matrix.

## identity

## Purpose

Returns the identity matrix

## Synopsis

$$
\mathrm{Y}=\operatorname{identity}(2)
$$

$\mathrm{Y}=\operatorname{identity}(2,3)$
The identity matrix is defined as follows. If one argument is supplied, then a square matrix is returned with ones on the diagonal and zeros elsewhere. If two arguments are supplied, then a matrix with size rows $\times$ cols is returned, again with ones on the diagonal.

## Example

$\mathrm{a}=\operatorname{identity}(2)$

## Used in

Not applicable

## Available as measurement component?

Not applicable

## Defined in

Built in

## See also

ones, zeros

## ifc

## Purpose

Returns frequency-selective current in Harmonic Balance analysis

## Synopsis

ifc(iOut, harm_freq_index)
where iOut is the current through a branch, and harm_freq_index is the harmonic index of the desired frequency. Note that the harm_freq_index argument's entry should reflect the number of tones in the harmonic balance controller. For example, if one tone is used in the controller, there should be one number inside the braces; two tones would require two numbers separated by a comma.

## Example

The following example is for two tones in the harmonic balance controller:
ifc(I_Probe1.i, \{1, 0\})
Used in
Harmonic Balance simulation

## Available as measurement component?

Ifc
Defined in
AEL, circuit_fun.ael

## See also

pfc, vfc

## Description

This measurement gives the RMS current value of one frequency-component of a harmonic balance waveform.

## ifc_tran

## Purpose

Returns frequency-selective current in Transient analysis

## Synopsis

ifc_tran(iOut, fundFreq, harmNum)
where iOut is the current through a branch, fundFreq is the fundamental frequency and harmNum is the harmonic number of the fundamental frequency (positive integer value only).

## Example

ifc_tran(I_Probe1.i, 1GHz, 1)
Used in
Transient simulation

## Available as measurement component?

IfcTran

## Defined in

AEL, circuit_fun.ael

## See also

pfc_tran, vfc_tran

## Description

This measurement gives RMS current, in current units, for a specified branch at a particular frequency of interest. fundFreq determines the portion of the time-domain waveform to be converted to the frequency domain. This is typically one full period corresponding to the lowest frequency in the waveform. harmNum is the harmonic number of the fundamental frequency at which the current is requested.

## imag

## Purpose

Returns the imaginary component of a complex number

## Synopsis

$$
\mathrm{y}=\operatorname{imag}(\mathrm{x})
$$

where x is a complex number.

## Examples

$\mathrm{a}=\operatorname{imag}\left(1-\right.$ 1*j $\left.^{*}\right)$
-1.000
Used in
Not applicable

## Available as measurement component?

Not applicable
Defined in
Built in
See also
cmplx, real

## indep

## Purpose

Returns the independent attached to the data

## Synopsis

$$
\mathrm{Y}=\operatorname{indep}(\mathrm{x})
$$

$\mathrm{Y}=\operatorname{indep}(\mathrm{x}$, dimension)
Y = indep(x, "indep_name")
indep() returns the independent (normally the swept variable) attached to simulation data. When there is more than one independent, then the independent of interest may be specified by number or by name. If no independent specifications are passed, then indep() returns the innermost independent.

## Example

Given S-parameters versus frequency and power: Frequency is the innermost independent, so its index is 1 . Power has index 2.
freq $=\operatorname{indep}(S, 1)$
freq = indep(S, "freq")
power $=\operatorname{indep}(S, 2)$
power = indep(S, "power")

## Used in

## Not applicable

## Available as measurement component?

## Not applicable

## Defined in

## Built in

## See also

find_index

## int

## Purpose

Returns the largest integer not greater than a given real value Synopsis
$\mathrm{y}=\operatorname{int}(\mathrm{x})$
where x is the real value.

## Examples

$\mathrm{a}=\operatorname{int}(4.3)$;
4
Used in
Not applicable

## Available as measurement component?

Not applicable
Defined in
Built in

## See also

abs, cint, exp, float, $\log 10$, pow, sgn, sqrt

## integrate

## Purpose

## Returns the intergral of data

## Synopsis

$\mathrm{y}=$ integrate(data\{, start, stop $\{$, incr\}\})
returns the intergral of data from start to stop with increment incr.

## Examples

$x=[0:: 0.01:: 1.0]$
$y=v s(2 * \exp (-x * x) / \operatorname{sqrt}(p i), x)$
$\mathrm{z}=$ integrate $(\mathrm{y}, 0.1,0.6,0.001)$
Used in
Not applicable
Available as measurement component?
Not applicable

## Defined in

AEL, circuit_fun.ael

## See also

## diff

## Description

Returns the intergral of data from start to stop with increment incr using the composite trapezoidal rule on uniform subintervals. The default values for start and stop are the first and last points of the data, respectively. The default value for incr is "(stop - start) / (nPts - 1)" where nPts is the number of original data points between start and stop, inclusively.

## interp

## Purpose

Returns linearly interpolated data

## Synopsis

$\mathrm{y}=\operatorname{interp}($ data $\{$, start, stop $\{$, incr\}\})
returns linearly interpolated data between start and stop with increment incr.
Examples
$\mathrm{y}=\operatorname{interp}($ data $\{$, start, stop $\{$, incr $\}\}$ )
Used in
Not applicable
Available as measurement component?
Not applicable

## Defined in

Built in

## See also

None

## Description

Returns linearly interpolated data between start and stop with increment incr. The default values for start and stop are the first and last points of the data, respectively. The default value for incr is "(stop - start) / (nPts - 1 )" where nPts is the number of original data points between start and stop, inclusively.

## inverse

## Purpose

Performs a matrix inverse
Synopsis
$\mathrm{y}=$ inverse $(\mathrm{x})$
inversion of real and complex general matrices.
Example
inverse(\{\{1, 2\}, $\{3,4\}\})$;
$\{\{-2,1\},\{1.5,-0.5\}\}$
Used in
Not applicable
Available as measurement component?
Not applicable
Defined in
Built in
See also
None

## ip3_in

## Purpose

Returns the input third-order intercept (TOI) point

## Synopsis

ip3_in(vOut, ssGain, fundFreq, imFreq, zRef)
where vOut is the signal voltage at the output, ssGain is the small signal gain in dB , fundFreq and imFreq are the harmonic frequency indices for the fundamental and intermodulation frequencies, respectively, and zRef is the reference impedance.

## Example

y=ip3_in(vOut, 22, $\{1,0\},\{2,-1\}, 50)$
Used in
Harmonic balance simulation

## Available as measurement component?

IP3in
Defined in
AEL, rf_system_fun.ael

## See also

ip3_out, ipn

## Description

This measurement determines the input third-order intercept point (in dBm ) at the input port with reference to a system output port.
ip3_out
Purpose
Returns the output third-order intercept (TOI) point
Synopsis
ip3_out(vOut, fundFreq, imFreq, zRef)
where vOut is the signal voltage at the output, fundFreq and imFreq are theharmonic frequency indices for the fundamental and intermodulation frequencies,respectively, and zRef is the reference impedance.
Example
y=ip3_out(vOut, $\{1,0\},\{2,-1\}, 50)$
Used in
Harmonic balance simulation
Available as measurement component?
IP3out
Defined in
AEL, rf_system_fun.ael
See also
ip3_in, ipn
DescriptionThis measurement determines the output third-order intercept point (in dBm ) at thesystem output port.

## ipn

## Purpose

Returns the output $n$ th-order intercept (TOI) point

## Synopsis

ipn(vPlus, vMinus, iOut, fundFreq, imFreq, n)
where vPlus and vMinus are the voltages at the positive and negative output terminals, respectively; iOut is the current through a branch; fundFreq and imFreq are the harmonic indices of the fundamental and intermodulation frequencies, respectively; and $n$ is the order of the intercept.

## Example

$\mathrm{y}=\mathrm{ipn}(\mathrm{vOut}, 0$, I_Probe1.i, $\{1,0\},\{2,-1\}, 3)$
Used in
Harmonic balance simulation

## Available as measurement component?

IPn
Defined in
AEL, circuit_fun.ael

## See also

ip3_in, ip3_out

## Description

This measurement determines the output nth-order intercept point (in dBm ) at the system output port.

## ispec_tran

## Purpose

Returns current spectrum

## Synopsis

ispec_tran(iOut, fundFreq, numHarm)
where iOut is the current through a branch, fundFreq is the fundamental frequency value and numHarm is the number of harmonics of fundamental frequency (positive integer value only).

## Example

$\mathrm{y}=$ ispec_tran(I_Probe1.i, $1 \mathrm{GHz}, 8$ )
Used in
Transient simulation

## Available as measurement component?

IspecTran

## Defined in

AEL, circuit_fun.ael

## See also

pspec_tran, vspec_tran

## Description

This measurement gives a current spectrum for a specified branch. The measurement gives a set of RMS current values at each frequency. fundFreq determines the portion of the time-domain waveform to be converted to frequency domain. This is typically one full period corresponding to the lowest frequency in the waveform. numHarm is the number of harmonics of fundamental frequency to be included in the currents spectrum.

## it

## Purpose

## Returns time-domain current waveform

## Synopsis

it(iOut, tmin, tmax, numOfPnts)
where iOut is the current through a branch, tmin and tmax are start time are stop time, respectively, and numOfPts is the number of points (integer values only).

## ExamplezRef

$\mathrm{y}=\mathrm{it}(\mathrm{I}$ _Probe1.i, $0,10 \mathrm{nsec}, 201$ )
Used in
Harmonic balance simulation

## Available as measurement component?

It
Defined in
AEL, circuit_fun.ael

## See also

vt

## Description

This measurement converts a harmonic-balance current frequency spectrum to a time-domain current waveform.

## I_stab_circle

## Purpose

Returns a load (output) stability circle

## Synopsis

l_stab_circle(S\{, numOfPts\})
where S is the scattering matrix of a 2-port network and numOfPts is the desired number of points per circle and is set to 51 by default.

## Example

circleData=l_stab_circle(S, 51)
returns the points on the circle(s).
Used in
Small-signal S-parameter simulations
Available as measurement component?
L_StabCircle
Defined in
AEL, circle_fun.ael

## See also

l_stab_region, s_stab_circle, s_stab_region

## Description

The expression generates a load stability circle. The circle is defined by the loci of load-reflection coefficients where the magnitude of the source-reflection coefficient is 1.

A circle is created for each value of the swept variable(s). This measurement is supported for 2-port networks only.

## I_stab_region

## Purpose

Indicates the region of stability of the load (output) stability circle

## Synopsis

l_stab_region(S)
where S is the scattering matrix of a 2-port network.

## Example

region = l_stab_region(S)
returns "Outside" or "Inside".
Used in
Small-signal S-parameter simulations

## Available as measurement component?

Not applicable
Defined in
AEL, circle_fun.ael

## See also

l_stab_circle, s_stab_circle, s_stab_region

## Description

This expression returns a string identifying the region of stability of the corresponding load stability circle.

## In

## Purpose

Returns the natural logarithm (ln) of an integer or real number Synopsis

$$
\mathrm{y}=\ln (\mathrm{x})
$$

where x is the integer or real number.

## Examples

$\mathrm{a}=\ln (\mathrm{e}) ;$
returns 1
Used in
Not applicable

## Available as measurement component?

Not applicable
Defined in
Built in

## See also

abs, cint, exp, float, int, pow, sgn, sqrt

## log

## Purpose

Returns the base 10 logarithm of an integer or real number

Note: $\log 10(\mathrm{x})$ perform the same operation.

## Synopsis

$\mathrm{y}=\log (\mathrm{x})$
where x is the integer or real number.
Examples
$a=\log (10)$
1
Used in
Not applicable

## Available as measurement component?

Not applicable

## Defined in

## Built in

## See also

abs, cint, exp, log10, float, int, pow, sgn, sqrt

## log10

## Purpose

Returns the base 10 logarithm of an integer or real number

Note: $\log (x)$ perform the same operation.

## Synopsis

$\mathrm{y}=\log 10(\mathrm{x})$
where x is the integer or real number.

## Examples

$a=\log 10(10)$
1
Used in
Not applicable

## Available as measurement component?

Not applicable

## Defined in

## Built in

## See also

abs, cint, exp, log, float, int, pow, sgn, sqrt

## mag

## Purpose

Returns the magnitude of a complex number

## Synopsis

$$
y=\operatorname{mag}(x)
$$

where x is a complex number.

## Examples

$\mathrm{a}=\operatorname{mag}\left(3-4^{*} \mathrm{j}\right)$
5.000

Used in
Not applicable

## Available as measurement component?

Not applicable
Defined in
Built in
See also
conj

## map1_circle

## Purpose

Returns source-mapping circles from port 1 to port 2

## Synopsis

circleData=map1_circle(S\{, numOfPts $\}$ )
where S is the scattering matrix of a 2-port network and numOfPts is the desired number of points per circle and is set to 51 by default.

## Example

## circleData=map1_circle(S, 51)

returns the points on the circle(s).

## Used in

Small-signal S-parameter simulations

## Available as measurement component?

## Map1Circle

## Defined in

AEL, circles_fun.ael

## See also

map2_circle

## Description

The expression maps the set of terminations with unity magnitude at port 1 to port 2. The circles are defined by the loci of terminations on one port as seen at the other port.

A source-mapping circle is created for each value of the swept variable(s). This measurement is supported for 2-port networks only.

## map2_circle

## Purpose

Returns source-mapping circles, from port 2 to port 1

## Synopsis

## circleData=map2_circle(S\{, numOfPts\})

where S is the scattering matrix of a 2-port network and numOfPts is the desired number of points per circle and is set to 51 by default.

## Example

## circleData=map2_circle(S, 51)

returns the points on the circle(s).

## Used in

Small-signal S-parameter simulations

## Available as measurement component?

Map2Circle

## Defined in

AEL, circle_fun.ael

## See also

map1_circle

## Description

The expression maps the set of terminations with unity magnitude at port 2 to port 1 . The circles are defined by the loci of terminations on one port as seen at the other port.
A source-mapping circle is created for each value of the swept variable(s). This measurement is supported for 2-port networks only.

## max

## Purpose

Returns the maximum value

## Synopsis

$$
\mathrm{Y}=\max (\mathrm{x})
$$

The function takes a single argument, so enclose a sequence of numbers in brackets " $[\mathrm{x}, \mathrm{y}, \ldots]$ "

## Example

$$
a=\max ([1,2,3])
$$

$$
3
$$

Used in
Not applicable

## Available as measurement component?

Not applicable

## Defined in

## Built in

## See also

cum_prod, cum_sum, mean, min, prod, sum
max_gain

## Purpose

Returns the maximum available and stable gain

## Synopsis

## max_gain(S)

where S is a scattering matrix of 2-port network.

## Example

y=max_gain(S)
Used in
Small-signal and large-signal S-parameter simulations
Available as measurement component?
MaxGain

## Defined in

AEL, rf_system_fun.ael

## See also

sm_gamma1, sm_gamma2, stab_fact, stab_meas

## Description

Given a $2 \times 2$ scattering matrix, this measurement returns the maximum available and stable gain between the input and the measurement ports.
max index
Purpose
Returns the index of the maximum
Synopsis
max_index(x)
The function takes a single argument, so enclose a sequence of numbers in brackets
" $[\mathrm{x}, \mathrm{y}, \ldots]$ "
Example
max_index([1, 2, 3])2
max_index([3, 2, 1])
0
Used in
Not applicable
Available as measurement component?
Not applicable
Defined in
Built-in
See also
min_index

## max_outer

## Purpose

Computes the maximum across the outer dimension of two-dimensional data.

## Synopsis

max_outer(data)
where data must be two-dimensional data.

## Example

max_outer(data)
Used in
Not applicable

## Available as measurement component?

No, but the function can be used on a schematic page, in a measurement equation.

## Defined in

AEL, statistcal_fun.ael

## See also

fun_2d_outer, mean_outer, min_outer
This function can be applied to the data in the example: .../examples/Tutorial/DataAccess_prj/Truth_MonteCarlo.dds.

## Description

The max function operates on the inner dimension of two-dimensional data. The max_outer function just calls the fun_2d_outer function, with max being the applied operation. As an example, assume that a Monte Carlo simulation of an amplifier was run, with 151 random sets of parameter values, and that for each set the S-parameters were simulated over 26 different frequency points. S21 becomes a [151 Monte Carlo iteration X 26 frequency] matrix, with the inner dimension being frequency, and the outer dimension being Monte Carlo index. Now, assume that it is desired to know the maximum value of the S-parameters at each frequency. Inserting an equation $\max (\mathrm{S} 21)$ computes the maximum value of S 21 at each Monte Carlo iteration. If S21 is simulated from 1 to 26 GHz , it computes the maximum value over this frequency range, which usually is not very useful. Inserting an equation max_outer(S21) computes the maximum value of S21 at each Monte Carlo iteration.

## mean

## Purpose

Returns the mean

## Synopsis

## $\operatorname{mean}(x)$

The function takes a single argument, so enclose a sequence of numbers in brackets " $[\mathrm{x}, \mathrm{y}, \ldots]$ "

## Example

## $\operatorname{mean}([1,2,3])$

2

## Used in

## Not applicable

## Available as measurement component?

Not applicable

## Defined in

## Built in

## See also

cum_prod, cum_sum, max, min, prod, sum

## mean_outer

## Purpose

Computes the mean across the outer dimension of two-dimensional data.

## Synopsis

mean_outer(data)
where data must be two-dimensional data.

## Example

mean_outer(data)
Used in
Not applicable

## Available as measurement component?

No, but the function can be used on a schematic page, in a measurement equation.

## Defined in

AEL, statistcal_fun.ael

## See also

fun_2d_outer, max_outer, min_outer
This function can be applied to the data in the example:
.../examples/Tutorial/DataAccess_prj/Truth_MonteCarlo.dds.

## Description

The mean function operates on the inner dimension of two-dimensional data. The mean_outer function just calls the fun_2d_outer function, with mean being the applied operation. As an example, assume that a Monte Carlo simulation of an amplifier was run, with 151 random sets of parameter values, and that for each set the S-parameters were simulated over 26 different frequency points. S21 becomes a [151 Monte Carlo iteration X 26 frequency] matrix, with the inner dimension being frequency, and the outer dimension being Monte Carlo index. Now, assume that it is desired to know the mean value of the S-parameters at each frequency. Inserting an equation mean(S21) computes the mean value of S21 at each Monte Carlo iteration. If S21 is simulated from 1 to 26 GHz , it computes the mean value over this frequency range, which usually is not very useful. Inserting an equation mean_outer(S21) computes the mean value of S21 at each Monte Carlo frequency.
median
Purpose
Returns the median
Synopsis
median(x)
The function takes a single argument, so enclose a sequence of numbers in brackets
" $[\mathrm{x}, \mathrm{y}, \ldots]$ "
Example
$\operatorname{median}([1,2,3,4])$
2.5
Used in
Not applicable
Available as measurement component?
This function can only be entered by means of a Eqn component in the Data Display window. There is no explicit measurement component.
Defined in
AEL, statistcal_fun.ael
See also
mean, sort

## min

## Purpose

Returns the minimum value of a swept parameter

## Synopsis

$$
y=\min (x)
$$

The function takes a single argument, so enclose a sequence of numbers in brackets " $[\mathrm{x}, \mathrm{y}, \ldots]$ "

## Examples

$$
\mathrm{a}=\min ([1,2,3]) ;
$$

1

## Used in

Not applicable

## Available as measurement component?

Not applicable

## Defined in

Built in

## See also

cum_prod, cum_sum, max, mean, prod, sum
min_index
Purpose
Returns the index of the minimum
Synopsis
$\mathrm{y}=\min \_$index $(\mathrm{x})$
The function takes a single argument, so enclose a sequence of numbers in brackets
" $[\mathrm{x}, \mathrm{y}, \ldots]$ "
Example
min_index([3, 2, 1])2
min_index([1, 2, 3])
0
Used in
Not applicable
Available as measurement component?
Not applicable
Defined in
Built in
See also
max_index

## min_outer

## Purpose

Computes the minimum across the outer dimension of two-dimensional data.

## Synopsis

> min_outer(data)

where data must be two-dimensional data.

## Example

min_outer(data)
Used in
Not applicable

## Available as measurement component?

No, but the function can be used on a schematic page, in a measurement equation.

## Defined in

AEL, statistcal_fun.ael

## See also

fun_2d_outer, max_outer, mean_outer
This function can be applied to the data in the example:
.../examples/Tutorial/DataAccess_prj/Truth_MonteCarlo.dds.

## Description

The min function operates on the inner dimension of two-dimensional data. The min_outer function just calls the fun_2d_outer function, with min being the applied operation. As an example, assume that a Monte Carlo simulation of an amplifier was run, with 151 random sets of parameter values, and that for each set the S-parameters were simulated over 26 different frequency points. S21 becomes a [151 Monte Carlo iteration X 26 frequency] matrix, with the inner dimension being frequency, and the outer dimension being Monte Carlo index. Now, assume that it is desired to know the minimum value of the S -parameters at each frequency. Inserting an equation $\min (S 21)$ computes the minimum value of S 21 at each Monte Carlo iteration. If S21 is simulated from 1 to 26 GHz , it computes the minimum value over this frequency range, which usually is not very useful. Inserting an equation min_outer(S21) computes the minimum value of S21 at each Monte Carlo iteration.

## mix

## Purpose

Returns a component of a spectrum based on a vector of mixing indices

## Synopsis

mix(xOut, harmIndex\{, Mix\})

where $x O$ ut is a voltage or a current spectrum and harmIndex is the desired vector of harmonic frequency indices (mixing terms). Mix is a variable consisting of all possible vectors of harmonic frequency indices (mixing terms) in the analysis.

## Example

```
\(y=\operatorname{mix}(\) vOut, \(\{2,-1\})\)
\(\mathrm{z}=\operatorname{mix}(\mathrm{vOut} * \mathrm{vOut} / 50,\{2,-1\}, \mathrm{Mix})\)
```

Used in
Harmonic balance simulation

## Available as measurement component?

This equation can be entered by means of a MeasEqn component in Harmonic balance simulation palette in the Schematic window. There is no explicit Mix measurement component.

## Defined in

Built in

## See also

## find_index

## Description

This function returns the mixing component of a voltage or a current spectrum corresponding to particular harmonic-frequency indices or mixing terms. Note that the third argument, Mix, is required whenever the first argument is a spectrum obtained from an expression that operates on the voltage and/or current spectrums.

## moving_average

## Purpose

Returns the moving_average of a sequence of data

## Synopsis

moving_average(data, numPoints)
where data is a one-dimensional sequence of numbers in brackets " $[x, y, \ldots]$ ", and numPoints is the number of points to be averaged together.

## Example

moving_average([1, $2,3,7,5,6,10], 3$ )
$[1,2,4,5,6,7,10]$
Used in
Not applicable

## Available as measurement component?

There is no explicit measurement component, but the function can be used on a schematic page.

## Defined in

## AEL, statistcal_fun.ael

## See also

Not applicable

## Description

The first value of the smoothed sequence is the same as the original data. The second value is the average of the first three. The third value is the average of data elements 2,3 , and 4 , etc. If numPoints were set to 7 , for example, then the first value of the smoothed sequence would be the same as the original data. The second value would be the average of the first three original data points. The third value would be the average of the first five data points, and the fourth value would be the average of the first seven data points. Subsequent values in the smoothed array would be the average of the seven closest neighbors. The last points in the smoothed sequence are computed in a way similar to the first few points. The last point is just the last point in the original sequence. The second from last point is the average of the last three
points in the original sequence. The third from the last point is the average of the last five points in the original sequence, etc.

## mu

## Purpose

Returns the geometrically derived stability factor for the load

## Synopsis

$\operatorname{mu}(S)$
where S is a scattering matrix of a 2-port network.

## Examples

$$
\mathrm{x}=\mathrm{mu}(\mathrm{~S})
$$

Used in
Small-signal and large-signal S-parameter simulations.

## Available as measurement component?

Mu
Defined in
AEL, circuit_fun.ael

## See also

mu_prime

## Description

This measurement gives the distance from the center of the Smith chart to the nearest output (load) stability circle.

This stability factor is given by
$m u=\{1-\mid$ S11 $\mid * * 2\} /\{\mid$ S22 $-\operatorname{conj}(S 11) *$ Delta $|+|S 12 * S 21|\}$
where Delta is the determinant of the S-parameter matrix. Having mu $>1$ is the single necessary and sufficient condition for unconditional stability of the 2-port network.

## Reference

[1]M. L. Edwards and J. H. Sinsky, "A new criterion for linear 2-port stability using geometrically derived parameters", IEEE Transactions on Microwave Theory and Techniques, Vol. 40, No. 12, pp. 2303-2311, Dec. 1992.

## mu_prime

## Purpose

Returns the geometrically derived stability factor for the source

## Synopsis

mu_prime(S)
where S is a scattering matrix of 2-port network.

## Examples

y=mu_prime(S)
Used in
Small-signal and large-signal S-parameter simulations

## Available as measurement component?

MuPrime

## Defined in

AEL, circuit_fun.ael

## See also

mu

## Description

This measurement gives the distance from the center of the Smith chart to the nearest unstable-input (source) stability circle.

This stability factor is given by

```
mu_prime = {1-|S22 |**2} / {IS11 - conj(S22)*Delta | + |S21*S12| }
```

where Delta is the determinant of the S-parameter matrix. Having mu_prime > 1 is the single necessary and sufficient condition for unconditional stability of the 2-port network.

## Reference

[1]M. L. Edwards and J. H. Sinsky, "A new criterion for linear 2-port stability using geometrically derived parameters", IEEE Transactions on Microwave Theory and Techniques, Vol. 40, No. 12, pp. 2303-2311, Dec. 1992.

## ns_circle

## Purpose

Returns noise-figure circles

## Synopsis

ns_circle(nf, NFmin, Sopt, rn\{, numOfPts\})
where nf is the specified noise figure and is set by default to $\max (\mathrm{NFmin})+\{0,1$, $2,3\}$. NFmin is the minimum noise figure, Sopt is the optimum mismatch, rn is the equivalent normalized noise resistance of a 2 -port network ( $\mathrm{rn}=R n / z R e f$ where $R n$ is the equivalent noise resistance and $z R e f$ is the reference impedance), and numOfPts is the desired number of points per circle and is set to 51 by default.

## Example

circleData=ns_circle( $0+$ NFmin, NFmin, Sopt, Rn/50, 51)
circleData=ns_circle $(\{0,1\}+$ NFmin, NFmin, Sopt, Rn/50, 51)
returns the points on the circle(s).
Used in
Small-signal S-parameter simulations

## Available as measurement component?

NsCircle

## Defined in

AEL, circle_fun.ael

## See also

Not applicable

## Description

The expression generates constant noise-figure circles. The circles are defined by the loci of the source-reflection coefficients that result in the specified noise figure. NFmin, Sopt, and Rn are generated from noise analysis.

A circle is created for each value of the swept variable(s).
ns ..... pwr_int
Purpose
Returns the integrated noise power
Synopsis
ns pwr_int(Sji, nf, resBW)
where Sji is the complex transmission coefficient, nf is noise figure at the outputport (in dB ), and resBW is the user-defined resolution bandwidth.
Example
Y=ns_pwr_int(S21, nf2, 1MHz)
Used in
Small-signal S-parameter simulation
Available as measurement component?
NsPwrInt
Defined in
AEL, rf_system_fun.ael
See also
ns_pwr_ref_bw, snr
Description
This is the integrated noise power (in dBm ) calculated by integrating the noise powerover the entire frequency sweep. The noise power at each frequency point iscalculated by multiplying the noise spectral density by a user-defined resolutionbandwidth.

## ns_pwr_ref_bw

## Purpose

Returns noise power in a reference bandwidth

## Synopsis

Y =ns_pwr_ref_bw(Sji, nf, resBW)
where Sji is the complex transmission coefficient, nf is noise figure at the output port (in dB ), and resBW is the user-defined resolution bandwidth.

## Example

Y=ns_pwr_ref_bw(S21, nf2, 1MHz)
returns the noise power with respect to the reference bandwidth.

## Used in

Small-signal S-parameter simulation

## Available as measurement component?

NsPwrRefBW

## Defined in

AEL, rf_system_fun.ael

## See also

ns_pwr_int, snr

## Description

This is the noise power calculated by multiplying the noise spectral density at a frequency point by a user-defined resolution bandwidth. Unlike NsPwrInt, this gives the noise power (in dB ) at each frequency sweep.

## ones

## Purpose

## Returns a matrix of ones

## Synopsis

Y=ones(2)
This is the ones matrix. If only one argument is supplied, then a square matrix is returned. If two are supplied, then a matrix of ones with size rows $\times$ cols is returned.

## Example

$$
\mathrm{a}=\operatorname{ones}(2)
$$

$\{\{1,1\},\{1,1\}\}$

## Used in

## Not applicable

## Available as measurement component?

Not applicable

## Defined in

## Built in

See also
identity, zeros

## pae

## Purpose

Returns power-added efficiency

## Synopsis

pae(vPlusOut, vMinusOut, vPlusIn, vMinusIn, vPlusDC, vMinusDC, iOut, iIn, iDC, outFreq, inFreq)
where vPlusOut and vMinusOut are output voltages at the positive and negative terminals; vPlusIn and vMinusIn are input voltages at the positive and negative terminals; vPlusDC and vMinusDC are DC voltages at the positive and negative terminals; iOut, iIn, and iDc are the output, input, and DC currents, respectively; and outFreq and inFreq are harmonic indices of the fundamental frequency at the output and input port, respectively.

## Example

y=pae(vOut, 0, vIn, 0, v1, 0, I_Probe1.i, I_Probe2.i, I_Probe3.i, 1, 1)
Used in
Harmonic balance simulation

## Available as measurement component?

PAE

## Defined in

AEL, circuit_fun.ael

## See also

dB, dBm

## Description

This measurement computes the power-added efficiency (in percent) of any part of the circuit.

## pdf

## Purpose

Returns a probability density function

## Synopsis

pdf(x, numBins, minBin, maxBin)
where x is the signal, numBins is number of subintervals or bins used to measure PDF, and minBin and maxBin are the beginning and end, respectively, of the evaluation of the PDF.

## Example

$\mathrm{y}=\mathrm{pdf}($ data $)$
$\mathrm{y}=\operatorname{pdf}($ data, 20$)$

## Used in

Not applicable

## Available as measurement component?

This function can be entered by means of a Eqn component in the Data Display window. There is no measurement component in schematic window

## Defined in

AEL statistical_fun.ael

## See also

cdf, histogram, yield_sens

## Description

This function measures the probability density function of a signal. The default values for minBin and maxBin are the minimum and the maximum values of the data and numBins is set to $\log ($ numOfPts $) / \log (2.0)$ by default.

## permute

## Purpose

Permutes data based on the attached independents

## Synopsis

y = permute(data, permute_vector)
where data is any N -dimensional square data (all inner independents must have the same value N ) and permute_vector is any permutation vector of the numbers 1 through N . The permute_vector defaults to $\{\mathrm{N}:: 1\}$, representing a complete reversal of the data with respect to its independent variables. If permute_vector has fewer than N entries, the remainder of the vector, representing the outer independent variables, is filled in. In this way, expressions remain robust when outer sweeps are added.

## Examples

$\mathrm{a}=$ permute(data)
$\mathrm{a}=$ permute data, $\{3,2,1\}$ )
reverses the (three inner independents of) the data.
$\mathrm{a}=$ permute(data, $\{1,2,3\}$ )
preserves the data.
Used in
Not applicable

## Available as measurement component?

Not applicable

## Defined in

Built in
See also
None

## pfc

## Purpose

Returns frequency-selective power

## Synopsis

pfc(vPlus, vMinus, iOut, harm_freq_index)
where vPlus is the voltage at the positive and negative terminals, iOut is the current through a branch, and harm_freq_index is the harmonic index of the desired frequency. Note that the harm_freq_index argument's entry should reflect the number of tones in the harmonic balance controller. For example, if one tone is used in the controller, there should be one number inside the braces; two tones would require two numbers separated by a comma.

## Example

The following example is for two tones in the harmonic balance controller:
$\mathrm{y}=\mathrm{pfc}($ vOut, 0 , I_Probe1.i, $\{1,0\}$ )

## Used in

Harmonic balance simulation

## Available as measurement component?

Pfc

## Defined in

AEL, circuit_fun.ael

## See also

ifc, vfc

## Description

This measurement gives the RMS power value of one frequency component of a harmonic balance waveform.

## pfc_tran

## Purpose

Returns frequency-selective power

## Synopsis

pfc_tran(vPlus, vMinus, iOut, fundFreq, harmNum)
where vPlus and vMinus are the voltages at the positive terminals, iOut is the current through a branch measured for power calculation, and fundFreq is fundamental frequency and harmNum is the harmonic number of the fundamental frequency (positive integer value only).

## Example

$\mathrm{y}=\mathrm{pfc} \_$tran(v1, v2, I_Probe1.i, 1GHz, 1)
Used in
Transient simulation

## Available as measurement component?

PfcTran
Defined in
AEL, circuit_fun.ael

## See also

ifc_tran, vfc_tran

## Description

This measurement gives RMS power, delivered to any part of the circuit at a particular frequency of interest. fundFreq determines the portion of the time-domain waveform to be converted to frequency domain. This is typically one full period corresponding to the lowest frequency in the waveform. harmNum is the harmonic number of the fundamental frequency at which the power is requested.
phase
Purpose
Phase in degrees
Synopsis
$\mathrm{y}=\operatorname{phase}(\mathrm{x})$
Example
phase(1i)
90
phase (1+1i)
45
Used in
Not applicable
Available as measurement component?
Not applicable
Defined in
Built-in
See also
phaserad

## phase_comp

## Purpose

Returns the phase compression (phase change)

## Synopsis

## $\mathrm{Y}=$ phase_comp(Sji)

where Sji is a power-dependent parameter obtained from large-signal S-parameters simulation.

## Example

$$
\mathrm{y}=\mathrm{phase} \text { _comp(S21[::, 0]) }
$$

Used in
Large-signal S-parameter simulations
Available as measurement component?
PhaseComp
Defined in
AEL, rf_systems_fun.ael
See also
gain_comp
Description
This measurement calculates the small-signal minus the large-signal phase, indegrees. The first power point (assumed to be small) is used to calculate thesmall-signal phase.

## phasedeg

## Purpose

Phase in degrees
Synopsis
$\mathrm{y}=\mathrm{phasedeg}(\mathrm{x})$
Example
phase(1i)
90
phase (1+1i)
45
Used in
Not applicable
Available as measurement component?
Not applicable
Defined in
Built-in
See also
dev_lin_phase, diff, phase, phasedeg, phaserad, ripple, unwrap

## phaserad

## Purpose

Phase in Radians
Synopsis
$\mathrm{y}=\operatorname{phaserad}(\mathrm{x})$
Example
phaserad(1i)
1.5708
phaserad(1+1i)
0.785398
Used in
Not applicable
Available as measurement component?
Not applicable
Defined in
Built in
See also
dev_lin_phase, diff, phase, phasedeg, phaserad, ripple, unwrap

## plot_vs

## Purpose

Attaches an independent to data for plotting

## Synopsis

plot_vs(dependent, independent)
where dependent is any N -dimensional square data (all inner independents must have the same value N ) and permute_vector is any permutation vector of the numbers 1 through N . The permute_vector defaults to $\{\mathrm{N}:: 1\}$, representing a complete reversal of the data with respect to its independent variables. If permute_vector has fewer than N entries, the remainder of the vector, representing the outer independent variables, is filled in. In this way, expressions remain robust when outer sweeps are added.

## Example

$a=[1,2,3]$
$\mathrm{b}=[4,5,6]$
c=plot_vs(a, b)
Builds c with independent b , and dependent a .

## Used in

Not applicable

## Available as measurement component?

Not applicable
Defined in
AEL, display_fun.ael

## See also

indep, vs

## polar

## Purpose

Builds a complex number from magnitude and angle (in degrees)

## Synopsis

polar(mag, angle)

## Example

polar(1, 90)
$0+1 \mathrm{i}$
polar(1, 45)
$0.707107+0.707107 \mathrm{i}$

## Used in

Not applicable

## Available as measurement component?

Not applicable

## Defined in

## Built in

## See also

None

## pow

## Purpose

Raises an integer or real number to a given power

## Synopsis

$$
\mathrm{z}=\operatorname{pow}(\mathrm{x}, \mathrm{y})
$$

where x is the integer or real number and y is the exponent of that number.

## Examples

$\mathrm{a}=\operatorname{pow}(4,2)$;
returns 16
Used in
Not applicable
Available as measurement component?
Not applicable

## Defined in

Built in

## See also

abs, cint, exp, float, int, $\log 10$, sgn, sqrt

## pspec

## Purpose

Returns power frequency spectrum

## Synopsis

## pspec(vPlus, vMinus, iOut)

where vPlus and vMinus are voltages at the positive terminals, and iOut is the current through a branch measured for power calculation.

## Example

y=pspec(vOut, 0, I_Probe1.i)
Used in
Harmonic balance simulation

## Available as measurement component?

Pspec
Defined in
AEL, circuit_fun.ael

## See also

Not applicable

## Description

This measurement gives a power frequency spectrum in harmonic balance analyses.

## pspec_tran

## Purpose

Returns transient power spectrum

## Synopsis

pspec_tran(vPlus, vMinus, iOut, fundFreq, numHarm)
where vPlus and vMinus are the voltages at the positive and negative terminals, iOut is the current through a branch measured for power calculation, fundFreq is the fundamental frequency, and numHarm is the number of harmonics of the fundamental frequency (positive integer value only).

## Example

$\mathrm{y}=\mathrm{pspec} \_$tran(v1, v2, I_Probe1.i, 1GHz, 8)
Used in
Transient simulation

## Available as measurement component?

PspecTran

## Defined in

AEL, circuit_fun.ael

## See also

ispec_tran, vspec_tran

## Description

This measurement gives a power spectrum, delivered to any part of the circuit. The measurement gives a set of RMS power values at each frequency. fundFreq is the fundamental frequency determines the portion of the time-domain waveform to be converted to frequency domain (typically one full period corresponding to the lowest frequency in the waveform). numHarm is the number of harmonics of the fundamental frequency to be included in the power spectrum.
prod
Purpose
Returns the product
Synopsis
prod(x)
Example
$\operatorname{prod}([1,2,3]$
6
$\operatorname{prod}([4,4,4])$
64
Used in
Not applicable
Available as measurement component?
Not applicable
Defined in
Built-in
See also
sum

## pt

## Purpose

Returns total power

## Synopsis

pt(vPlus, vMinus, iOut)
where vPlus and vMinus are the voltages at the positive and negative terminals, respectively, and iOut is the current through a branch.

## Example

$\mathrm{y}=\mathrm{pt}(\mathrm{vOut}, 0$, I_Probe1.i)
Used in
Harmonic balance simulation

## Available as measurement component?

## Pt

Defined in
AEL, circuit_fun.ael

## See also

pspec

## Description

This measurement calculates the total power of a harmonic balance frequency spectrum.

## pwr_gain

## Purpose

## Returns power gain

## Synopsis

y= pwr_gain(S, Zs, Zl\{, Zref\})
where S is the $2 \times 2$ scattering matrix, and Zs and Zl are the input and output impedances, respectively. Zref is the reference impedance, set by default to the port impedance.

## Example

$$
\mathrm{y}=\mathrm{pwr} \text { _gain(S, 50, 75) }
$$

## Used in

## Small-signal and large-signal S-parameter simulations

## Available as measurement component?

## PwrGain

## Defined in

AEL, rf_system_fun.ael

## See also

stos, volt_gain, volt_gain_max

## Description

This measurement is used to determine the power gain (in $d B$ ), i.e. the power delivered to the load minus the power available from the source (where power is in dBm ).

## rad

Purpose
Degrees to radians
Synopsis
rad(x)
Example
rad(90)
1.5708
rad(45)
0.785398
Used in
Not applicable
Available as measurement component?
Not applicable
Defined in
Built in
See also
deg

## real

## Purpose

Returns the real part of a complex number

## Synopsis

$$
\mathrm{y}=\operatorname{real}(\mathrm{x})
$$

where x is a complex number.

## Examples

$\mathrm{a}=\operatorname{real}(1-1 \mathrm{j})$;

## returns 1

## Used in

Not applicable

## Available as measurement component?

Not applicable

## Defined in

Built in
See also
cmplx, imag

## relative_noise_bw

## Purpose

Computes the relative noise bandwidth of the smoothing windows used by the fs() function

## Synopsis

RelNoiseBW=relative_noise_bw(winType, winConst)
where
winType is a window type and must be one of the following: Kaiser, Hamming, Gaussian, 8510, or NoWindow (leaving this field blank is the equivalent of NoWindow); and
winConst is an optional parameter that affects the shape of the applied window. The default window constants are as follows:

Kaiser: 7.865
Hamming: 0.54
Gaussian: 0.75
8510: 6 (The 8510 window is the same as a Kaiser window with a window constant of 6.)

## Example

## Example equations

winType = Kaiser
winConst $=8$
relNoiseBW = relative_noise_bw(winType, winConst)
Vfund=vOut[1]
VoltageSpectralDensity $=0.5 * \mathrm{fs}$ (Vfund, , , , , winType, winConst)
PowerSpectralDensity $=0.5 * \operatorname{mag}($ VoltageSpectralDensity**2)/50/relNoiseBW
where vOut is the named connection at a 50 -ohm load, and it is an output from a Circuit Envelope simulation.

Note vOut is a named connection on the schematic. Assuming that a Circuit Envelope simulation was run, vOut is output to the dataset as a two-dimensional matrix. The first dimension is time, and there is a value for each time point in the simulation. The second dimension is frequency, and there is a value for each fundamental frequency, each harmonic, and each mixing term in the analysis, as well as the baseband term.
$\operatorname{vOut}[1]$ is the equivalent of $\operatorname{vOut}[:: 1]$, and specifies all time points at the lowest non-baseband frequency (the fundamental analysis frequency, unless a multitone analysis has been run and there are mixing products). For former MDS users, the notation "vOut[*, 2]" in MDS corresponds to the ADS notation of "vOut[1]".

## Used in

The following functions: acpr_vi, acpr_vr, channel_power_vi, channel_power_vr

## Available as measurement component?

Equations listed under Description can be entered by means of a MeasEqn component in the Schematic window. There is no explicit relative noise bandwidth measurement function.

## Defined in

hpeesof/expressions/ael/digital_wireless_fun.ael

## See also

acpr_vi, acpr_vr, channel_power_vi, channel_power_vr, fs

## Description

The relative noise bandwidth function is used to account for the fact that as windows are applied, the effective noise bandwidth increases with respect to the normal resolution bandwidth. The resolution bandwidth is determined by the time span and not by the displayed frequency resolution.

## ripple

## Purpose

## Returns deviation from the average

## Synopsis

ripple(x)
where x can be a gain or group delay data over a given frequency range.

## Example

y=ripple(pwr_gain(S21))

## Used in

Not applicable
Available as measurement component?
GainRipple

## Defined in

AEL, elementary_fun.ael

## See also

dev_lin_phase, diff, mean, phasedeg, phaserad, unwrap
Description
This function measures the deviation of x from the average of x .
round
Purpose
Rounds to the nearest integer
Synopsis
round(x)
Example
round(0.1)
0
round(0.5)1
round(0.9)
1
round(-0.1)0
round(-0.5)
-1
round(-0.9)
-1
Used in
Not applicable
Available as measurement component?
Not applicable
Defined in
Built in
See also
int

## s_stab_circle

## Purpose

Returns source (input) stability circles

## Synopsis

s_stab_circle(S\{, numOfPts\})
where S is the scattering matrix of a 2-port network and numOfPts is the desired number of points per circle and is set to 51 by default.

## Example

circleData = s_stab_circle(S, 51)
returns the points on the circle(s).

## Used in

Small-signal S-parameter simulations

## Available as measurement component?

S_StabCircle

## Defined in

AEL, circle_fun.ael

## See also

l_stab_circle, l_stab_region, s_stab_region

## Description

This expression generates source stability circles. The circles are defined by the loci of source-reflection coefficients where the magnitude of the load-reflection coefficient is 1.

A circle is created for each value of the swept variable(s). This measurement is supported for 2-port networks only.

## s_stab_region

## Purpose

Indicates the region of stability of the source (input) stability circle

## Synopsis

s_stab_region(S)
where S is the scattering matrix of a 2-port network.

## Example

region = s_stab_region(S)
returns "Outside" or "Inside".
Used in
Small-signal S-parameter simulations

## Available as measurement component?

Not applicable
Defined in
AEL, circle_fun.ael

## See also

l_stab_circle, l_stab_region, s_stab_circle

## Description

This expression returns a string identifying the region of stability of the corresponding source stability circle.

## sample_delay_pi4dqpsk

## Purpose

This function calculates the optimal sampling point within a symbol for a given pi4dqpsk waveform.

## Synopsis

sample_delay_pi4dqpsk(vlQ, symbolRate, delay, timeResolution)
where
vlQ is the complex envelope ( $\mathrm{I}+\mathrm{j}$ * Q ) of a pi/4 DQPSK signal.
symbolRate is the symbol rate of the pi/4 DQPSK signal.
path is the time delay on the waveform before the sampling starts. If the delay is 0 , this parameter may be omitted. If it is non-zero, enter the delay value. This can be calculated using the function delay_path().
timeResolution is the time step (typically one-tenth of a symbol time or less) used to search for the best sampling point in a given symbol period.

## Example

a = sample_delay_pi4dqpsk(vout[1], 25e3, 1.5e-6, 0.15e-6)
Used in
Envelope simulation

## Available as measurement component?

Not applicable
Defined in
Built in

## See also

ber_pi4dqpsk, ber_qpsk, const_evm

## Description

Calculates the optimal sampling point for a given waveform. "Optimal" is defined as the sampling point that provides the lowest bit error rate.

## sample_delay_qpsk

## Purpose

This function calculates the optimal sampling point within a symbol for a given QPSK waveform.

## Synopsis

sample_delay_qpsk(vlQ, symbolRate, delay, timeResolution)
where
vlQ is the complex envelope ( $I+j * Q$ ) of a QPSK signal.
symbolRate is the symbol rate of the QPSK signal.
path is the time delay on the waveform before the sampling starts. If the delay is 0 , this parameter may be omitted. If it is non-zero, enter the delay value. This can be calculated using the function delay_path().
timeResolution is the time step (typically one-tenth of a symbol time or less) used to search for the best sampling point in a given symbol period.

## Example

$\mathrm{a}=$ sample_delay_qpsk(vout[1], 25e3, 1.5e-6, 0.15e-6)
Used in
Envelope simulation

## Available as measurement component?

Not applicable
Defined in
Built in

## See also

ber_pi4dqpsk, ber_qpsk, const_evm

## Description

Calculates the optimal sampling point for a given waveform. "Optimal" is defined as the sampling point that provides the lowest bit error rate.
set ..... attr
Purpose
Sets a data attribute
Synopsis
a = set_attr(data, "attr_name", attribute_value)
Example
set_attr(data, "TraceType", "Spectral")
set_attr(data, "TraceType", 10GHz)
Used in
Not applicable
Available as measurement component?
Not applicable
Defined in
Built in
See also
get_attr

## sfdr

## Purpose

Returns the spurious-free dynamic range

## Synopsis

sfdr(vOut, ssgain, nf, noiseBW, fundFreq, imFreq, zRef)
where vOut is the output voltage, ssgain is the small-signal gain (in dB ), nf is the noise figure at the output port, noiseBW is the noise bandwidth, fundFreq and imFreq are the harmonic frequency indices for the fundamental and intermodulation frequencies, respectively, and $z R e f$ is the reference impedance.

## Example

$\mathrm{y}=\operatorname{sfdr}(\mathrm{vIn}, 12$, nf2, , $\{1,0\},\{2,-1\}, 50)$

## Used in

Small-signal S-parameter simulations

## Available as measurement component?

SFDR

## Defined in

AEL, rf_system_fun.ael

## See also

ip3_out

## Description

This measurement determines the spurious-free dynamic-range ratio for noise power with respect to the reference bandwidth. $z R e f$ is an optional parameter that, if not specified, is set to 50.0 ohms.

## sgn

## Purpose

Returns the integer sign of an integer or real number, as either 1 or -1

## Synopsis

$$
y=\operatorname{sgn}(x)
$$

where x is an integer or real number.

## Examples

$\mathrm{a}=\operatorname{sgn}(-1)$
returns -1
$a=\operatorname{sgn}(1)$
returns 1
Used in
Not applicable

## Available as measurement component?

Not applicable

## Defined in

Built in
See also
abs, cint, $\exp$, float, int, $\log 10$, pow, sqrt

## sin

## Purpose

Returns the sine of an integer or real number

## Synopsis

$$
y=\sin (x)
$$

where $x$ is an integer or real number, in radians.

## Examples

$\mathrm{a}=\sin (\mathrm{pi} / 2)$
returns 1
Used in
Not applicable

## Available as measurement component?

Not applicable
Defined in
Built in
See also
cos, tan

## sinc

## Purpose

Returns the sinc of an integer or real number

## Synopsis

$$
y=\operatorname{sinc}(x)
$$

where x is an integer or real number, in radians.

## Examples

$\mathrm{a}=\operatorname{sinc}(0.5)$
0.637

Used in
Not applicable

## Available as measurement component?

Not applicable
Defined in
Built in

## See also

$\sin$

## Description

The sinc function is defined as $\operatorname{sinc}(\mathrm{x})=\sin \left(\mathrm{pi}^{*} \mathrm{x}\right) /\left(\mathrm{pi} \mathrm{i}^{*}\right)$ and $\operatorname{sinc}(0)=1$.
sinh
Purpose
hyperbolic sin
Synopsis
$\sinh ()$
Example
$\sinh (0)$
0
$\sinh (1)$
1.1752
Used in
Not applicable
Available as measurement component?
Not applicable
Defined in
Built in
See also
cosh, tanh

## size

## Purpose

Returns the row and column size of a vector or matrix

## Synopsis

$$
\mathrm{Y}=\operatorname{size}(\mathrm{X})
$$

## Example

Given 2-port S-parameters versus frequency, and given 10 frequency points. Then for ten $2 \times 2$ matrices, size() returns the dimensions of the S-parameter matrix, and its companion function sweep_size() returns the size of the sweep:
size(S)
returns $\{2,2\}$
sweep_size(S)
returns 10
Used in
Not applicable

## Available as measurement component?

Not applicable
Defined in
Built in
See also
sweep_size

## sm_gamma1

## Purpose

Returns the simultaneous-match input-reflection coefficient

## Synopsis

sm_gamma1(S)
where S is a scattering matrix of 2-port network.

## Example

y=sm_gamma1(S)
Used in
Small-signal and large-signal S-parameter simulations.

## Available as measurement component?

## SmGamma1

## Defined in

AEL, circuit_fun.ael

## See also

max_gain, sm_gamma2, stab_fact, stab_meas

## Description

This complex measurement determines the reflection coefficient that must be presented to the input (port 1) of the network to achieve simultaneous input and output reflections. If the Rollett stability factor stab_fact( $S$ ) is less than unity for the analyzed circuit, then sm_gamma1(S) returns zero. It is, in effect, undefined when stab_fact(S) $<1$.

## sm_gamma2

## Purpose

Returns the simultaneous-match output-reflection coefficient

## Synopsis

sm_gamma2(S)
where S is a scattering matrix of 2-port network.

## Example

y=sm_gamma2(S)
Used in
Small-signal and large-signal S-parameter simulations

## Available as measurement component?

## SmGamma2

## Defined in

AEL, rf_system_fun.ael

## See also

max_gain, sm_gamma1, stab_fact, stab_meas

## Description

This complex measurement determines the reflection coefficient that must be presented to the output (port 2) of the network to achieve simultaneous input and output reflections. If the Rollett stability factor stab_fact( $\mathbf{S}$ ) is less than unity for the analyzed circuit, then sm_gamma2(S) returns zero. It is, in effect, undefined when stab_fact(S) < 1 .

## sm y1

## Purpose

Returns the simultaneous-match input admittance

## Synopsis

## sm_y1(S, Z)

where S is a scattering matrix of a 2-port network, and Z is a port impedance.

## Example

$\mathrm{y}=\mathrm{sm} \_\mathrm{y} 1(\mathrm{~S}, 50)$
Used in
Small-signal and large-signal S-parameter simulations

## Available as measurement component?

## SmY1

## Defined in

AEL, rf_system_fun.ael

## See also

sm_y2

## Description

This complex measurement determines the admittance that must be presented to the input (port 1) of the network to achieve simultaneous input and output reflections.

## sm y2

## Purpose

Returns the simultaneous-match output admittance

## Synopsis

> sm_y2(S, Z)
where S is a scattering matrix of 2-port network. and Z is a port impedance.

## Example

$$
\mathrm{y}=\mathrm{sm} \_\mathrm{y} 2(\mathrm{~S}, 50)
$$

Used in
Small-signal and large-signal S-parameter simulations
Available as measurement component?
SmY2
Defined in
AEL, circuit_fun.ael
See also
sm_y1
Description

This complex measurement determines the admittance that must be presented to the input (port 2) of the network to achieve simultaneous input and output reflections.

## sm z1

## Purpose

Returns the simultaneous-match input impedance

## Synopsis

## sm_z1(S, Z)

where S is a scattering matrix of a 2-port network, and Z is a port impedance.

## Example

$\mathrm{y}=\mathrm{sm} \_\mathrm{z} 1(\mathrm{~S}, 50)$
Used in
Small-signal and large-signal S-parameter simulations

## Available as measurement component?

SmZ1

## Defined in

AEL, circuit_fun.ael

## See also

sm_z2

## Description

This complex measurement determines the impedance that must be presented to the input (port 1) of the network to achieve simultaneous input and output reflections.

## sm z2

## Purpose

Returns the simultaneous-match output impedance

## Synopsis

$$
\mathrm{Y}=\mathrm{sm} \_\mathrm{z} 2(\mathrm{~S}, \mathrm{Z})
$$

where S is a scattering matrix of 2-port network, and Z is a port impedance.

## Example

$\mathrm{y}=\mathrm{sm} \_\mathrm{z} 2(\mathrm{~S}, 50)$
Used in
Small-signal and large-signal S-parameter simulations

## Available as measurement component?

SmZ2

## Defined in

AEL, circuit_fun.ael

## See also

sm_z1

## Description

This complex measurement determines the impedance that must be presented to the output (port 2) of the network to achieve simultaneous input and output reflections.

## snr

## Purpose

Returns the signal-to-power noise ratio

## Synopsis

## snr(vOut, vOut.noise\{, fundFreq\})

where vOut and vOut.noise are the signal and noise voltages at the output port, and fundFreq is the harmonic frequency index for the fundamental frequency. Note that fundFreq is not optional; it is required for harmonic balance simulations, but it is not applicable in AC simulations.

## Example

$\mathrm{y}=$ snr(vOut, vOut.noise, $\{1,0\}$ )
returns the signal-to-power noise ratio for a harmonic balance simulation.
$\mathrm{y}=\operatorname{snr}$ (vOut, vOut.noise)
returns the signal-to-power noise ratio for an AC simulation.

## Used in

Harmonic balance simulations

## Available as measurement component?

## SNR

Defined in
AEL, rf_system_fun.ael

## See also

ns_pwr_int, ns_pwr_ref_bw

## Description

This measurement gives the ratio of the output signal power (at the fundamental frequency for a harmonic balance simulation) to the total noise power (in dB ).

## sort

## Purpose

Returns a sorted variable

## Synopsis

## sort(data, sortOrder, indepName)

where data is a multidimensional scalar variable, sortOrder is the sorting order, \{"ascending", "decending"\}. (If not specified, it is set to "ascending.") indepName is used to specify the name of the independent variable for sorting. (If not specified, the sorting is done on the dependent.)

## Example

$$
y=\operatorname{sort}(\text { data })
$$

y = sort(data, "decending", "freq")

## Used in

Not applicable

## Available as measurement component?

Not applicable

## Defined in

## Built in

## See also

None

## Description

This measurement returns a sorted variable in ascending or descending order. The sorting can be done on the independent or dependent variables. String values are sorted by folding them to lower case.

## spec_power

## Purpose

Returns the integrated signal power ( dBm ) of a spectrum

## Synopsis

spec_power(sinkInstanceName\{, lowerFrequencyLimit, upperFrequencyLimit\}) where sinkInstanceName is the instance of the FFTAnalyzer or SpecAnalyzer sink in the DSP schematic window (values in dBm ). lowerFrequencyLimit and upperFrequencyLimit are optional and define the lower and upper frequency limits to be used in calculating the integrated power. The frequency unit used must match that used in SpecAnalyzer. The default unit is MHz. The entire spectral frequency range will be used if lowerFrequencyLimit and upperFrequencyLimit are not specified.

## Example

total_power=spec_power(Mod_Spectrum, 60, 71)
returns the integrated power between 60 and 71 MHz
total_power=spec_power(Mod_Spectrum, indep(m1), indep(m2))
returns the integrated power between markers 1 and 2
where Mod_Spectrum is the instance ID of an FFTAnalyzer or SpecAnalyzer sink

## Used in

Agilent Ptolemy simulations

## Available as measurement component?

This function is available for use in a MeasEqn component.

## Defined in

AEL, signal_proc_fun.ael

## See also

None

## Description

This function will return the total integrated power ( dBm ) of a spectrum. The frequency window over which the integrated power will be calculated can be specified, otherwise the entire spectral frequency range will be used.

The FFTAnalyzer and SpecAnalyzer sinks are valid for this measurement. These sinks should have a termination resistor shunted to ground at their input for a measurement referenced to an impedance such as 50 Ohms . This termination resistor value should be set to the Ref_Resistance value specified in the FFTAnalyzer or SpecAnalyzer sink. The display parameter of the sinks must be set to dBm .

## spur_track

## Purpose

Returns the maximum power of all signals appearing in a user-specifiable IF band, as a single RF input signal is stepped. If there is no IF signal appearing in the specified band, for a particular RF input frequency, then the function returns an IF signal power of -500 dBm.

## Synopsis

IFspur=spur_track(vs(vout, freq), if_low, if_high, rout)
where vout is the IF output node name, if_low is the lowest frequency in the IF band, if_high is the highest frequency in the IF band, rout is the load resistance connected to the IF port, necessary for computing power delivered to the load. IFspur computed above will be the power in dBm of the maximum signal appearing in the IF band, versus RF input frequency. Note that it would be easy to modify the function to compute dBV instead of dBm .

## Example

IFspur=spur_track(vs(HB.VIF1, freq), Fiflow[0, 0], Fifhigh[0, 0], 50)
where VIF1 is the named node at the IF output, Fiflow is the lowest frequency in the IF band, Fifhigh is the highest frequency in the IF band, and 50 is the IF load resistance. Fiflow and Fifhigh are passed parameters from the schematic page (although they can be defined on the data display page instead.) These parameters, although single-valued on the schematic, become matrices when passed to the dataset, where each element of the matrix has the same value. The $[0,0]$ syntax just selects one element from the matrix.

## Used in

Receiver spurious response simulations

## Available as measurement component?

No, but the function can be used on a schematic page, in a measurement equation.

## Defined in

AEL, digital_wireless_fun.ael

## See also

spur_track_with_if

This function can be applied to the data in the example: .../examples/Com_Sys/Spur_Track_prj/MixerSpurs2MHz.dds.

## Description.

This function is meant to aid in testing the response of a receiver to RF signals at various frequencies. This function shows the maximum power of all signals appearing in a user-specifiable IF band, as a single RF input signal is stepped. There could be fixed, interfering tones present at the RF input also, if desired. The maximum IF signal power may be plotted or listed versus the stepped RF input signal frequency. If there is no IF signal appearing in the specified band, for a particular RF input frequency, then the function returns an IF signal power of -500 dBm .

## spur_track_with_if

## Purpose

Returns the maximum power of all signals appearing in a user-specifiable IF band, as a single RF input signal is stepped. In addition, it shows the IF frequencies and power levels of each signal that appears in the IF band, as well as the corresponding RF signal frequency.

## Synopsis

IFspur=spur_track_with_if(vs(vout, freq), if_low, if_high, rout)
where vout is the IF output node name, if_low is the lowest frequency in the IF band, if_high is the highest frequency in the IF band, rout is the load resistance connected to the IF port, necessary for computing power delivered to the load. IFspur computed above will be the power in dBm of the maximum signal appearing in the IF band, versus RF input frequency. Note that it would be easy to modify the function to compute dBV instead of dBm .

## Example

IFspur=spur_track_with_if(vs(HB.VIF1, freq), Fiflow[0, 0], Fifhigh[0, 0], 50)
where VIF1 is the named node at the IF output, Fiflow is the lowest frequency in the IF band, Fifhigh is the highest frequency in the IF band, and 50 is the IF load resistance. Fiflow and Fifhigh are passed parameters from the schematic page (although they can be defined on the data display page instead.) These parameters, although single-valued on the schematic, become matrices when passed to the dataset, where each element of the matrix has the same value. The $[0,0]$ syntax just selects one element from the matrix.

## Used in

Receiver spurious response simulations

## Available as measurement component?

No, but the function can be used on a schematic page, in a measurement equation.

## Defined in

AEL, digital_wireless_fun.ael

## See also

spur_track

This function can be applied to the data in the example: .../examples/Com_Sys/Spur_Track_prj/MixerSpurs2MHz.dds.

## Description

This function is meant to aid in testing the response of a receiver to RF signals at various frequencies. This function, similar to the spur_track function, shows the maximum power of all signals appearing in a user-specifiable IF band, as a single RF input signal is stepped. In addition, it shows the IF frequencies and power levels of each signal that appears in the IF band, as well as the corresponding RF signal frequency. There could be fixed, interfering tones present at the RF input also, if desired. The maximum IF signal power may be plotted or listed versus the stepped RF input signal frequency.

## sqrt

## Purpose

Returns the square root of a positive integer or real number

## Synopsis

$$
\mathrm{y}=\operatorname{sqrt}(\mathrm{x})
$$

where x is a positive integer or real number.

## Examples

$\mathrm{a}=\operatorname{sqrt}(4)$
returns 2
Used in
Not applicable

## Available as measurement component?

Not applicable
Defined in
Built in

## See also

abs, cint, exp, float, int, $\log 10$, pow, sgn

## stab_fact

## Purpose

Returns the Rollett stability factor

## Synopsis

## stab_fact(S)

where S is the scattering matrix of a 2-port network.

## Example

k = stab_fact(S)
Used in
Small-signal and large-signal S-parameter simulations
Available as measurement component?
StabFact
Defined in
AEL, rf_system_fun.ael
See also
max_gain, sm_gamma1, sm_gamma2, stab_meas
Description
Given a $2 \times 2$ scattering matrix between the input and measurement ports, thisfunction calculates the stability factor.
The Rollett stability factor is given by
$\mathrm{k}=\left\{1-|\mathrm{S} 11|^{* * 2}-|\mathrm{S} 22|^{* *} 2+|\mathrm{S} 11 * \mathrm{~S} 22-\mathrm{S} 12 * \mathrm{~S} 21|{ }^{* *} 2\right\} /\left\{2^{*}|\mathrm{~S} 12 * \mathrm{~S} 21|\right\}$The necessary and sufficient conditions for unconditional stability are that thestability factor is greater than unity and the stability measure is positive.
Reference
[1]Guillermo Gonzales, Microwave Transistor Amplifiers, second edition,Prentice-Hall, 1997.

## stab_meas

## Purpose

Returns the stability measure

## Synopsis

stab_meas(S)
where S is the scattering matrix of a 2-port network.

## Example

b = stab_meas(S)
Used in
Small-signal and large-signal S-parameter simulations
Available as measurement component?
StabMeas
Defined in
AEL, rf_system_fun.ael
See also
max_gain, sm_gamma1, sm_gamma2, stab_fact
Description
Given a $2 \times 2$ scattering matrix between the input and measurement ports, thisfunction calculates the stability measure.
The stability measure is given by
$\mathrm{b}=1+|\mathrm{S} 11|^{* *} 2-|\mathrm{S} 22|^{* *} 2-|\mathrm{S} 11 * \mathrm{~S} 22-\mathrm{S} 12 * \mathrm{~S} 21|^{* *} 2$
The necessary and sufficient conditions for unconditional stability are that thestability factor is greater than unity and the stability measure is positive.
Reference
[1]Guillermo Gonzales, Microwave Transistor Amplifiers, second edition,Prentice-Hall, 1997.

## stddev

## Purpose

## Returns the standard deviation

## Synopsis

## stddev(x\{, flag\})

where x is the data and flag is used to indicate how stddev normalizes. By default, flag is set to 0 , which means that stddev normalizes by $\mathrm{N}-1$, where N is the length of the data sequence. Otherwise, stddev normalizes by N .

## Example

$\mathrm{y}=\operatorname{stddev}($ data $)$
$\mathrm{y}=\operatorname{stddev}($ data, 1$)$

## Used in

Not applicable

## Available as measurement component?

This function can only be entered by means of a Eqn component in the Data Display window.

## Defined in

AEL, statistical_fun.ael

## See also

mean

## Description

This function calculates the standard deviation of the data.

## stoabcd

## Purpose

## Performs S-to-ABCD conversion

## Synopsis

## stoabcd(S, zRef)

where S is a scattering matrix of a 2-port network and zRef is a reference impedance.

## Example

$\mathrm{a}=\operatorname{stoabcd}(\mathrm{S}, 50)$
Used in
Small-signal and large-signal S-parameter simulations

## Available as measurement component?

This equation can be entered by means of a MeasEqn component in S_Param Simulation and LSSP Simulation palettes in the Schematic window. There is no explicit measurement component.

## Defined in

AEL, network_fun.ael

## See also

abcdtoh, stoh, stoy

## Description

This measurement transforms the scattering matrix of a 2-port network to a chain (ABCD) matrix.

## stoh

## Purpose

Performs S-to-H conversion

## Synopsis

stoh(S, zRef)
where S is a scattering matrix of a 2-port network and zRef is a reference impedance.

## Example

$\mathrm{h}=\operatorname{stoh}(\mathrm{S}, 50)$
Used in
Small-signal and large-signal S-parameter simulations

## Available as measurement component?

This equation can be entered by means of a MeasEqn component in S_Param Simulation and LSSP Simulation palettes in the Schematic window. There is no explicit measurement component.
Defined in
AEL, network_fun.ael

## See also

htos, stoabcd, stoy

## Description

This measurement transforms the scattering matrix of a 2-port network to a hybrid matrix.

## stos

## Purpose

Performs S-to-S conversion

## Synopsis

## stos(S, zRef, zNew)

where S is a scattering matrix, zRef is a normalizing impedance, and zNew is a new normalizing impedance.

## Example

$$
\mathrm{y}=\operatorname{stos}(\mathrm{S}, 50,75)
$$

Used in
Small-signal and large-signal S-parameter simulations

## Available as measurement component?

This equation can be entered by means of a MeasEqn component in S_Param Simulation and LSSP Simulation palettes in the Schematic window. There is no explicit measurement component.

## Defined in

AEL, network_fun.ael

## See also

stoy, stoz

## Description

This function changes the normalizing impedance of a scattering matrix.

## stoy

## Purpose

Performs S-to-Y conversion
Synopsis
stoy(S, zRef)
where S is a scattering matrix of a 2-port network and zRef is a reference impedance.

## Example

$$
\mathrm{y}=\operatorname{stoy}(\mathrm{S}, 50.0)
$$

## Used in

## Small-signal and large-signal S-parameter simulations

## Available as measurement component?

This equation can be entered by means of a MeasEqn component in S_Param Simulation and LSSP Simulation palettes in the Schematic window. There is no explicit measurement component.

## Defined in

AEL, network_fun.ael

## See also

stoh, stoz, ytos

## Description

This measurement transforms a scattering matrix to an admittance matrix.

## stoz

## Purpose

## Performs S-to-Z conversion

## Synopsis

stoz(S, Z0)
where S is a scattering matrix of a 2-port network and z 0 is a reference impedance.

## Example

$\mathrm{z}=\operatorname{stoz}(\mathrm{S}, 50)$
Used in
Small-signal and large-signal S-parameter simulations

## Available as measurement component?

This equation can be entered by means of a MeasEqn component in S_Param Simulation and LSSP Simulation palettes in the Schematic window. There is no explicit measurement component.

## Defined in

AEL, network_fun.ael

## See also

stoh, stoy, ztos

## Description

This measurement transforms a scattering matrix to an impedance matrix.

## sum

## Purpose

Returns the sum
Synopsis
$\mathrm{Y}=\operatorname{sum}(\mathrm{X})$
Example
$\mathrm{a}=\operatorname{sum}([1,2,3])$
returns 6
Used in
Not applicable
Available as measurement component?
Not applicable
Defined in
Built in
See also
max, mean, min

## sweep_dim

## Purpose

Returns the dimensionality of the data

## Synopsis

sweep_dim(x)

## Example

sweep_dim(1)
0
sweep_dim([1, 2, 3])
1

## Used in

Not applicable

## Available as measurement component?

Not applicable

## Defined in

## Built in

## See also

sweep_size

## sweep_size

## Purpose

Returns the sweep size of a data object

## Synopsis

$\mathrm{Y}=$ sweep_size(X)
This function returns a vector with an entry corresponding to the length of each sweep.

## Example

Given 2-port S-parameters versus frequency, and given 10 frequency points, there are then ten $2 \times 2$ matrices. sweep_size() is used to return the sweep size of the S-parameter matrix, and its companion function size() returns the dimensions of the S-parameter matrix itself:
a=sweep_size(S)
returns 10
size(S)
returns $\{2,2\}$
Used in
Not applicable

## Available as measurement component?

Not applicable

## Defined in

## Built in

## See also

size, sweep_dim

## tan

## Purpose

Returns the tangent of an integer or real number

## Synopsis

$$
\mathrm{y}=\tan (\mathrm{x})
$$

where $x$ is an integer or real number, in radians.

## Examples

$\mathrm{a}=\tan (\mathrm{p} / 4)$
returns 1
$\mathrm{a}=\tan (+/-\mathrm{pi} / 2)$
returns +/- 1.633 E 16

## Used in

## Not applicable

## Available as measurement component?

Not applicable
Defined in
Built in
See also
cos, sin
tanh
Purpose
hyperbolic tangent
Synopsis
$\tanh (\mathrm{x})$
Example
$\tanh (0)$
0
$\tanh (1)$
0.761594
$\tanh (-1)$
-0.761594
Used in
Not applicable
Available as measurement component?
Not applicable
Defined in
Built in
See also
sinh, cosh

## trajectory

## Purpose

Generates the trajectory diagram from I and Q data, which are usually produced by a Circuit Envelope simulation

## Synopsis

Traj = trajectory(i_data, q_data)
where
i_data is the in-phase component of data versus time of a single complex voltage spectral component (for example, the fundamental). This could be a baseband signal instead, but in either case it must be real valued versus time.
q_data is the quadrature-phase component of data versus time of a single complex voltage spectral component (for example, the fundamental). This could be a baseband signal instead, but in either case it must be real valued versus time

## Examples

Rotation $=-0.21$
Vfund=vOut[1] *exp(j * Rotation)
Vimag $=\operatorname{imag}($ Vfund $)$
Vreal $=\operatorname{real}($ Vfund $)$
Traj = trajectory(Vreal, Vimag)
where Rotation is a user-selectable parameter that rotates the trajectory diagram by that many radians, and vOut is the named connection at a node.

Note vOut is a named connection on the schematic. Assuming that a Circuit Envelope simulation was run, vOut is output to the dataset as a two-dimensional matrix. The first dimension is time, and there is a value for each time point in the simulation. The second dimension is frequency, and there is a value for each fundamental frequency, each harmonic, and each mixing term in the analysis, as well as the baseband term.
vOut[1] is the equivalent of vOut[::, 1], and specifies all time points at the lowest non-baseband frequency (the fundamental analysis frequency, unless a multitone analysis has been run and there are mixing products). For former MDS users, the notation "vOut[*, 2]" in MDS corresponds to the ADS notation of "vOut[1]".

## Used in

Trajectory diagram generation

## Available as measurement component?

Equations listed under Description can be entered by means of a MeasEqn component in the Schematic window. There is no explicit trajectory measurement function.

## Defined in

hpeesof/expressions/ael/digital_wireless_fun.ael

## See also

constellation, const_evm

## Description

The I and Q data do not need to be baseband waveforms. For example, they could be the in-phase (real or I) and quadrature-phase (imaginary or Q) part of a modulated carrier. The user must supply the I and Q waveforms versus time.

## transpose

## Purpose

Transposes a matrix

## Synopsis

$$
\mathrm{Y}=\operatorname{transpose}(\mathrm{y})
$$

This function transposes a matrix, but does not perform a conjugate transpose for complex matrices.

## Example

$a=\{\{1,2\},\{3,4\}\}$
$\mathrm{b}=$ transpose $(\mathrm{a})$
returns $\{\{1,3\},\{2,4\}\}$
Used in
Not applicable
Available as measurement component?
Not applicable
Defined in
Built in

## See also

None

## ts

## Purpose

Performs a frequency-to-time transform

## Synopsis

ts(x, tstart, tstop, numtpts, dim, windowType, windowConst, nptsspec)
See detailed Description below.

## Example

The following examples of ts assume that a harmonic balance simulation was performed with a fundamental frequency of 1 GHz and order $=8$ :
$\mathrm{Y}=\mathrm{ts}(\mathrm{vOut})$ returns the time series $(0,20 \mathrm{ps}, \ldots, 2 \mathrm{~ns}), 0$ to 5 ns .
$\mathrm{Y}=\mathrm{ts}(\mathrm{vOut}, 0,1 \mathrm{~ns})$ returns the time series $(0,10 \mathrm{ps}, \ldots, 1 \mathrm{~ns})$.
$\mathrm{Y}=\mathrm{ts}(\mathrm{vOut}, 0,10 \mathrm{~ns}, 201)$ returns the time series $(0,50 \mathrm{ps}, \ldots, 10 \mathrm{~ns})$.
$\mathrm{Y}=\mathrm{ts}(\mathrm{vOut}, ~, ~, ~, ~, ~, ~ 3) ~ r e t u r n s ~ t h e ~ t i m e ~ s e r i e s ~(~ 0, ~ 20 p s, ~ . . . ~, ~ 2 n s), ~ b u t ~ o n l y ~ u s e s ~$ harmonics from 1 to 3 GHz .

## Used in

Harmonic balance simulations

## Available as measurement component?

Not applicable

## Defined in

Built in

## See also

fft, fs, fspot

## Description

$\mathrm{ts}(\mathrm{x})$ returns the time domain waveform from a frequency spectrum. When x is a multidimensional vector, the transform is evaluated for each vector in the specified dimension. For example, if $x$ is a matrix, then $\operatorname{ts}(x)$ applies the transform to every row of the matrix. If x is three dimensional, then $\mathrm{ts}(\mathrm{x})$ is applied in the lowest dimension over the remaining two dimensions. The dimension over which to apply the transform may be specified by dimension; the default is the lowest dimension (dimension=1).
x must be numeric. It will typically be data from a harmonic balance analysis.
By default, two cycles of the waveform are produced with 101 points, starting at time zero, based on the lowest frequency in the input spectrum. These may be changed by setting tstart, tstop, or numtpts.
All of the harmonics in the spectrum will be used to generate the time domain waveform. When the higher-order harmonics are known not to contribute significantly to the time domain waveform, only the first $n$ harmonics may be requested for the transform, by setting nptsspec $=n$.

The data to be transformed may be windowed by a window specified by windowType, with an optional window constant windowConst. The window types allowed and their default constants are:
$0=$ None
1 = Hamming 0.54
2 = Hanning 0.50
$3=$ Gaussian 0.75
4 = Kaiser 7.865
$5=85106.0$ (This is equivalent to the frequency-to-time transformation with normal gate window setting in the 8510 series network analyzer.)

6 = Blackman
7 = Blackman-Harris
windowType can be specified either by the number or by the name.

## type

## Purpose

Returns the type of the data

## Synopsis

type(x)
Returns a string, which is one of "Integer", "Real", "Complex" or "String"
Example
type(1)
"Integer"
type(1i)
"Complex"
type("type")
"String"

## Used in

Not applicable
Available as measurement component?
Not applicable

## Defined in

Built in

## See also

what

## unwrap

## Purpose

## Unwraps phase

## Synopsis

y = unwrap(phase\{, jump\})
where phase is a swept real variable and jump is the absolute jump. By default, jump is set to 180 .

## Example

unwrap(phase(S21))
unwrap(phaserad(S21, pi))
Used in
Not applicable

## Available as measurement component?

Not applicable
Defined in
Built-in

## See also

dev_lin_phase, diff, phase, phasedeg, phaserad, ripple, unwrap

## Description

This measurement unwraps a phase by changing an absolute jump greater than jump to its $2 *$ jump complement.

## vfc

## Purpose

Returns frequency-selective voltage

## Synopsis

vfc(vPlus, vMinus, harm_freq_index)
where vPlus and vMinus are the voltages at the positive and negative terminals, and harm_freq_index is the harmonic index of the desired frequency. Note that the harm_freq_index argument's entry should reflect the number of tones in the harmonic balance controller. For example, if one tone is used in the controller, there should be one number inside the braces; two tones would require two numbers separated by a comma.

## Example

The following example is for two tones in the harmonic balance controller:
$\mathrm{y}=\mathrm{vfc}(\mathrm{vOut}, 0,\{1,0\})$

## Used in

Harmonic balance simulation

## Available as measurement component?

Vfc

## Defined in

AEL, circuit_fun.ael

## See also

ifc, pfc

## Description

This measurement gives the RMS voltage value of one frequency-component of a harmonic balance waveform.

## vfc_tran

## Purpose

Returns the transient frequency-selective voltage

## Synopsis

vfc_tran(vPlus, vMinus, fundFreq, harmNum)
where vPlus and vMinus are the voltages at the positive and negative terminals, fundFreq is the fundamental frequency, and harmNum is the harmonic number of the fundamental.

## Example

$\mathrm{y}=\mathrm{vfc} \_$tran $(\mathrm{vOut}, 0,1 \mathrm{GHz}, 1)$
Used in
Transient simulations

## Available as measurement component?

VfcTran
Defined in
AEL, circuit_fun.ael

## See also

ifc_tran, pfc_tran

## Description

This measurement gives the RMS voltage across any two nodes at a particular frequency of interest. The fundamental frequency determines the portion of the time-domain waveform to be converted to frequency domain. This is typically one full period corresponding to the lowest frequency in the waveform. The harmonic number is the fundamental frequency at which the voltage is requested (positive integer value only).

## volt_gain

## Purpose

Returns the voltage gain

## Synopsis

y= volt_gain(S, Zs, Zl\{, Zref\})
where S is the $2 \times 2$ scattering matrix, and Zs and Zl are the input and output impedances, respectively. Zref is the reference impedance, set by default to the port impedance.

## Example

y=volt_gain(S, 50, 75)

## Used in

## Small-signal and large-signal S-parameter simulations

## Available as measurement component?

VoltGain

## Defined in

circuit_fun.ael

## See also

pwr_gain, volt_gain_max

## Description

This measurement determines the ratio of the voltage across the load to the voltage available from the source. The network-parameter transformation function "stos" can be used to change the normalizing impedance of the scattering matrix.

## volt_gain_max

## Purpose

Returns the voltage gain at maximum power transfer

## Synopsis

$$
\mathrm{Y}=\text { volt_gain_max(S, Zs, Zl\{, Zref\}) }
$$

where S is the $2 \times 2$ scattering matrix, and Zs and Zl are the input and output impedances, respectively. Zref is the reference impedance, set by default to the port impedances.

## Example

$$
\mathrm{y}=\text { volt_gain_max(S, } 50,75)
$$

## Used in

Small-signal and large-signal S-parameter simulations

## Available as measurement component?

Not available

## Defined in

> AEL, rf_system_fun.ael

## See also

pwr_gain, volt_gain

## Description

This measurement determines the ratio of the voltage across the load to the voltage available from the source at maximum power transfer. The network-parameter transformation function "stos" can be used to change the normalizing impedance of the scattering matrix.

## VS

## Purpose

Attaches an independent to data

## Synopsis

vs(dependent, independent)
Example
$\mathrm{a}=[1,2,3]$
$\mathrm{b}=[4,5,6]$
$\mathrm{c}=\mathrm{vs}(\mathrm{a}, \mathrm{b})$
Builds c with independent b , and dependent a .
Used in
Not applicable
Available as measurement component?
Not applicable
Defined in
Built in
See also
indep

## vspec_tran

## Purpose

Returns the transient voltage spectrum

## Synopsis

vspec_tran(vPlus, vMinus, fundFreq, numHarm)
where vPlus and vMinus are the voltages at the positive and negative terminals, fundFreq is the fundamental frequency, and numHarm is the number of harmonics of the fundamental frequency (positive integer value only).

## Example

$\mathrm{y}=\mathrm{vspec} \_$tran(v1, v2, $1 \mathrm{GHz}, 8$ )
Used in
Transient simulation

## Available as measurement component?

VspecTran
Defined in
AEL, circuit_fun.ael

## See also

ispec_tran, pspec_tran

## Description

This measurement gives a voltage spectrum across any two nodes. The measurement gives a set of RMS voltages at each frequency. The fundamental frequency
determines the portion of the time-domain waveform to be converted to the frequency domain. This is typically one full period corresponding to the lowest frequency in the waveform. numHarm is the number of harmonics of the fundamental frequency to be included in the voltage spectrum.

## VSWr

## Purpose

Returns the voltage standing-wave ratio (VSWR)

## Synopsis

## vswr(Sii)

where Sii is the complex reflection coefficient.

## Example

$\mathrm{y}=\mathrm{vswr}$ (S11)
Used in
Small-signal and large-signal S-parameter simulations
Available as measurement component?
VSWR
Defined in
AEL, rf_system_fun.ael

## See also

yin, zin

## Description

Given a complex reflection coefficient, this measurement returns the voltage standing wave ratio.

## vt

## Purpose

Returns time-domain voltage waveform

## Synopsis

vt(vPlus, vMinus, tmin, tmax, numOfPnts)
where vPlus and vMinus are the voltages at the positive and negative nodes, respectively, tmin and tmin are the start time and stop time, respectively, and numOfPts is the number of points (integer values only).

## Example

$$
\mathrm{y}=\mathrm{vt}(\mathrm{vOut}, 0,0,10 \mathrm{nsec}, 201)
$$

## Used in

Harmonic balance simulation

## Available as measurement component?

## Vt

## Defined in

AEL, circuit_fun.ael

## See also

> it

## Description

This measurement converts a harmonic-balance voltage frequency spectrum to a time-domain voltage waveform.
vt ..... tran
Purpose
Returns the transient time-domain voltage waveform
Synopsis
$\mathrm{Y}=$ vt_tran(vPlus, vMinus)where vPlus and vMinus are the terminals across which the voltage is measured.
Example
$\mathrm{y}=\mathrm{vt}$ _tran( $\mathrm{v} 1, \mathrm{v} 2$ )
Used in
Transient simulations
Available as measurement component?
VtTran
Defined in
AEL, circuit_fun.ael
See alsovt
Description
This measurement produces a transient time-domain voltage waveform for specified nodes. vPlus and vMinus are the nodes across which the voltage is measured.

## what

## Purpose

Returns size and type of data

## Synopsis

## what(x)

## Example

None

## Used in

Not applicable

## Available as measurement component?

Not applicable

## Defined in

## Built in

## See also

type

## Description

what() is used to find out the dimensions of a piece of data, the attached independents, the type, and (in the case of a matrix) the number of rows and columns. Use what() by entering a listing column and using the trace expression what(x).

## yield_sens

## Purpose

Returns the yield as a function of a design variable

## Synopsis

yield_sens(pf_data\{, numBins\})
where pf_data is a binary-valued scalar data set indicating the pass/fail status of each value of a companion independent variable, and numBins is the number of subintervals or bins used to measure yield_sens.

## Example

yield_sens(pf_data)
yield_sens(pf_data, 20)

## Used in

Monte Carlo simulation

## Available as measurement component?

This function can only be entered by means of a Eqn component in the Data Display window (or by choosing Insert > Equation, or clicking the Eqn button on the left side of the window). There is no measurement component in schematic window.

## Defined in

AEL, statistical_fun.ael

## See also

cdf, histogram, pdf
Description
This function measures the yield as a function of a design variable. The default value for numBins is set to $\log ($ numOfPts $) / \log (2.0)$ by default. For more information and an example refer to "Creating a Sensitivity Histogram" on page 3-18 in the Tuning, Optimization and Statistical Design manual.

## yin

## Purpose

Returns the port input admittance

## Synopsis

## yin(Sii, Z)

where Sii is a complex reflection coefficient and Z is a reference impedance.

## Example

$\mathrm{y}=\mathrm{yin}(\mathrm{S} 11,50)$
Used in
Small-signal and large-signal S-parameter simulations

## Available as measurement component?

## Yin

## Defined in

AEL, network_fun.ael

## See also

vswr, zin

## Description

Given a reflection coefficient and the reference impedance, this measurement returns the input admittance looking into the measurement ports.

## yopt

## Purpose

Returns optimum admittance for noise match

## Synopsis

yopt(gammaOpt, zRef)
where gammaOpt is a optimum reflection coefficient and zRef is a reference impedance.

## Example

$$
\mathrm{y}=\mathrm{yopt}(\text { Sopt, } 50)
$$

Used in
Small-signal S-parameter simulations
Available as measurement component?
Yopt
Defined in
Built in
See also
zopt
Description

This complex measurement produces the optimum source admittance for noise matching. gammaOpt is the optimum reflection coefficient that must be presented at the input of the network to realize the minimum noise figure (NFmin).

## ytoabcd

## Purpose

## Performs Y-to-ABCD conversion

## Synopsis

## ytoabcd(Y)

where Y is an admittance matrix.

## Example

$\mathrm{a}=\mathrm{ytoabcd}(\mathrm{Y})$
Used in
Small-signal and large-signal S-parameter simulations

## Available as measurement component?

This equation can be entered by means of a MeasEqn component in S_Param Simulation and LSSP Simulation palettes in the Schematic window. There is no explicit measurement component.

## Defined in

AEL, network_fun.ael

## See also

abcdtoh, htoabcd

## Description

This measurement transforms an admittance matrix of a 2-port network into a hybrid matrix.

## ytoh

## Purpose

Performs Y-to-H conversion

## Synopsis

ytoh(Y)
where Y is an admittance matrix.

## Example

$\mathrm{h}=\mathrm{ytoh}(\mathrm{Y})$

## Used in

Small-signal and large-signal S-parameter simulations

## Available as measurement component?

This equation can be entered by means of a MeasEqn component in S_Param Simulation and LSSP Simulation palettes in the Schematic window. There is no explicit measurement component.

## Defined in

AEL, network_fun.ael

## See also

htoy, ytoabcd

## Description

This measurement transforms an admittance matrix of a 2-port network into a hybrid matrix.

## ytos

## Purpose

## Performs Y-to-S conversion

## Synopsis

$\mathrm{S}=\mathrm{ytos}(\mathrm{Y}, \mathrm{zRef})$
where Y is an admittance matrix and zRef is a reference impedance.
Example
$\mathrm{s}=\mathrm{ytos}(\mathrm{Y}, 50.0)$
Used in
Small-signal and large-signal S-parameter simulations

## Available as measurement component?

This equation can be entered by means of a MeasEqn component in S_Param Simulation and LSSP Simulation palettes in the Schematic window. There is no explicit measurement component.

## Defined in

AEL, network_fun.ael

## See also

stoy, ytoz

## Description

This measurement transforms an admittance matrix into a scattering matrix.

## ytoz

## Purpose

## Performs Y-to-Z conversion

## Synopsis

$\mathrm{Z}=\mathrm{ytoz}(\mathrm{Y})$
where Y is an admittance matrix

## Example

$\mathrm{z}=\mathrm{ytoz}(\mathrm{Y})$
Used in
Small-signal and large-signal S-parameter simulations

## Available as measurement component?

This equation can be entered by means of a MeasEqn component in S_Param Simulation and LSSP Simulation palettes in the Schematic window. There is no explicit measurement component.

## Defined in

AEL, network_fun.ael
See also
ytos, ztoy

## Description

This measurement transforms an admittance matrix to an impedance matrix.

## zeros

## Purpose

## Returns a matrix of zeros

## Synopsis

$$
\mathrm{Y}=\operatorname{zeros}(2)
$$

$\mathrm{Y}=\mathrm{zeros}(2,3)$
This is the zeros matrix. If only one argument is supplied, then a square matrix is returned. If two are supplied, then a matrix of zeros with size rows $\times$ cols is returned.

## Example

$\mathrm{a}=\mathrm{zeros}(2)$;
returns $\{\{0,0\},\{0,0\}\}$
$\mathrm{b}=(2,3)$
returns $\{\{0,0,0\},\{0,0,0\}\}$
Used in
Not applicable

## Available as measurement component?

Not applicable

## Defined in

Built in

## See also

identity, ones

## zin

## Purpose

Returns the port input impedance

## Synopsis

zin(Sii, Z)
where Sii is a complex reflection coefficient and Z is a reference impedance.

## Example

$\mathrm{y}=\mathrm{zin}(\mathrm{S} 11,50.0)$
Used in
Small-signal and large-signal S-parameter simulations
Available as measurement component?
Zin
Defined in
AEL, network_fun.ael

## See also

vswr, yin

## Description

Given a reflection coefficient and the reference impedance, this measurement returns the input impedance looking into the measurement ports.

## zopt

## Purpose

Returns the optimum impedance for noise matching

## Synopsis

## zopt(gammaOpt, zRef)

where gammaOpt is an optimum reflection coefficient and zRef is a reference impedance.

## Example

$$
\mathrm{y}=\mathrm{zopt}(\text { Sopt, } 50)
$$

Used in
Small-signal S-parameter simulations
Available as measurement component?
Zopt
Defined in
AEL, circuit_fun.ael
See also
yopt
Description

This complex measurement produces the optimum source impedance for noise matching. gammaOpt is the optimum reflection coefficient that must be presented at the input of a network to realize the minimum noise figure (NFmin).

## ztoabcd

## Purpose

Performs Z-to-ABCD conversion

## Synopsis

## ztoabcd(Z)

where Z is an impedance matrix.

## Example

$\mathrm{a}=\mathrm{ztoabcd}(\mathrm{Z})$

## Used in

Small-signal and large-signal S-parameter simulations

## Available as measurement component?

This equation can be entered by means of a MeasEqn component in S_Param Simulation and LSSP Simulation palettes in the Schematic window. There is no explicit measurement component.

## Defined in

AEL, network_fun.ael

## See also

abcdtoz, ytoabcd, ztoh

## Description

This measurement transforms an impedance matrix of a 2-port network into a chain (ABCD) matrix.

## ztoh

## Purpose

Performs Z-to-H conversion

## Synopsis

ztoh(Z)
where Z is an impedance matrix.

## Example

$\mathrm{h}=\mathrm{ztoh}(\mathrm{Z})$

## Used in

Small-signal and large-signal S-parameter simulations

## Available as measurement component?

This equation can be entered by means of a MeasEqn component in S_Param Simulation and LSSP Simulation palettes in the Schematic window. There is no explicit measurement component.

## Defined in

AEL, network_fun.ael

## See also

htoz, ytoh, ztoabcd

## Description

This measurement transforms an impedance matrix of a 2-port network into a hybrid matrix.

## ztos

## Purpose

## Performs Z-to-S conversion

## Synopsis

ztos(Z, zRef)
where Z is an impedance matrix and zRef is a reference impedance.

## Example

$\mathrm{s}=\mathrm{ztos}(\mathrm{Z}, 50.0)$
Used in
Small-signal and large-signal S-parameter simulations

## Available as measurement component?

This equation can be entered by means of a MeasEqn component in S_Param Simulation and LSSP Simulation palettes in the Schematic window. There is no explicit measurement component.

## Defined in

AEL, network_fun.ael

## See also

stoz, ytos, ztoy

## Description

This measurement transforms an impedance matrix to a scattering matrix.

## ztoy

## Purpose

## Performs Z-to-Y conversion

## Synopsis

ztoy (Z)
where Z is an impedance matrix.

## Example

$\mathrm{y}=\mathrm{ztoy}(\mathrm{Z})$
Used in...
Small-signal and large-signal S-parameter simulations

## Available as measurement component?

This equation can be entered by means of a MeasEqn component in S_Param Simulation and LSSP Simulation palettes in the Schematic window. There is no explicit measurement component.

## Defined in

AEL, network_fun.ael

## See also

stoz, ytos, ztoy

## Description

This measurement transforms an impedance matrix to an admittance matrix.

## Chapter 4: Simulator Expression Reference

This chapter lists and describes the expressions (functions) that are available within the Advanced Design System at simulation runtime. These expressions include mathematical functions such as those for matrix conversion, trigonometry, absolute value, and the like.

Unlike the measurement equations (MeasEqn) described in Chapter 3, these equations are used internally during simulation time, and are known as Simulator Expressions or sometimes as VarEqn expressions. These expressions can be entered into the program by means of the VarEqn component or used in place of a parameter for any component: for example in a resister, $\mathrm{R}=\sin 5$. These expressions are evaluated at the start of simulation. If a term is undefined at the start of simulation, such as $R=S_{11}$, where the results of $S_{11}$ will not be known until the simulation is complete, an error will be returned.
The VarEqn component is available in the Data Items palette in an Analog/RF Systems Schematic window or from the Controllers palette in a Signal Processing Schematic window.

For information on the general use of VAR components, place a VAR component on a Schematic, double click it, and then click the Help button in the Component dialog box. Or from any ADS Window choose Help > Topics and Index > Components > Circuit Components $>$ Introduction and Simulation Components $>$ Chapter 1, Introduction > VAR.

In this chapter you will find:

- A list of the Simulator Expressions.
- A list of simulator variables and constants.
- A list of mathematical operators and hierarchy that can be used with these expressions.


## How to Enter Simulator Expressions

The basic ways to enter the equations or expressions that are available at simulation runtime are as follows:

- Place and setup a VarEqn component.
- Place any component and enter a function in place of a component parameter.
- Place and set up a FDD (frequency-defined device) or SDD (symbolically-defined device).


## Simulator Expressions

The following table lists the Simulator Expressions available in ADS and a brief description of each.

## Table 4-1.

| Function | Description |
| :--- | :--- |
| d_atan2(a, b, c, d) | derivative of atan2() |
| $\sin (x)$ | sine function |
| $\cos (x)$ | cosine function |
| $\tan (x)$ | tangent function |
| $\cot (x)$ | cotangent function |
| $\sinh (x)$ | hyperbolic sine function |
| $\cosh (x)$ | hyperbolic cosine function |
| $\tanh (x)$ | hyperbolic cotangent function |
| $\operatorname{coth}(x)$ | exponential function |
| $\exp (x)$ | natural log function |
| $\ln (x)$ | log base 10 function |
| $\log (x)$ | square root function |
| $\operatorname{sqrt}(x)$ | complex-conjugate function |
| $\operatorname{conj}(x)$ | magnitude function |
| $\operatorname{mag}(x)$ | phase (in radians) function |
| $\operatorname{phaserad}(x)$ | imaginary-part function |
| $\operatorname{imag}(x)$ | real-part function |
| $\operatorname{real}(x)$ | phase (in degrees) function |
| $\operatorname{phasedeg}(x)$ | phase (in degrees) function |
| $\operatorname{phase}(x)$ | radian-to-degree conversion function |
| $\operatorname{deg}(x)$ | convert-to-integer function |
| $\operatorname{rad}(x)$ | $\operatorname{int}(x)$ |

## 4-2 Simulator Expressions

| Function | Description |
| :---: | :---: |
| $\operatorname{atan2}(\mathrm{y}, \mathrm{x})$ | arctangent function (two real arguments) |
| complex(x, y) | real-to-complex conversion function |
| polar(x, y) | polar-to-rectangular conversion function |
| dbpolar(x, y) | (dB,angle)-to-rectangular conversion function |
| vswrpolar(x, y) | (VSWR,angle)-to-rectangular conversion function |
| ripple( $x, y, z, v$ ) | ripple(amplitude, intercept, period, variable) sinusoidal ripple function |
| $\mathrm{db}(\mathrm{x})$ | decibel function |
| $\max (\mathrm{x}, \mathrm{y})$ | maximum function |
| $\min (x, y)$ | minimum function |
| spectrum(...) | spectrum(function(0), Npts, Period, Delay, Window) returns spectral array |
| impulse(...) | impulse(CpxFunction(0), Npts, TimeStep, CenterFreq, Window) returns impulse array |
| abs(A0) | absolute value function |
| $\operatorname{sgn}(\mathrm{AO})$ | signum function |
| $\operatorname{arcsinh}(\mathrm{AO})$ | arcsinh function |
| $\arctan (\mathrm{AO})$ | arctan function |
| $\operatorname{acos}(\mathrm{A} 0)$ | Arc-cosine( $x$ ) for $x$ real and $-1<=x<=1$ |
| $\operatorname{asin}(\mathrm{A} 0)$ | Arc-sine ( x ) for x real and $-1<=x<=1$ |
| $\operatorname{acosh}(\mathrm{A} 0)$ | Arc-hyperbolic-cosine(x) for $x$ real and $x>=1$ |
| $\operatorname{atanh}(\mathrm{A} 0)$ | Arc-hyperbolic-tangent( x ) for x real and |
| jn(A0, A1) | Bessel function |
| i(...) | current function |
| deembed(A0) | de-embedding function |
| delay(A0) | group delay function |
| deriv(A0, A1) | derivative function |
| fread(A0) | raw-file reading function |
| interp1(A0, A1) | interpolation function--one independent variable |
| interp2(A0, A1, A2) | interpolation function--two independent variables |


| Function | Description |
| :---: | :---: |
| interp3(A0, A1, A2, A3) | interpolation function--three independent variables |
| interp4(A0, A1, A2, A3, A4) | interpolation function--four independent variables |
| interp(...) | somewhat generalized scalar interpolation function |
| lookup(...) | data lookup function |
| access_data(...) | datafile dependents' lookup/interpolation function |
| access_all_data(...) | datafile indep+dep lookup/interpolation function |
| polarcpx(...) | polar to rectangular conversion function |
| scalearray(A0, A1) | scalar times a vector (array) function |
| qinterp(A0, A1) | quick and dirty interpolation function |
| $\operatorname{ramp}(\mathrm{AO})$ | ramp function |
| step(A0) | step function |
| setDT(A0) | Turns on discrete time transient mode (returns argument) |
| readraw(A0, A1, A2) | rawfile reading routine |
| readlib(A0, A1, A2, A3) | rawfile-from-library reading routine |
| readdata(...) | library or rawfile reading routine |
| $\operatorname{rect}(\mathrm{A} 0, \mathrm{~A} 1, \mathrm{~A} 2)$ | rectangular pulse function |
| rem(...) | remainder function. Examples: rem $(10,4)$ returns 2 , because 10 divided by 4 is 2 with a remainder of 2. rem $(5,5)$ returns 0 . rem $(x, y)=$ $x-\operatorname{int}(x / y)^{*} y$. If either $x$ or $y$ is a complex number, it's replaced by its mag() value. |
| limit_warn( [A0, A1, A2, A3, A4] ) | limit, default and warn function |
| awg_dia(A0) | wire gauge to diameter in meters |
| rpsmooth(A0) | rectangular-to-polar smoothing function |
| sens(A0, A1) | sensitivity function |
| $\operatorname{sinc}(\mathrm{A} 0)$ | $\sin (x) / x$ function |
| sprintf(A0, A1) | formatted print utility |
| strcat(...) | string concatenation utility |

## 4-4 Simulator Expressions

| Function | Description |
| :---: | :---: |
| system(A0) | UNIX system call function |
| rawtoarray(...) | rawfile pointer to sym array conversion function |
| makearray(...) | (1:real\|2:complex|3:string, A1, A2..) or (array, startIndex, stopIndex) |
| list(...) |  |
| length(A0) | returns number of elements in array |
| v(...) | voltage function |
| inoise(A0) | noise current function |
| vnoise(A0) | noise voltage function |
| nf (A0) | noise figure function |
| vss(...) | small-signal voltage function |
| vlsb(...) | small-signal lower-sideband voltage function |
| vusb(...) | small-signal upper-sideband voltage function |
| iss(...) | small-signal current function |
| ilsb(...) | small-signal lower-sideband current function |
| iusb(...) | small-signal upper-sideband current function |
| dphase(A0, A1) | Continuous phase difference (radians) between A0 and A1 |
| dbm(A0, A1) | convert voltage and impedance into dBm |
| dbmtoa(A0, A1) | convert dBm and impedance into short circuit current |
| dbmtov(A0, A1) | convert dBm and impedance into open circuit voltage |
| dbmtow(A0) | convert dBm to watts; takes one argument, e.g., dbmtow (-10) returns 1E-4 watts; can be combined with other functions, such as polar, where the polar argument is in degrees |
| dbwtow(A0) | convert dBW to watts; see dbmtow for more information |
| innerprod(...) | inner-product function |
| thd(A0) | total-harmonic-distortion function |
| norm(A0) | norm function |
| rms(...) | root-mean-square function |


| Function | Description |
| :--- | :--- |
| toi(A0) | third-order-intercept function |
| freq_mult_coef(A0) | frequency multiplier polynomial generator <br> function |
| freq_mult_poly(A0, A1) | frequency multiplier polynomial evaluation <br> function |
| window(A0, A1, A2, A3, A4) | spectral windowing function |
| internal_window(A0, A1, A2, A3, A4, A5) | internal spectral windowing function |
| generate_pulse_train_spectra(A0, A1, A2, A3, <br> A4, A5) | generate a pulse train spectra |
| internal_generate_pulse_train_spectra(A0, <br> A1, A2, A3, A4, A5, A6) | internal generate a pulse train spectra |
| sym_set(A0, A1) | set sym variable to a given value |
| log_amp(A0, A1, A2, A3) | successive detection logarithmic amplifier |
| log_amp_cas(A0, A1, A2, A3) | true logarithmic amplifier |
| generate_qpsk_pulse_spectra(A0, A1, A2, <br> A3, A4, A5, A6) | generate a QPSK pulse train spectra |
| internal_generate_qpsk_pulse_spectra(A0, | internal generate a QPSK pulse train spectra |
| A1, A2, A3, A4, A5, A6, A7) | generate the gmsk `i' or `q' |
| generate_piqpsk_spectra(A0, A1, A2, A3, A4, <br> A5, A6) | generate a pi/4 QPSK pulse train spectra |
| internal_generate_piqpsk_spectra(A0, A1, A2, | internal generate a pi/4 QPSK pulse train |
| spectra |  |
| A3, A4, A5, A6, A7) | function convert a binary to integer |
| bin(A0) | convert integer to binary |
| itob(A0, [A1] ) | generate a gmsk pulse train spectra |
| generate_gmsk_pulse_spectra(A0, A1, A2, <br> A3, A4, A5, A6, A7) | internal generate a gmsk pulse train spectra |
| internal_generate_gmsk_pulse_spectra(A0, |  |
| A1, A2, A3, A4, A5, A6, A7, A8) | generate a 16-QAM pulse train spectra |
| generate_qam16_spectra(A0, A1, A2, A3, A4, A6) <br> A5, A6) | internal generate a 16-QAM pulse train <br> Apernal_generate_qam16_spectra(A0, A1, <br> A2, A3, A4, A5, A6, A7) |
| spectra |  |


| Function | Description |
| :---: | :---: |
| internal_generate_gmsk_iq_spectra(A0, A1, A2, A3, A4, A5, A $\overline{6}, \mathrm{~A} 7$ ) | internal generate the gmsk i ' or ' q ' |
| get_fund_freq(A0) | Get the frequency associated with a specified fundamental index |
| internal_get_fund_freq(A0, A1) | internal function to get frequency for a specified fundamental index |
| ktoc(A0) | convert Kelvin to Celsius |
| ctok(A0) | convert Celsius to Kelvin |
| ftoc(A0) | convert Fahrenheit to Celsius |
| ctof(A0) | convert Celsius to Fahrenheit |
| ftok(A0) | convert Fahrenheit to Kelvin |
| ktof(A0) | convert Kelvin to Fahrenheit |
| get_array_size(A0) | Get the size of the array |
| eval_poly(A0, A1, A2) | polynomial evaluation function |
| pwl(...) | piecewise-linear function |
| phase_noise_pwl(...) | piecewise-linear function for computing phase noise |
| pwir(...) | piecewise-linear-repeated function |
| pulse(time, [low, high, delay, rise, fall, width, period]) | periodic pulse function |
| cos_pulse(time, [low, high, delay, rise, fall, width, period] ) | periodic cosine shaped pulse function |
| erf_pulse(time, [low, high, delay, rise, fall, width, period] ) | periodic error function shaped pulse function |
| damped_sin(time, [offset, amplitude, freq, delay, damping, phase] ) | damped sin function |
| multi_freq(time, amplitude, freq1, freq2, $n$, [seed] ) | multifrequency function |
| exp_pulse(time, [low, high, delay1, tau1, delay2, tau2]) | exponential pulse function |
| sffm(time, [offset, amplitude, carrier_freq, mod_index, signal_freq] ) | signal frequency FM |
| bitseq(time, [clockfreq, trise, tfall, vlow, vhigh, bitseq] ) | bit sequence function |


| Function | Description |
| :--- | :--- |
| Ifsr(A0, A1) | Ifsr(taps, seed) returns a string containing <br> complete sequence |
| read_data(...) | read_data("file\|dataset", "locName", <br> "fileType") |
| read_lib(...) | read_lib("libName", "item", "fileType") |
| get_block(A0, A1) | HPvar tree from block name function |
| get_max_points(A0, A1) | maximum points of independent variable |
| dsexpr(A0, A1) | Evaluate a dataset expression to an hpvar |
| dstoarray(A0, [A1] ) | Convert an hpvar to an array |
| get_attribute(...) | value of attribute of a set of data |
| dep_data(A0, A1, [A2] ) | dependent variable value |
| names(A0, A1) | array of names of indepVars and/or depVars in <br> dataset |
| index(A0, A1, [A2, A3] ) | get index of name in array |
| cxform(A0, A1, A2) | transform complex data |
| transform(A0, A1, A2, [A3, A4] ) | transform complex depVars in dataset |
| stypexform(A0, A1, A2, A3) | Y, Z, H, G, to S matrix transform |
| miximt_coef(A0, A1, A2, A3, A4) | Mixer IMT polynomial generator function |
| amp_harm_coef(A0, A1, A2) | Amplifier polynomial generator function |
| miximt_poly(A0, A1, A2, A3, A4) | Mixer IMT polynomial evaluation function |
| gcdata_to_poly(A0, A1) | Fit gain compression data to a polynomial |
| compute_poly_coef(A0, A1, A2, A3, A4, A5, | Compute polynomial coefficients for user <br> specified nonlinearities such TOI, Psat etc |
| A6, A7, A8, A9, A10, A11, A12) | Compute complex gain for given polynomial <br> coefficients |
| cpx_gain_poly(A0, A1, A2) | Count the number of coefficients |
| coef_count(A0) | Convert IMT hpvar data to an array |
| imt_hpvar_to_array(A0, A1, A2, A3) | echo-arguments function |
| imt_hbdata_to_array(A0, A1, A2, A3, A4, A5) | Convert 2-tone HB data to an IMT array |
| echo(A0) | print-value function |
| value(A0) |  |
|  |  |

## Simulator Variables and Constants

When you are using Simulator Expressions, keep in mind that certain variables and constants are reserved words in ADS. You can use these variables and constants, but you cannot redefine them to something else. The following table lists the simulator variables/constants available in ADS and a brief description of each.

Table 4-2.

| Variable/Constant Name | Description |
| :--- | :--- |
| time $=0 \mathrm{~s}$ | the analysis time |
| timestep $=1 \mathrm{~s}$ | the analysis time step |
| tranorder $=1$ | the transient analysis integration order |
| freq $=1 \mathrm{e}+006 \mathrm{~Hz}$ | the analysis frequency |
| Nsample $=0$ | signal processing analysis sample number |
| ScheduleCycle $=0$ | signal processing schedule cycle number |
| DefaultValue $=-1$ | signal processing default parameter value |
| noisefreq $=1 \mathrm{e}+006 \mathrm{~Hz}$ | the spectral noise analysis frequency |
| ssfreq $=1 \mathrm{e}+006 \mathrm{~Hz}$ | the small-signal mixer analysis frequency |
| temp $=25 \mathrm{C}$ | the analysis temperature |
| $\mathrm{e}=2.71828$ | $2.71838 . .$. |
| In10 $=2.30259$ | In(10) |
| c0 $=2.99792 \mathrm{e}+008 \mathrm{~m} / \mathrm{s}$ | the speed of light |
| e0 $=8.85419 \mathrm{e}-012$ | vacuum permittivity |
| u0 $=1.25664 \mathrm{e}-006$ | vacuum permeability |
| boltzmann $=1.38066 \mathrm{e}-023$ | Boltzmann's constant |
| qelectron $=1.60218 \mathrm{e}-019$ | the charge of an electron |
| planck $=6.62608 \mathrm{e}-034$ | Planck's constant |
| hugereal $=1.79769 \mathrm{e}+308$ | largest real number |
| tinyreal $=2.22507 \mathrm{e}-308$ | smallest real number |
| sourceLevel $=1$ | used for source-level sweeping for DC source-level sweeping |
| dcSourceLevel $=1$ | used for DC nodeset simulation |
| logRshunt $=0$ | logNodesetScale $=0$ |
| lased |  |

Table 4-2.

| Variable/Constant Name | Description |
| :--- | :--- |
| logRforce $=0$ | used for HB Rforce sweeping |
| mcindex $=0$ | index for Monte Carlo sweeps |
| doeindex $=0$ | index for Design of Experiment sweeps |
| Costlndex $=0$ | index for optimization cost plots |
| mcTrial $=0$ | trial counter for Monte Carlo based <br> simulations |
| optlter $=0$ | optimization job iteration counter |
| doelter $=0$ | doe experiment iteration counter |
| DeviceIndex $=0$ | device Index used for noise contribution or DC <br> OP output |
| LinearizedElementIndex $=0$ | index for BudLinearization sweep |
| DF_Value $=-1 \mathrm{e}+009$ | reference to corresponding value defined in <br> Data Flow controller |
| DF_ZERO_OHMS $=1 \mathrm{e}-013$ | symbol for use as zero ohms |
| DF_DefaultInt $=-1 \mathrm{e}+009$ | reference to default int value defined in Data <br> Flow controller |

## Mathematical Operators and Hierarchy

Expressions are evaluated from left to right, unless there are parentheses. Operators are listed from higher to lower precedence. Operators on the same line have the same precedence. For example, $a+b^{*} c$ means $a+\left(b^{*} c\right)$, because * has a higher precedence than +. Similarly, $a+b-c$ means ( $a+b$ )-c, because + and - have the same precedence (and because + is left-associative).

The operators !, \&\&, and || work with the logical values. The operands are tested for the values TRUE and FALSE, and the result of the operation is either TRUE or FALSE. In AEL a logical test of a value is TRUE for non-zero numbers or strings with non-zero length, and FALSE for 0.0 (real), 0 (integer), NULL or empty strings. Note that the right hand operand of \&\& is only evaluated if the left hand operand tests TRUE, and the right hand operand of II is only evaluated if the left hand operand tests FALSE.

The operators $>=,<=,>,<,==,!=$, AND, OR, EQUALS, and NOT EQUALS also produce logical results, producing a logical TRUE or FALSE upon comparing the values of two expressions. These operators are most often used to compare two real
numbers or integers. These operators operate differently in AEL than C with string expressions in that they actually perform the equivalent of $\operatorname{strcmp}()$ between the first and second operands, and test the return value against 0 using the specified operator.

Table 4-3. Operator Precedence

| Operator | Name | Example |
| :---: | :---: | :---: |
| ( ) | function call, matrix indexer | foo(expr_list) X(expr,expr) |
| [] | sweep indexer, sweep generator | X[expr_list] [expr_list] |
| \{ \} | matrix generator | \{expr_list\} |
| ** | exponentiation | expr**expr |
| ! | not | !expr |
| * | multiply <br> divide element-wise multiply element-wise divide | expr * expr expr / expr expr .* expr expr ./ expr |
| $+$ | add subtract | $\begin{aligned} & \text { expr + expr } \\ & \text { expr - expr } \end{aligned}$ |
| : | sequence operator wildcard | exp::expr::expr start::inc::stop |
| $\begin{aligned} & < \\ & <= \\ & > \\ & >= \\ & >= \end{aligned}$ | less than less than or equal to greater than greater than or equal to | $\begin{aligned} & \text { expr < expr } \\ & \text { expr <= expr } \\ & \text { expr > expr } \\ & \text { expr >= expr } \end{aligned}$ |
| $\begin{aligned} & \text { == } \\ & \text { != } \end{aligned}$ | equal not equal | $\begin{aligned} & \text { expr == expr } \\ & \text { expr != expr } \end{aligned}$ |
| \& \& | logical and | expr \&\& expr |
| \|| | logical or | expr \|| expr |

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[^0]:    Note Remember that the budget function can refer only to the default dataset, that is, the dataset selected in the data display window.

